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# Continuous Viewpoint Adaptation for Single View 3D Object Reconstruction

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## 3D Novel View Synthesis

2D Image



Data from single view

Must contain  
prior knowledge

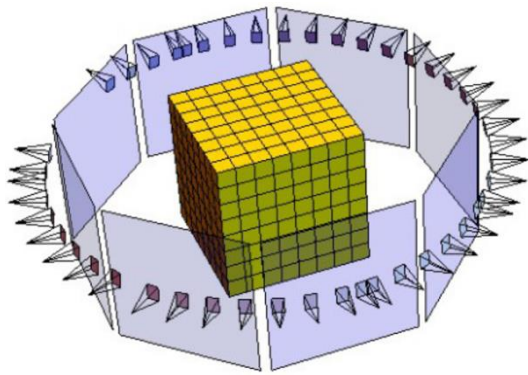


3D Model

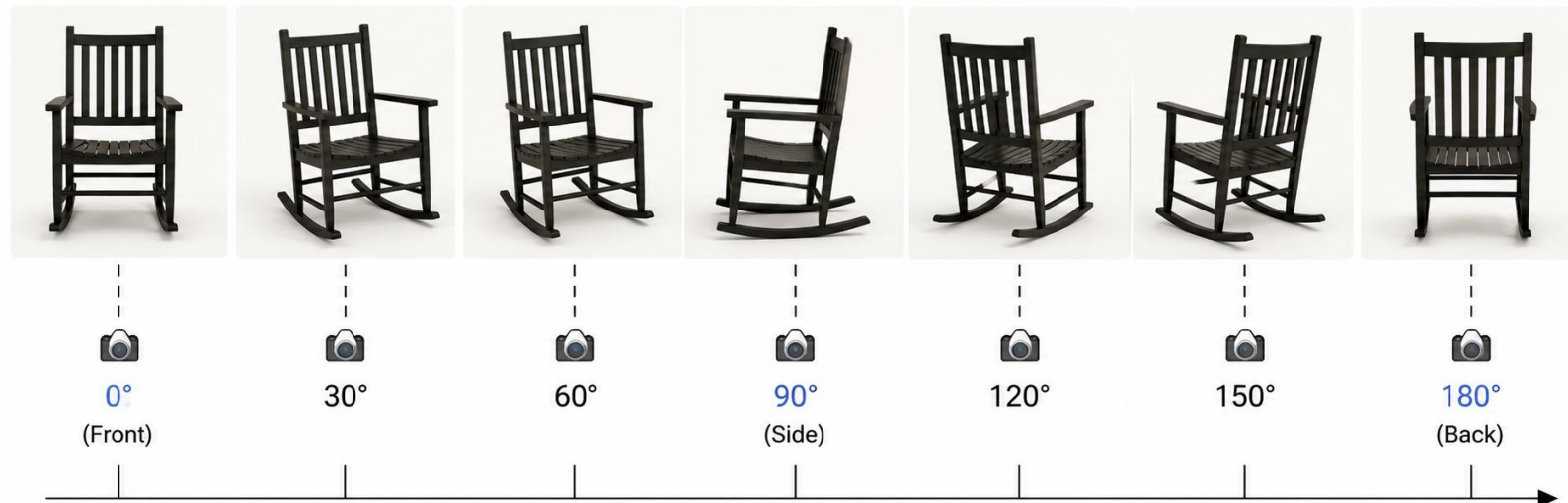


Contains novel data from  
many views

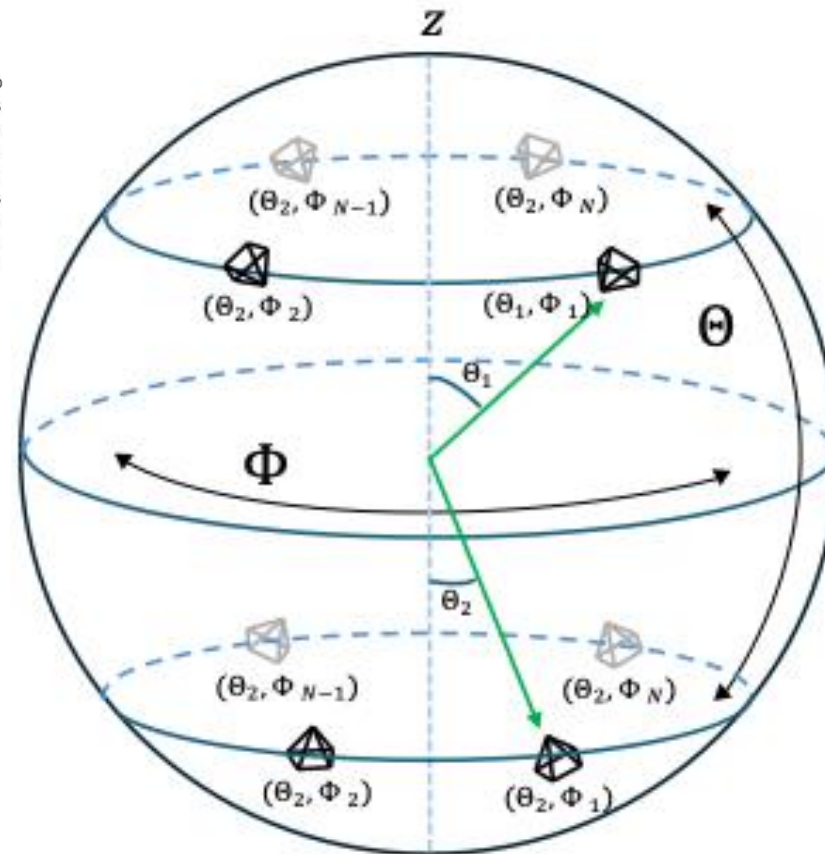
