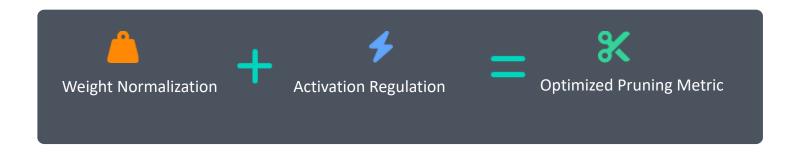


BaWA: Automatic Optimizing Pruning Metric for Large Language Models with Balanced Weight and Activation



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Background: LLM Pruning Challenge

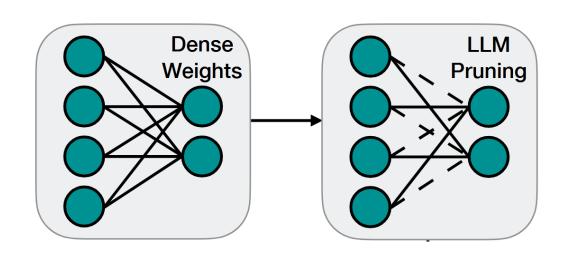
Large Language Models

- Billions of parameters (e.g., LLaMA, Mistral, Qwen2)
- Exceptional capabilities across diverse tasks
- Significant hardware constraints for deployment

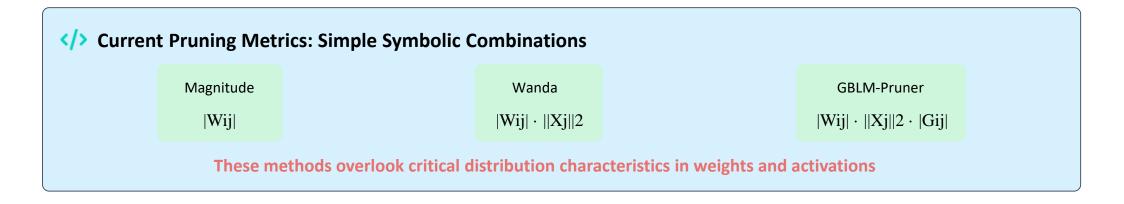


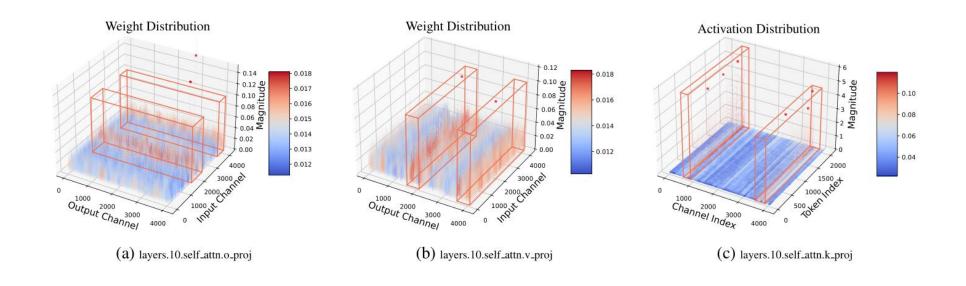
X Pruning Solutions

- Removes redundant weights to reduce model size
- One-shot post-training pruning: Efficient approach without fine-tuning
- Can achieve 50%+ sparsity with minimal performance loss
- Supported by hardware acceleration (e.g., 2:4 sparse tensor cores)



Limitations of Current Pruning Methods





Key Observations: Why Current Methods Fail



Imbalanced Weight Magnitude Distribution

- Weight magnitudes vary significantly across channels
- Certain channels contain abnormally large or small weights
- Leads to biased pruning decisions where entire channels are either preserved or pruned

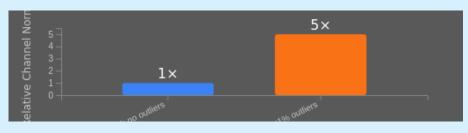


Weight magnitude varies significantly across different channels



Disproportionate Impact of Outliers

- Less than 1% of activation outliers can inflate channel's norm by up to 5×
- Channels with outliers are erroneously prioritized during pruning
- Channels without outliers are excessively pruned, degrading performance

