Which Features are Learned by Contrastive Learning? On the Role of *Simplicity Bias* in *Class Collapse* and *Feature Suppression*

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Representation Learning

Contrastive learning (CL) has become one of the best representation learning approaches, achieving state-of-the-art performance across various tasks.

But the learned representations can sometimes fail to capture important features

What we can learn if we have all the labels:

Supervised CL (SCL) --- with labels

loss function:

 $-\log \frac{\exp \operatorname{sim}(pos)}{\exp \operatorname{sim}(pos) + \sum \exp \operatorname{sim}(neg)}$











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"vehicle"

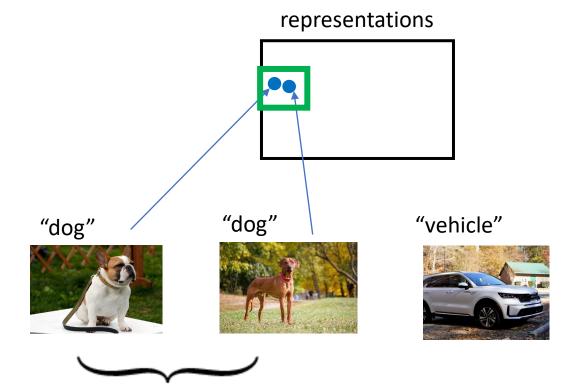
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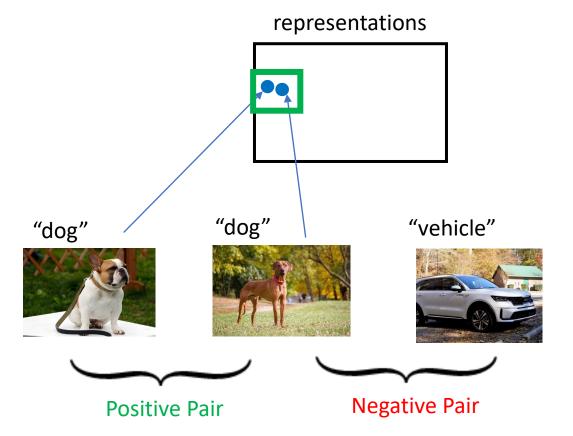


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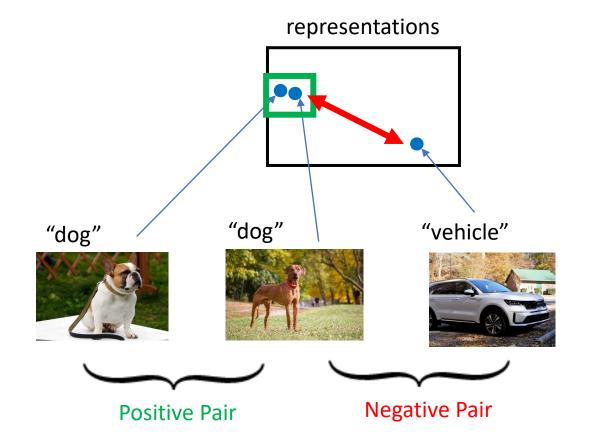
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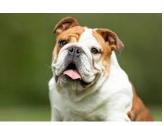
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Class Collapse in SCL