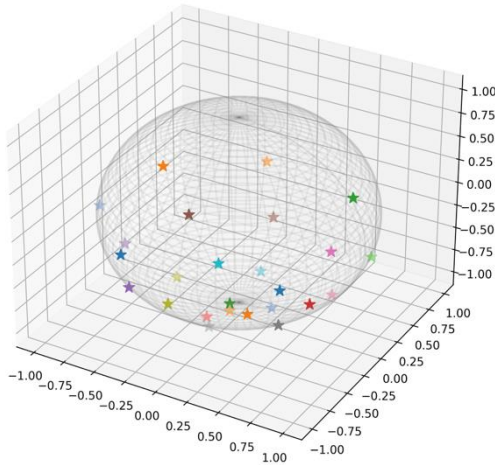
## Continuous camera positions



Continuous change of view angle

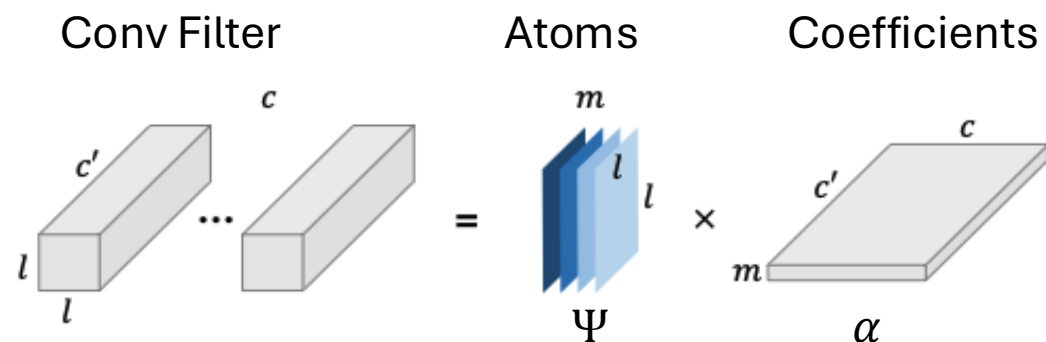


## Filter subspace modeling of 3D Camera space



- Camera positions lie on a spherical world space.
- Spherical world space can be represented by azimuthal ( $\Phi$ ) and polar angle ( $\Theta$ ).
- For each polar angle ( $\Theta$ ), there can be infinite options for azimuthal ( $\Phi$ ) angles.

