Learning Progress Driven Multi-Agent Curriculum

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Background: Homotopy Optimization Methods

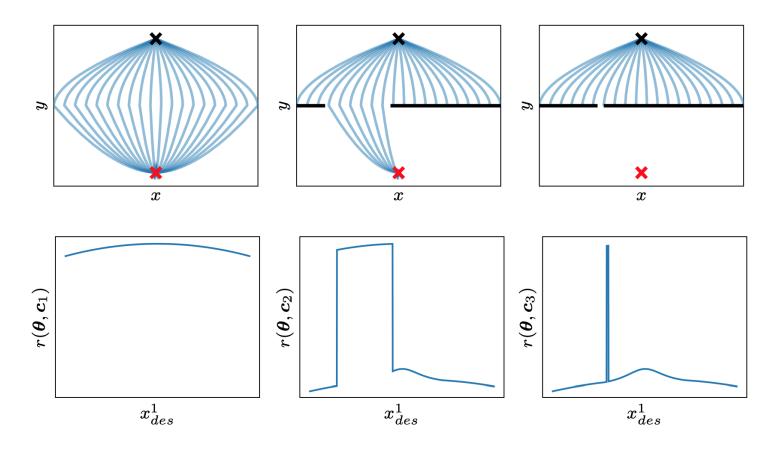


Figure 1: Gate task and visualization of the point-mass trajectories with their reward [1].

Background: RL vs. Contextual RL

RL

$$\max_{\boldsymbol{\omega}} J(\boldsymbol{\omega}) = \max_{\boldsymbol{\omega}} \mathbb{E}_{p_0(\mathbf{s}_0), p(\mathbf{s}_{i+1}|\mathbf{s}_i, \mathbf{a}_i), \pi(\mathbf{a}_i|\mathbf{s}_i, \boldsymbol{\omega})} \left[\sum_{i=0}^{\infty} \gamma^i r(\mathbf{s}_i, \mathbf{a}_i) \right]$$
$$V_{\boldsymbol{\omega}}(\mathbf{s}) = \mathbb{E}_{\pi(\mathbf{a}|\mathbf{s}, \boldsymbol{\omega})} \left[r(\mathbf{s}, \mathbf{a}) + \gamma \mathbb{E}_{p(\mathbf{s}'|\mathbf{s}, \mathbf{a})} \left[V_{\boldsymbol{\omega}}(\mathbf{s}') \right] \right]$$

Contextual RL

$$\max_{\boldsymbol{\omega}} J(\boldsymbol{\omega}, \boldsymbol{\mu}) = \max_{\boldsymbol{\omega}} \mathbb{E}_{\boldsymbol{\mu}(\mathbf{c})} \left[J(\boldsymbol{\omega}, \mathbf{c}) \right] = \max_{\boldsymbol{\omega}} \mathbb{E}_{\boldsymbol{\mu}(\mathbf{c}), p_{0, \mathbf{c}}(\mathbf{s})} \left[V_{\boldsymbol{\omega}}(\mathbf{s}, \mathbf{c}) \right]$$
$$V_{\boldsymbol{\omega}}(\mathbf{s}, \mathbf{c}) = \mathbb{E}_{\pi(\mathbf{a}|\mathbf{s}, \mathbf{c}, \boldsymbol{\omega})} \left[r_{\mathbf{c}}(\mathbf{s}, \mathbf{a}) + \gamma \mathbb{E}_{p_{\mathbf{c}}(\mathbf{s}'|\mathbf{s}, \mathbf{a})} \left[V_{\boldsymbol{\omega}}(\mathbf{s}', \mathbf{c}) \right] \right]$$