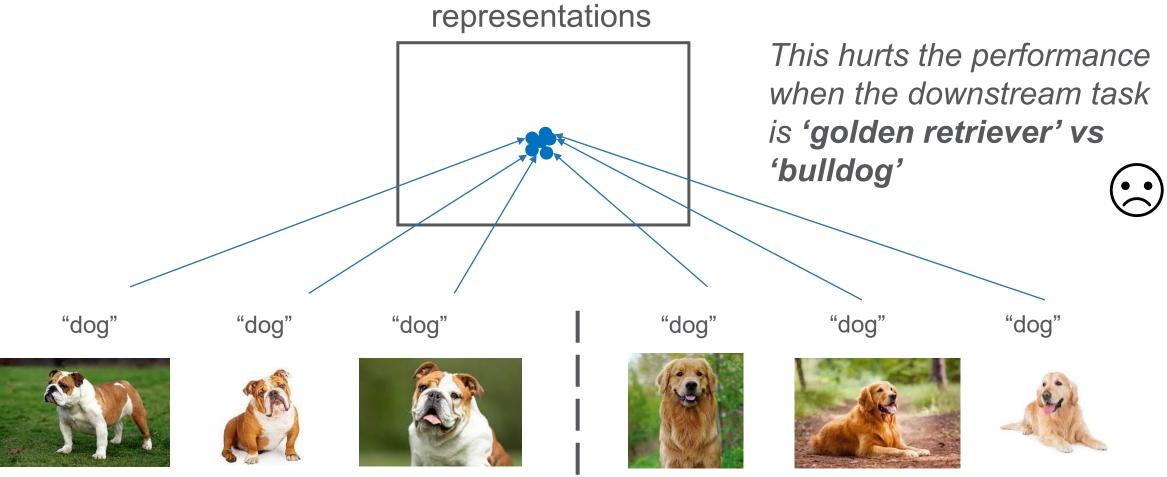


Class Collapse in SCL



Class Collapse in SCL representations "dog" "dog" "dog" "dog" "dog" "dog"

Class Collapse in SCL



What we can learn without labels:

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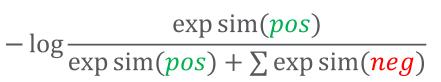


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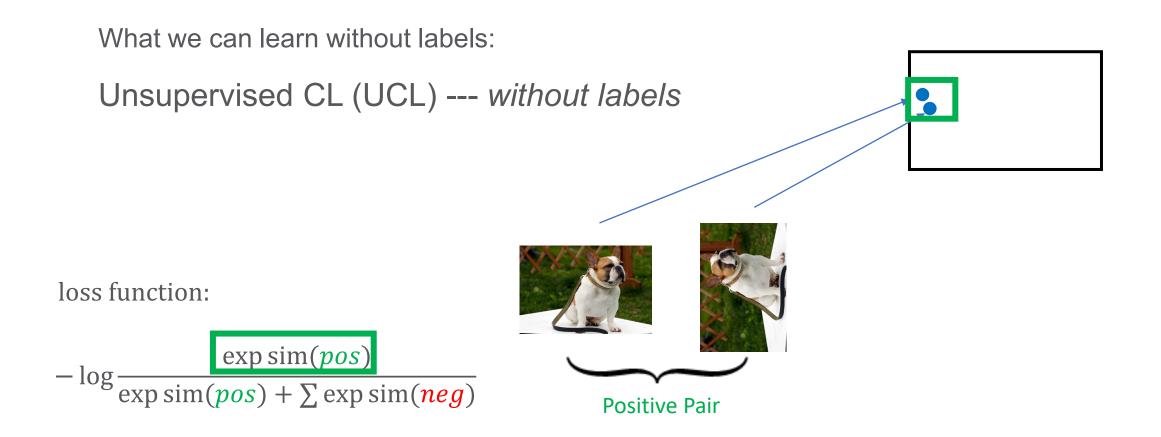