## Filter subspace modeling of 3D Camera space

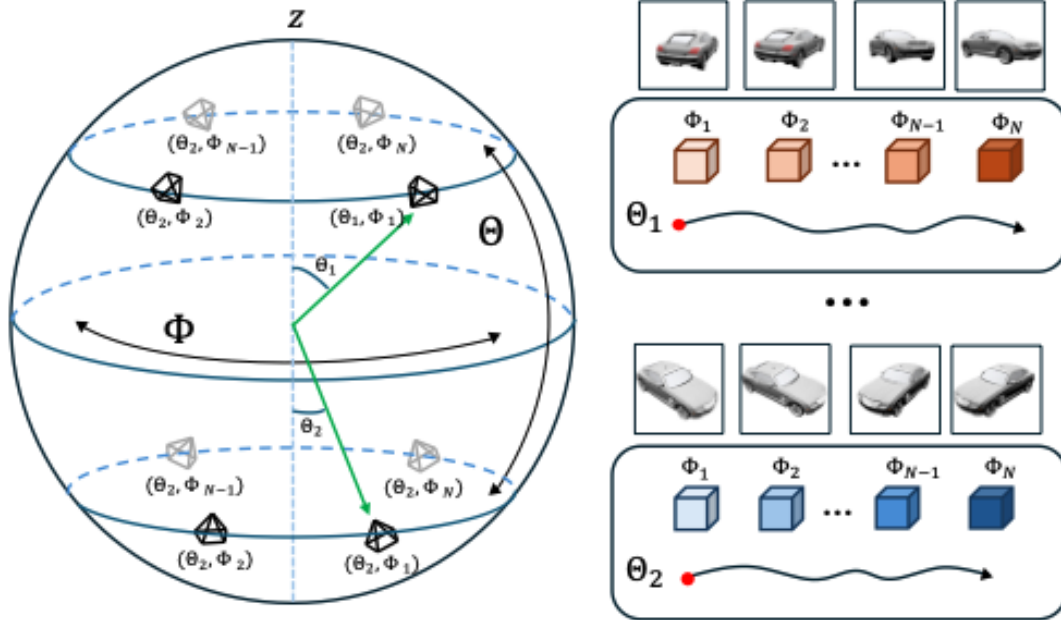


Decompose filter weights  $W$  over filter atoms  $\Psi$  and coefficients  $\alpha$ .

$$\mathbf{W}^i(\Theta, \Phi) = \mathbf{a}^i \Psi^i(\Theta, \Phi),$$

$L \times L \times C \times C'$  convolutional layer is decomposed into the product of  $m$  bases of size  $L \times L$

## Filter subspace modeling of 3D Camera space



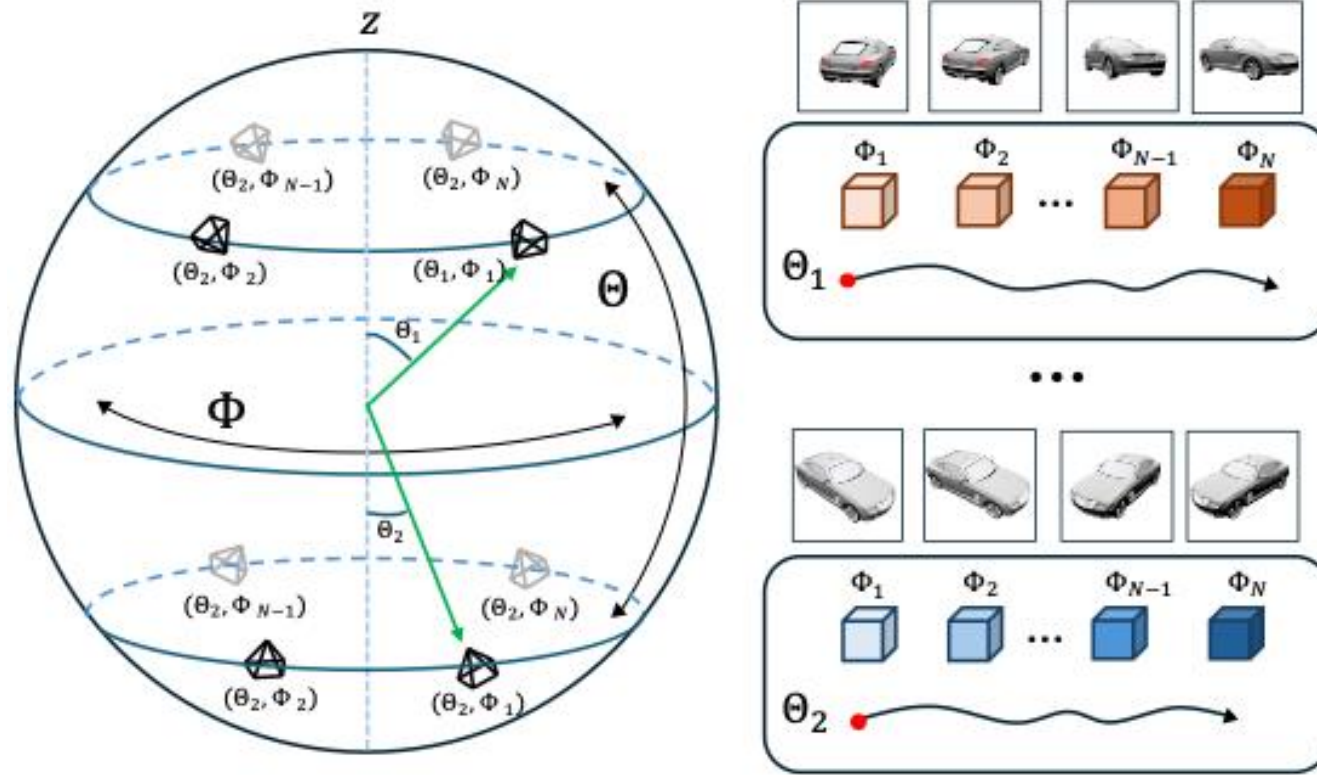
Embedding *spherical camera world space*  
into *filter subspace*