Background: SPRL

Self-paced reinforcement learning (SPRL) is one of SOTA curriculum reinforcement learning (CRL) method

$$\begin{split} & \min_{\nu} \quad D_{\mathrm{KL}}(p(\mathbf{c}|\nu) \parallel \mu(\mathbf{c})) \\ & \text{s.t.} \quad \mathbb{E}_{p(\mathbf{c}|\nu)}[J(\theta,\mathbf{c})] \geq V_{\mathrm{LB}} \text{ and } D_{\mathrm{KL}}(p(\mathbf{c}|\nu) \parallel p(\mathbf{c}|\nu')) \leq \epsilon \end{split}$$

where $\mathbb{E}_{p(\mathbf{c}|\nu)}[J(\theta,\mathbf{c})]$ is the objective and maximized by

$$\max_{\nu_{k+1}} \frac{1}{M} \sum_{i=1}^{M} \frac{p(\mathbf{c}_i|\nu_{k+1})}{p(\mathbf{c}_i|\nu_k)} V_{\theta}(\mathbf{s}_{i,0}, \mathbf{c}_i)$$

The idea of generating tasks based on reward/ return/ value is shared in most existing single-agent CRL methods, such as Goal-GAN [2], CURROT [3]

Background: Curriculum MARL

CRL for multi-agent learning (by controlling the number of agents as the curriculum context) is still in early stage, e.g. via prior knowledge.

- *DyMA-CL* [4]: manually designed, from few to more.
- EPC [5]: in the order N \rightarrow 2N, with evolutionary selection.
- *VACL* [6]: in a presumed order to change number of agents.
- We abstract these works as a Linear baseline

[4] Wang, Weixun, et al. "From few to more: Large-scale dynamic multiagent curriculum learning." Proceedings of the AAAI Conference on Artificial Intelligence. Vol. 34. No. 05. 2020.

[5] Long, Qian, et al. "Evolutionary population curriculum for scaling multi-agent reinforcement learning." arXiv preprint arXiv:2003.10423 (2020).

[6] Chen, Jiayu, et al. "Variational automatic curriculum learning for sparse-reward cooperative multi-agent problems." Advances in Neural Information Processing Systems 34 (2021): 9681-9693.

Motivation

Two Issues of *reward-based* curriculum learning methods for multiagent learning, when controlling the number of agents as curriculum

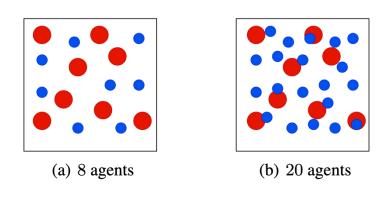


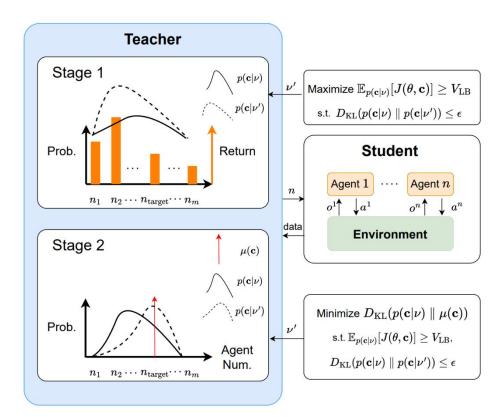
Figure 2: Simple-spread task, where the common reward is computed by the sum of minimum distances of each landmark to agents. With more agents, the task becomes eaiser to get higher rewards.

$$\max_{\nu_{k+1}} \frac{1}{M} \sum_{i=1}^{M} \frac{p(\mathbf{c}_i | \nu_{k+1})}{p(\mathbf{c}_i | \nu_k)} V_{\theta}(\mathbf{s}_{i,0}, \mathbf{c}_i), \tag{3}$$

- High estimation variance
- Increased credit assignment difficulty

Method

We propose a *learning progess* based curriculum learning method: SPMARL



Main idea:

- Value loss indicates the policy change well.
- On tasks with higher value loss, the policy can be improved more.

$$LP(c) = \frac{1}{2} \mathbb{E}_{s, \mathbf{a} \sim \pi(\mathbf{a}|s, \mathbf{c})} [\|R(s, \mathbf{a}) - V(s)\|^2]$$

The new objective maximized by

$$\max_{\nu_{k+1}} \frac{1}{M} \sum_{i=1}^{M} \frac{p(\mathbf{c}_i | \nu_{k+1})}{p(\mathbf{c}_i | \nu_k)} LP_{\theta}(\mathbf{c}_i)$$