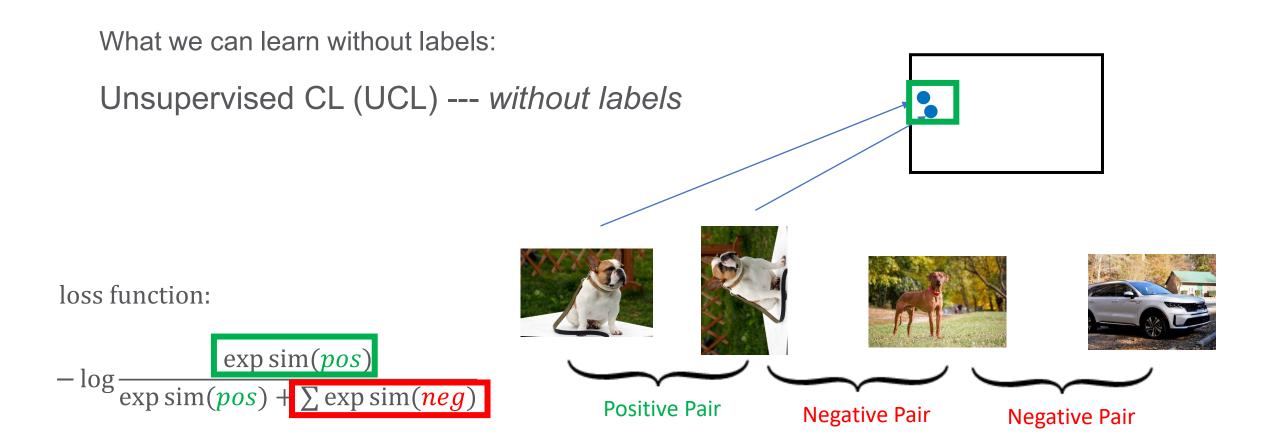
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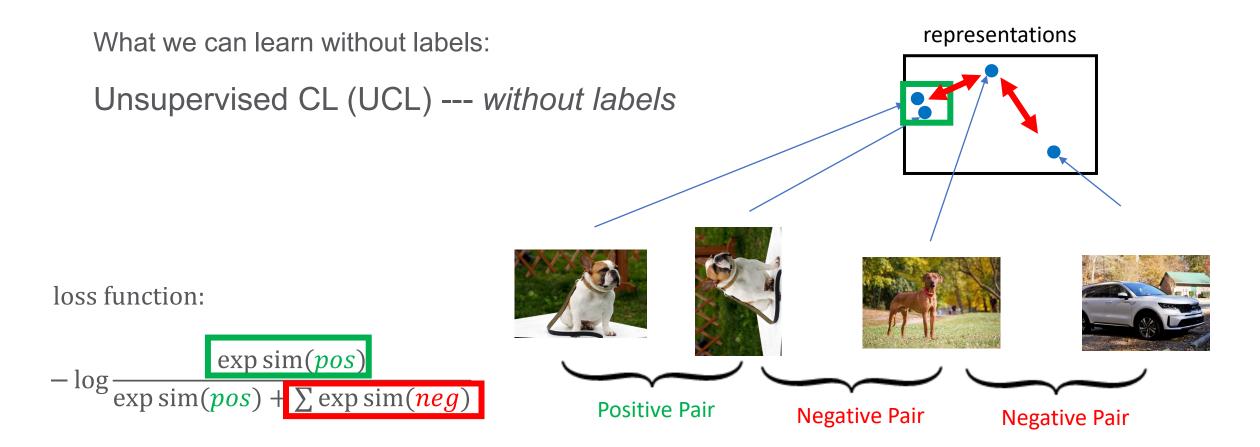
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Feature Suppression in UCL

downstream task: *dog* vs *car*









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Features:



Feature Suppression in UCL

downstream task: *dog* vs *car*



Features:	dog, moving	dog, <mark>still</mark>	car, still	car, moving	
We want the model to learn:	All the features, or at least dog vs. car.				

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When FS happens the mode learns:	moving	still	still	moving	

Understanding the Failure Modes

(1) Class Collapse in SCL(2) Feature Suppression in UCL



Can we learn better representations?

We need to first understand how and why class collapse and feature suppression happen!