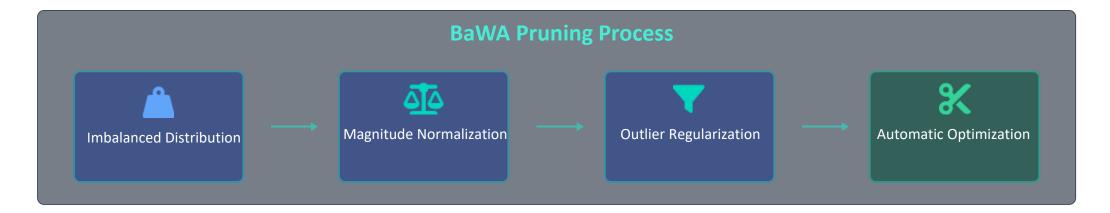


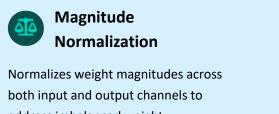
A few outliers dramatically increase channel norm values

Key insight: Current pruning metrics use simple symbolic combinations of weights and activations, ignoring these imbalances. This leads to sub-optimal pruning decisions and significant performance degradation.

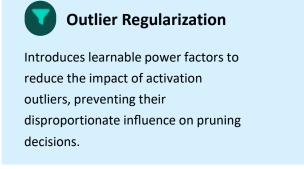
Introducing BaWA

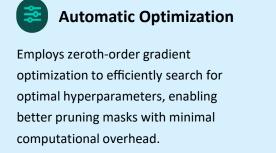
BaWA (Balanced Weight and Activation) is a novel pruning metric that systematically balances the contributions of weight and activation distributions for more effective LLM pruning, addressing the limitations of existing methods





Normalizes weight magnitudes across both input and output channels to address imbalanced weight distributions, contributing to fairer pruning decisions.





Magnitude Normalization

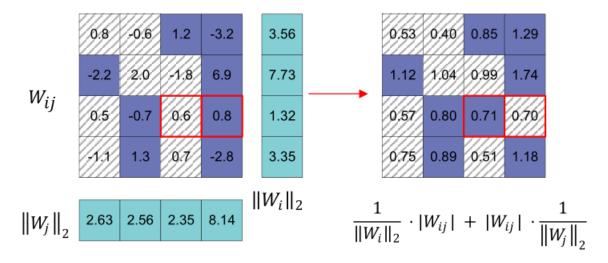


The Problem

Weight magnitudes exhibit significant imbalance across channels

Some channels contain weights that are abnormally large or small

This leads to biased pruning where weights in certain channels are predominantly preserved or removed



BaWA's Solution

Input Channel Normalization

Normalizes weight magnitude by the &2-norm of each input channel

$$S_{ij}^{(ICN)} = |W_{ij} \cdot (1/||W_{j}||_{2}) \cdot ||X_{j}||_{2}$$

Output Channel Normalization

Normalizes by the €2-norm of each output channel

$$S_{ij}^{(OCN)} = (1/||W_i||_2) \cdot ||W_i||_1 \cdot ||X_j||_2$$

(a) Magnitude Normalization

Benefits of Magnitude Normalization











More balanced distribution

Fairer pruning decisions

Improved model performance

Optimal sparsity patterns

Outlier Regularization



The Outlier Problem

Few activation outliers (<1%) can inflate a channel's norm by over 5×

Channels without outliers are unfairly pruned

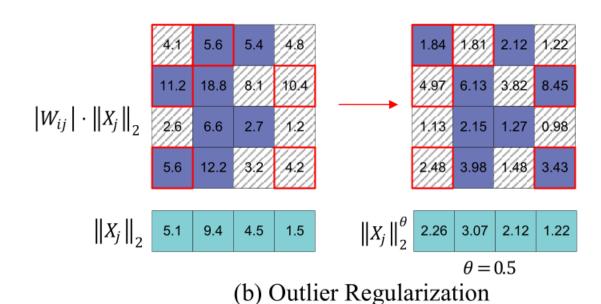
Up to 10% of channels eliminated in specific layers