- Generate different sets of filter atoms according to ODE function  $f$ .

$$\Psi^i(\Phi_s) = \Psi^i(\Phi_0) + \int_{\Phi_0}^{\Phi_s} f(\Psi^i(\Phi), \Phi; \theta) d\Phi.$$

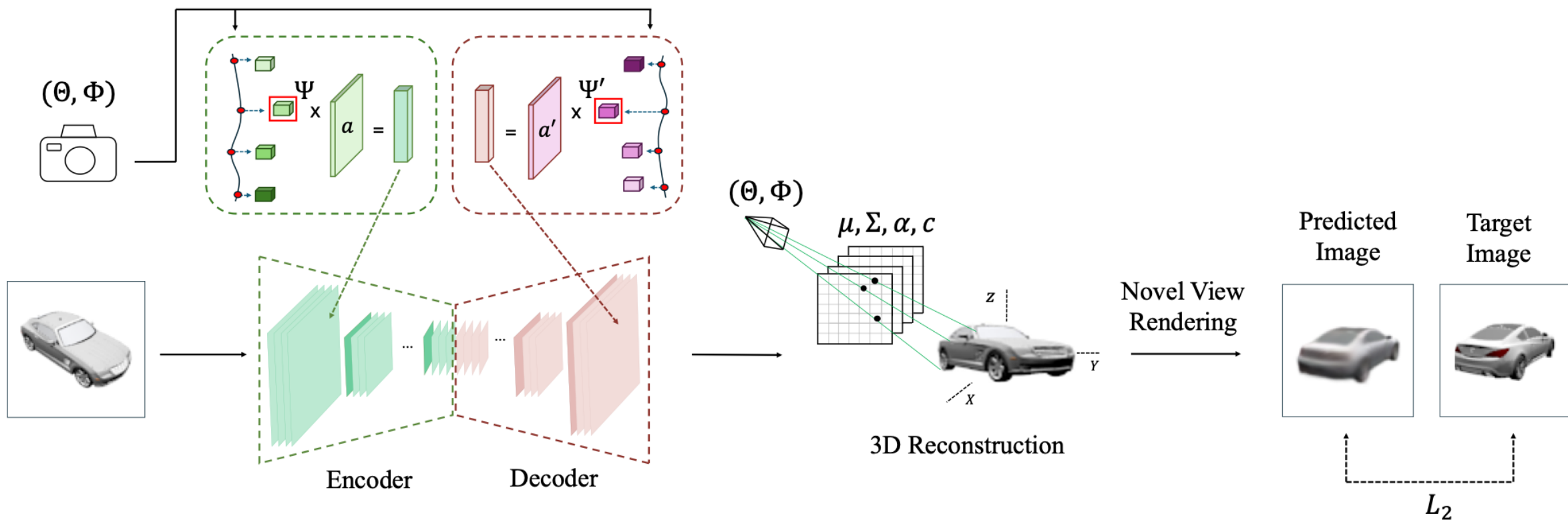
- Filter atoms can cover whole spherical camera space.

