

Symmetry-Robust 3D Orientation Estimation



Chris Scarvelis
On the job market soon!



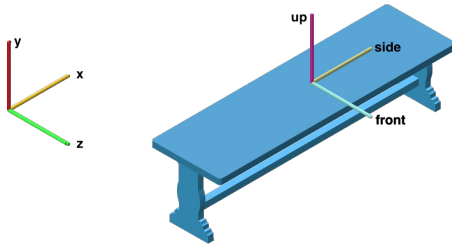
Massachusetts
Institute of
Technology



Backflip AI

David Benhaim
Paul Zhang

The problem.



Estimate a shape's orientation:
its **side**, **up**, and **front** axes.

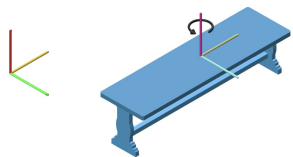
Learn an *orienter function*:

$$f: \mathcal{S} \rightarrow SO(3)$$

Maps shapes to predicted
orientations $\hat{\Omega}_S$

Key challenge:

If a shape has rotational symmetries,
then its orienter map is one-to-many
– not a function!



One symmetry \rightarrow
infinitely many
bad solutions to
naive L_2
regression!

Figure 4: The solution $f^*(S)$ to Problem 2 evaluated at the bench shape S may be any rotation about the y -axis.

Our solution.

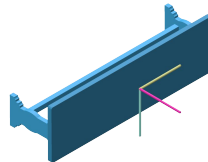
$$\min_{f: \mathcal{S} \rightarrow SO(3)} \mathbb{E}_{R \sim U(SO(3))} \left[\min_{(S, \Omega_S) \in \mathcal{D}} \min_{Q \in \hat{\mathcal{R}}_S} \|f(RS) - RQ\Omega_S\|_F^2 \right]$$

First stage: Quotient regression

Sends $f(RS) \approx \Omega_{RS}$

up to a symmetry $Q \in \hat{\mathcal{R}}_S$

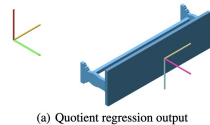
We quotient by *cube flips*.



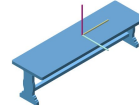
**Correctly
oriented outputs
– up to a cube
flip** $Q^* \in \hat{\mathcal{R}}_S$

$$f^*(RS) = RQ^*\Omega_S$$

Second stage: Find the cube flip by
solving a discrete classification
problem.



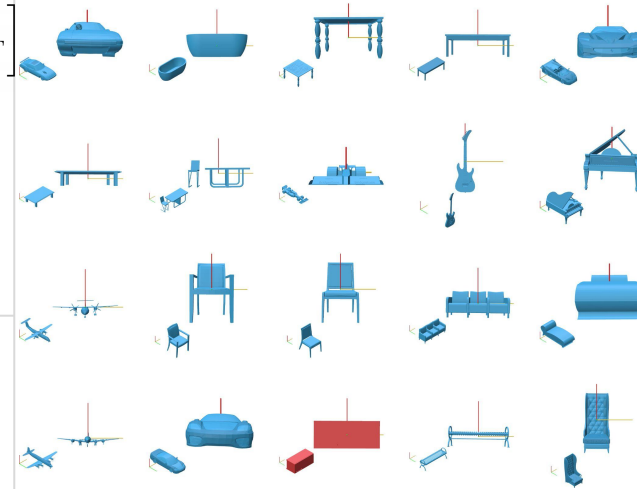
(a) Quotient regression output



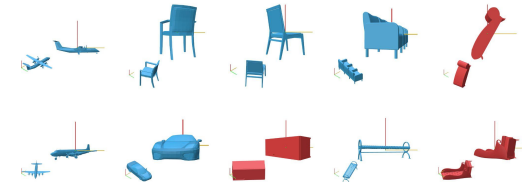
(b) Classifier outputs

**Recovers the correct orientation up
to a symmetry of the shape.**

Results.



- Recover full orientations –
upright *and* front-facing.
- 64.6% lower error rate** vs. prior
SOTA on up-axis prediction.
- Works on *all* of Shapenet – not
just select classes.



Prior SOTA: Upright-Net (Pang et al. 2022)