Existing metrics over-emphasize outlier channels

BaWA's Solution

Introduce power factor θ to control outlier influence Lower θ values reduce impact of activation outliers Learnable parameters optimize regularization strength

Ensures fair evaluation of each weight's importance



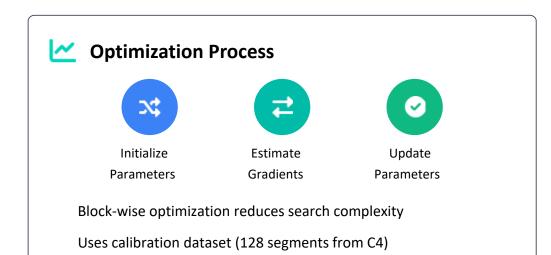
Automatic Hyperparameter Optimization

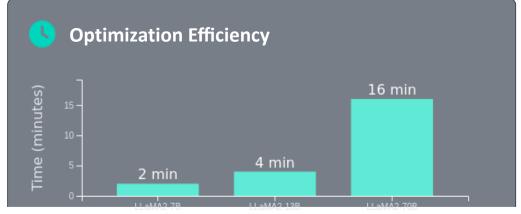
$$m{S}_{ij} = (\underbrace{\|m{W}_{ij}\| \cdot rac{1}{\|m{W}_{j}\|_{2}^{ heta_{1}}}}_{ ext{input channel normalization}} + \underbrace{\frac{1}{\|m{W}_{i}\|_{2}^{ heta_{2}}} \cdot \|m{W}_{ij}\|}_{ ext{output channel normalization}}) \cdot ||m{X}_{j}||_{2}^{ heta_{3}}$$

$$\Theta^* = \underset{\Theta}{\operatorname{arg\,min}} \mathcal{L}(\Theta; \boldsymbol{X}),$$

$$\mathcal{L}(\Theta; \boldsymbol{X}) = \|\operatorname{RMSNorm} (\mathcal{F}(\mathbb{W}; \boldsymbol{X})) - \operatorname{RMSNorm} (\mathcal{F}(\mathbb{W} \odot \mathbb{M}; \boldsymbol{X}))\|_{2}^{2},$$

$$\mathbb{M} = \mathbb{S} > \operatorname{top}_{k}(\mathbb{S}),$$





Experimental Results: Perplexity

WikiText-2 perplexity performance of BaWA and Wanda for different LLMs at varying sparsity rates.

	LLaMA-7B			LLaMA-13B			LLaMA2-70B			Qwen2-72B		
Sparsity	60%	70%	80%	$\overline{60\%}$	70%	80%	60%	70%	80%	60%	70%	80%
Wanda	10.57	74.79	4.80e3	8.69	51.94	4.95e3	4.97	10.23	149.76	6.26	9.00	40.50
BaWA	10.00	57.84	3.95e3	7.67	33.83	4.10e3	4.56	8.71	125.71	6.03	8.17	31.89

		LLaMA2		Mistral	Qwen2	
Method	Sparsity	13B	70B	7B	72B	
Dense	0%	4.57	3.12	5.25	4.94	
Magnitude	4:8	6.76	5.54	9.21	8.14	
SparseGPT	4:8	6.60	4.59	8.07	5.97	
Wanda	4:8	6.55	4.47	8.41	5.86	
GBLM	4:8	6.54	4.49	8.31	5.85	
RIA	4:8	6.29	4.37	8.27	5.81	
Pruner-Zero	4:8	6.75	4.45	8.11	5.85	
DSnoT	4:8	6.43	4.41	7.93	5.79	
ADMM-Iter	4:8	6.37	4.35	7.79	5.77	
BaWA	4:8	<u>6.16</u>	4.32	<u>7.54</u>	<u>5.74</u>	
BaWA + ADMM	4:8	6.07	4.24	7.36	5.65	