## Filter subspace modeling of 3D Camera space



- Embedding *spherical camera world space* into *filter subspace*.
- Condition initial condition of **ODE** with polar angle  $(\Theta)$ ,  $[0, 180^\circ]$ .
- For each initial state, evolve ODE according to different azimuthal  $(\Phi)$  angles  $[0, 360^\circ]$ .
- Generate different sets of filter atoms according to  $\Theta$  and  $\Phi$ .

# Overview



## Filter subspace modeling of 3D Camera space

- **Continuity Propagation - Variations in the 3D reconstructions** results of our networks are upper bounded by the **variations in input view-points** through Lipschitz continuity

**Proposition 4.1** (Continuity of View-Specific Features). *Let  $\mathbf{Z}_u^i$  and  $\mathbf{Z}_v^i$  be inputs to the  $i$ -th layer from adjacent views, and  $\Psi_u^i$  and  $\Psi_v^i$  represent two continuously generated sets of filter atoms corresponding to those views, which together with the common atom coefficients  $\mathbf{a}^i$  form  $i$ -th layer of the convolutional layer. If the difference between  $\mathbf{Z}_u^i$  and  $\mathbf{Z}_v^i$  is small (i.e.,  $\|\mathbf{Z}_u^i - \mathbf{Z}_v^i\|_2 \leq \delta$ ) for some  $\delta$ , and for non-expansive activation function, e.g., SiLU, we can upper bound the changes in the corresponding outputs  $\mathbf{Z}_u^{i+1}$  and  $\mathbf{Z}_v^{i+1}$  in terms of the changes in the filter atoms as:*

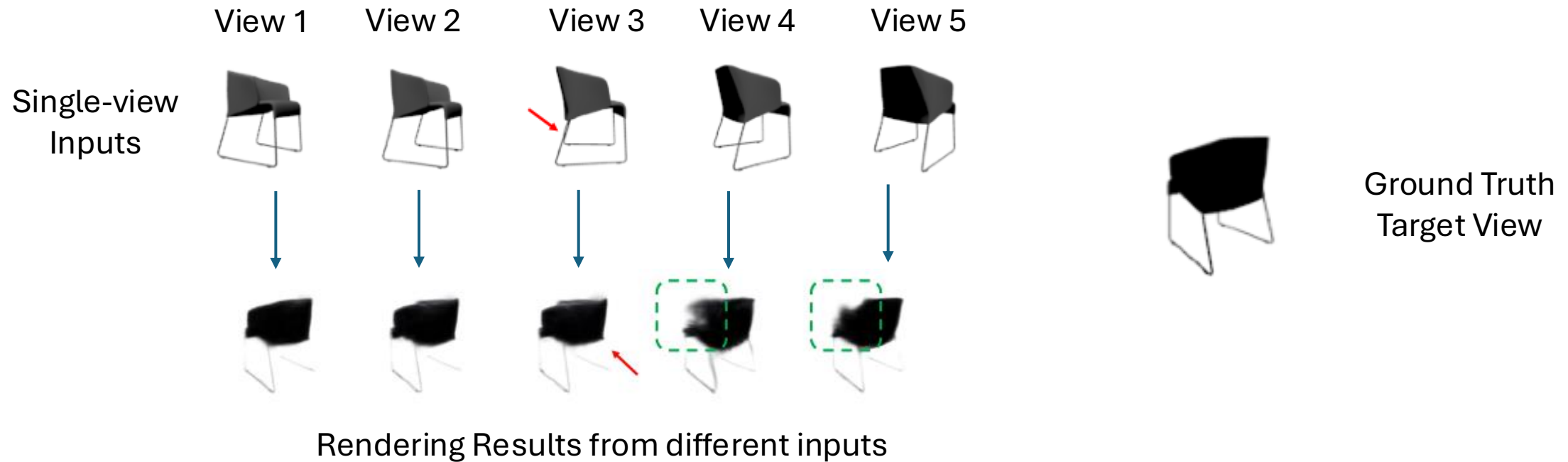
$$\|\mathbf{Z}_u^{i+1} - \mathbf{Z}_v^{i+1}\|_2 \leq (\|\mathbf{a}^i\|_2 \lambda \sqrt{|\mathcal{S}|} + \delta) \cdot \|\Psi_u^i - \Psi_v^i\|_2,$$

with  $\lambda = \sup_{s \in \mathcal{S}} \|\mathbf{Z}_u^i\|_{2, N_s}$ .