Two-stage optimization

Experiments: Simple-Spread

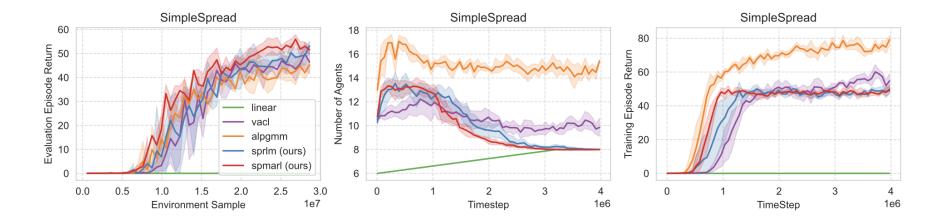
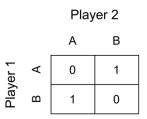


Figure 2. Comparison on the Simple-Spread task, where the target is set with 8 agents and 8 landmarks. The plots are averaged over 5 random seeds and the shadow area denotes the 95% confidence intervals. The left figure shows the evaluation returns on the target task with 8 agents. Note that the x-axis represents the samples collected from the environment, which is proportional to the number of agents. The middle figure presents the generated curriculum from different methods, where SPMARL and SPRLM first generate more agents and then converge to the target 8 agents while ALPGMM and VACL always generates more agents. The right figure shows the episode returns on the training tasks. The ALPGMM algorithm achieves the highest because it samples tasks with more than 14 agents.

Experiments: XOR



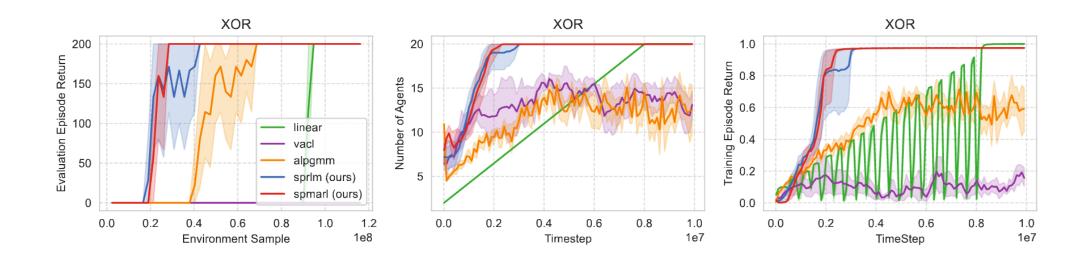
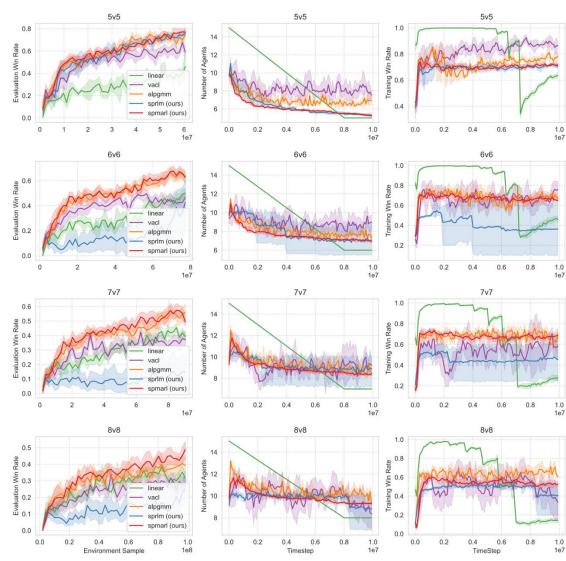


Figure 5. Comparison on the 20-player XOR game where each agent needs to output different actions to succeed. While the linear curriculum from few to more (*linear*) and *alpgmm* successfully achieve optima eventually, SPRLM and SPMARL demonstrate a faster convergence.

Experiments: SMAC v2





Conclusion

- We identify two issues related to the general reward-based automatic CRL methods and propose learning-progress based curriculum learning.
- While not maximizing the reward, our method, SPMARL, generates tasks with higher rewards faster than the naïve application of SPRL which maximize the reward over the number of agents.