* Key Improvements

- LLaMA-7B (60%): 0.57 perplexity reduction vs. Wanda
- LLaMA-13B (70%): 18.11 perplexity reduction vs. Wanda
- Qwen2-72B (80%): 8.61 perplexity reduction vs. Wanda
- LLaMA2-70B (4:8): 0.15 perplexity reduction vs. Wanda

BaWA consistently outperforms all baseline methods across various models and sparsity levels

Experimental Results: Zero-Shot Tasks

			LLaMA				LLaMA2				
Method	Weight Update	Sparsity	7B	13B	30B	65B	7B	13B	70B	Mistral-7B	Qwen2-72B
Dense	-	0%	59.99	62.59	65.38	66.97	59.71	63.03	67.08	64.30	69.82
Magnitude	Х	50%	46.94	47.61	53.83	62.74	51.14	52.77	60.93	55.87	60.66
SparseGPT	✓	50%	54.94	58.61	63.09	66.30	56.24	60.57	67.28	59.34	68.11
Wanda	×	50%	55.13	59.33	63.60	66.67	56.24	60.04	67.03	58.93	66.41
BaWA	X	50%	55.27	59.97	64.12	67.21	57.02	60.67	67.81	60.17	69.11



BaWA outperforms Wanda by **up to 3.08%** on average accuracy across tasks



Superior Performance

For Mistral-7B with 2:4 sparsity, BaWA shows **53.23%** accuracy vs. Wanda's 50.15%

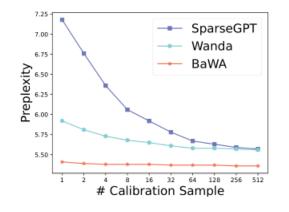


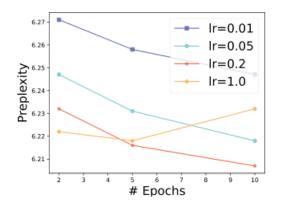
Model Adaptability

For LLaMA2-70B, the pruned model with 50% sparsity achieves **higher accuracy** than the original dense model

Experimental Results: Analysis

	LLaM	LLaMA2 & Qwen2 (50%)			IA2 & Qv	ven2 (4:8)	LLaMA2 & Qwen2 (2:4)		
Method	13B	70B	72B	13B	70B	72B	13B	70B	72B
Wanda	5.56	3.98	5.48	6.55	4.47	5.86	8.27	5.16	6.31
Input Channel Normalization	5.47	3.89	5.48	6.38	4.42	5.84	7.93	5.13	6.30
Magnitude Normalization	5.45	3.88	5.44	6.27	4.41	5.81	7.74	5.04	6.27
Outlier Regularization (0.5)	5.46	3.90	5.46	6.20	4.39	5.77	7.54	4.95	6.21
BaWA w/o Automatic Search	5.45	3.88	5.43	6.27	4.41	5.80	7.74	5.05	6.23
BaWA w/ Automatic Search	5.42	3.84	5.41	6.16	4.32	5.74	7.13	4.84	6.14





Ablation Study demonstrates the effectiveness of each method proposed by BaWA

Conclusion and Impact

Key Contributions

Balanced Pruning Metric

Addresses imbalanced weight magnitudes and disproportionate influence of activation outliers

Superior Performance

For Mistral-7B with 2:4 sparsity: reduced perplexity by 2.49 and improved downstream task accuracy by 3.08%

Fificient ImplementationComplete optimization in ~16 minutes for LLaMA2-70B on a single GPU, with minimal performance overhead

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Impact & Significance

- Consistently outperforms existing SOTA pruning methods across various LLMs and language benchmarks
- Compatible with existing weight reconstruction methods (e.g., ADMM-Iter), offering further performance gains
- Enables effective deployment of LLMs in resourceconstrained environments
- Orthogonal to conventional weight adjustment methods, creating opportunities for combined approaches

Performance Highlights

1.58×

Speedup over dense FP16 GFMM 3.08%

Improved accuracy on downstream tasks

50%+

Effective at high sparsity levels