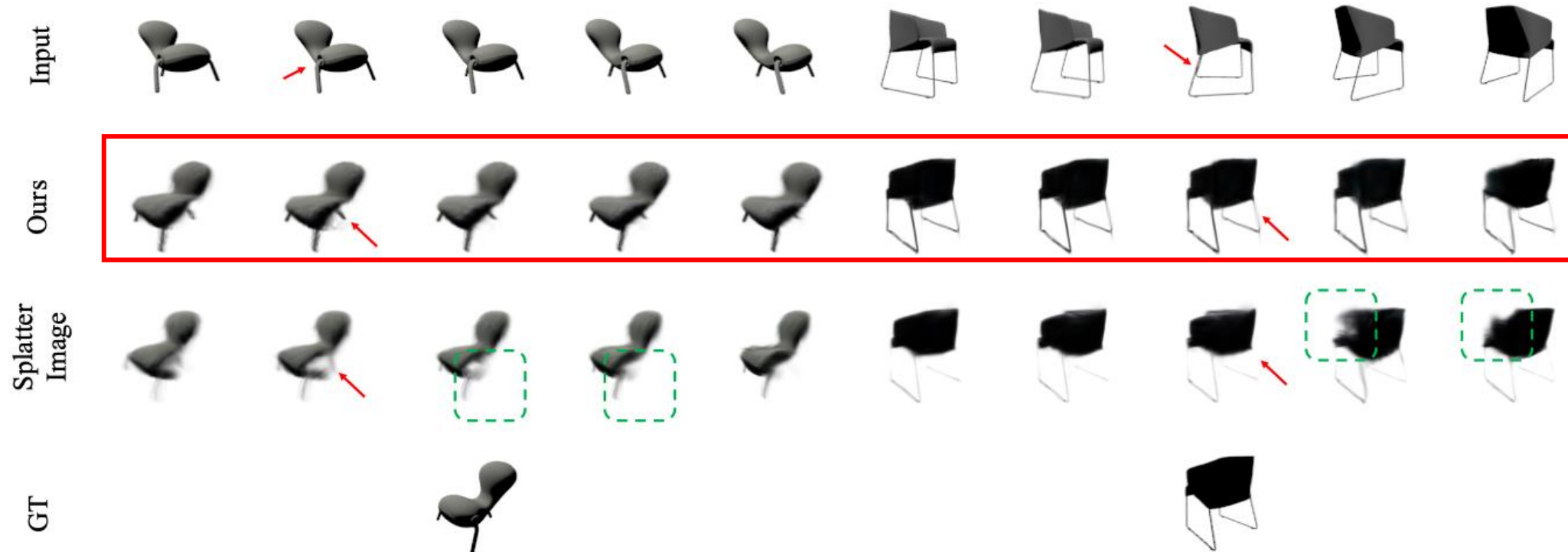
(11)

**Remark 4.2.** *According to Proposition 4.1, the difference between feature embeddings at each layer is upper bounded by the difference in the continuously generated filter atoms, for some small difference of  $\delta$  between inputs from close views. Similarly, for the decoder, where each layer is also decomposed over continuously generated view-dependent filter atoms and cross-view shared coefficients, if the difference between the input features at  $i$ -th layer is small (i.e.,  $\|\mathbf{Z}_u^i - \mathbf{Z}_v^i\|_2 \leq \delta'$ ), we can upper bound the variations in the corresponding outputs in terms of the changes in the filter atoms.*

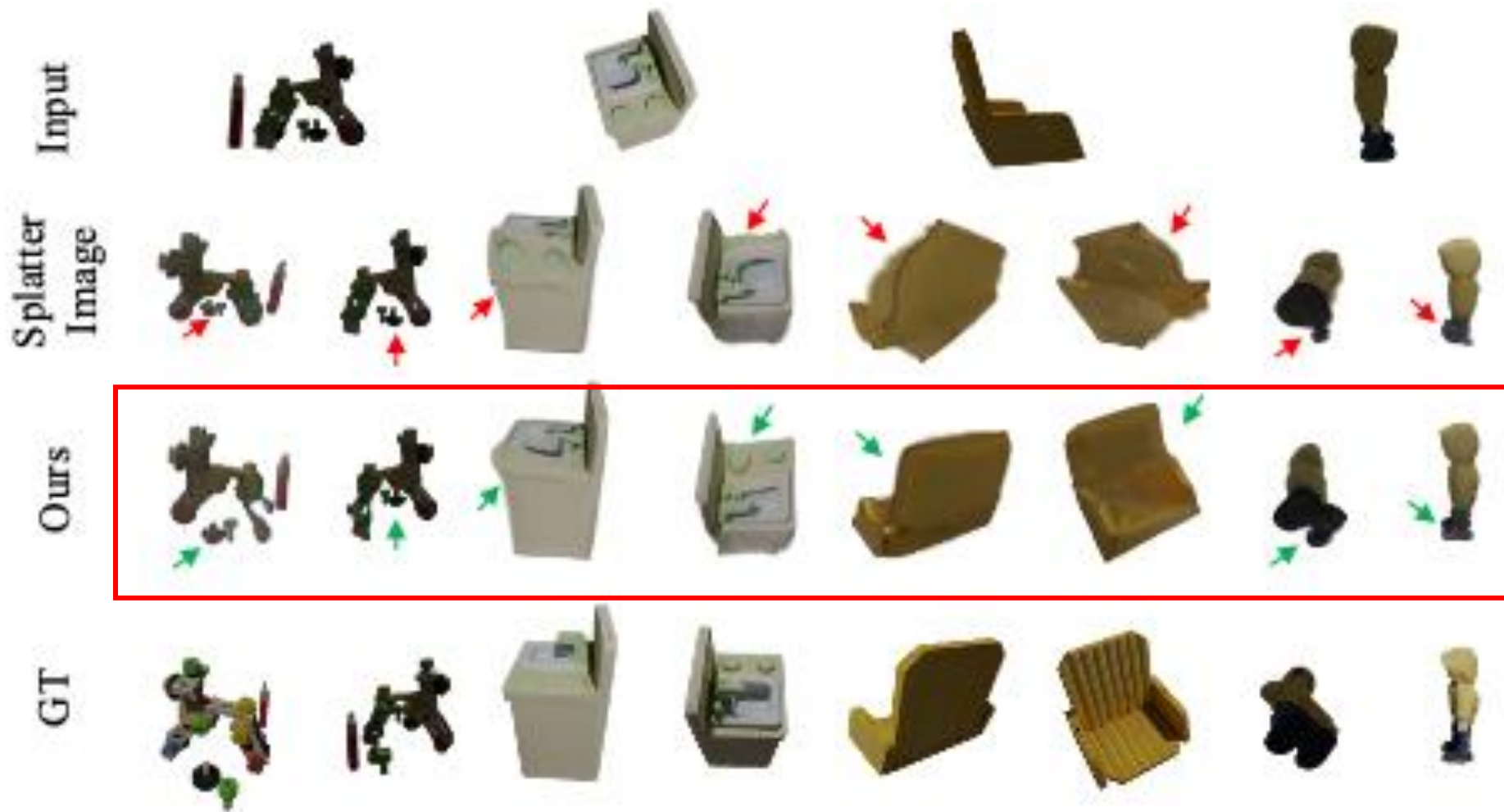
## Inconsistency in 3D reconstruction across different input views



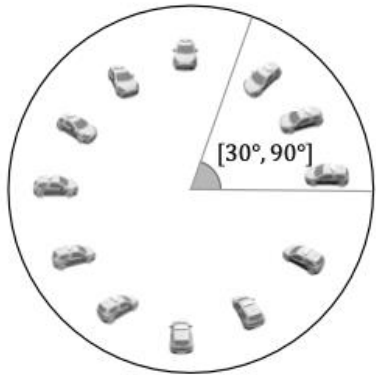
## View consistency for different input single view images



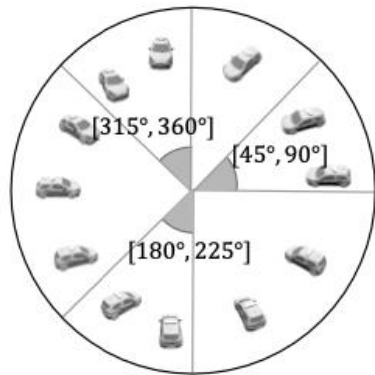
# Results



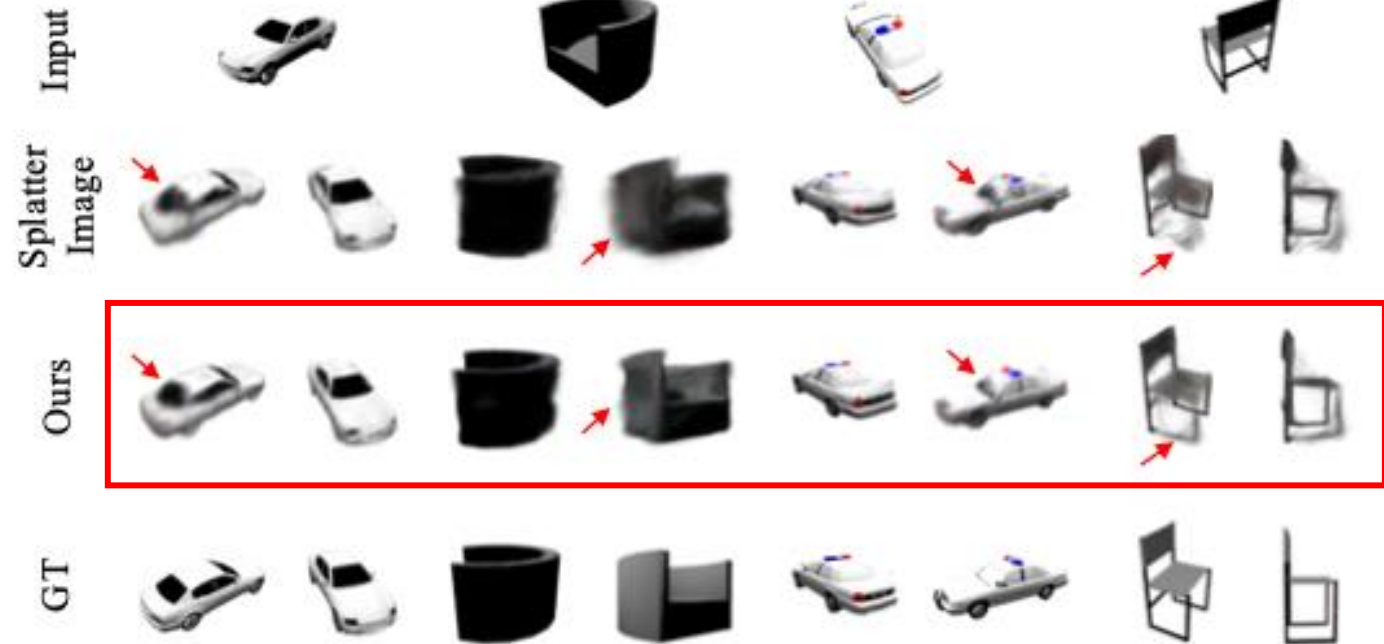
## Improved results in view extrapolation/interpolations



View-Space Extrapolation



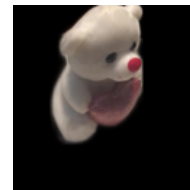
View-Space Interpolation



## Results

Table 6. Ablation studies by adding different components.

	PSNR $\uparrow$	SSIM $\uparrow$	LPIPS $\downarrow$
Baseline	21.81	0.88	0.166
+ Camera	22.13	0.88	0.156
+ DCF	22.19	0.88	0.155
+ ODE( $\Phi$ )	22.64	0.89	0.143
+ ODE( $\Phi, \Theta$ )	<b>23.12</b>	<b>0.90</b>	<b>0.129</b>

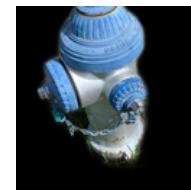


Single-view  
Input Image



Ours

GT



Single-view  
Input Image



Ours

GT



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## Takeaways