- <u>Do all minimizers exhibit class collapse?</u>
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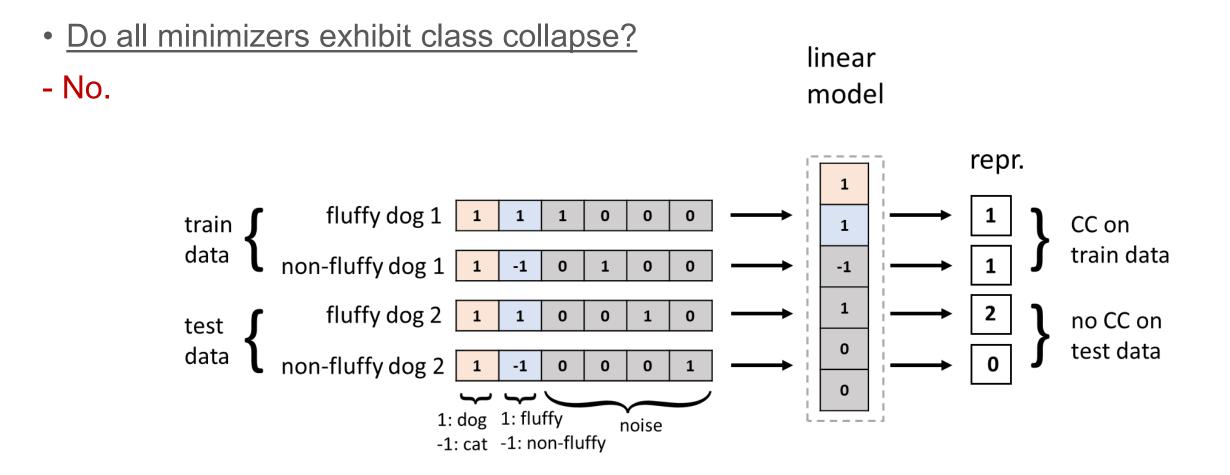
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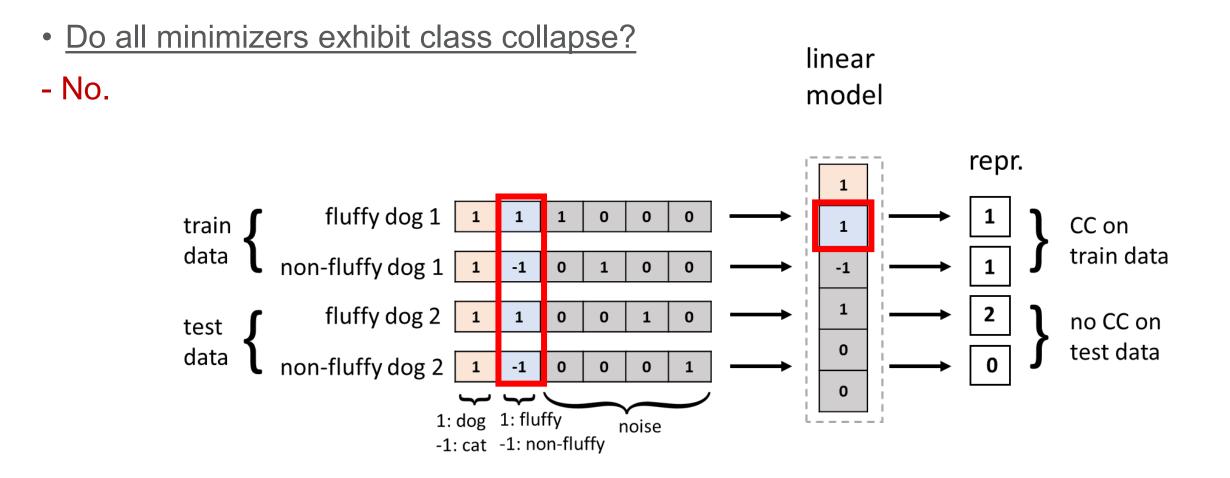
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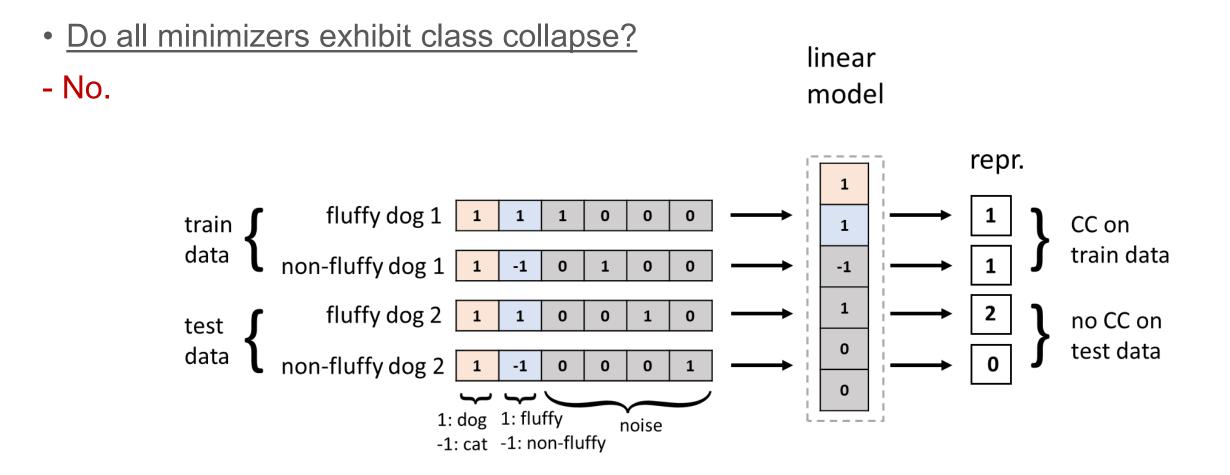
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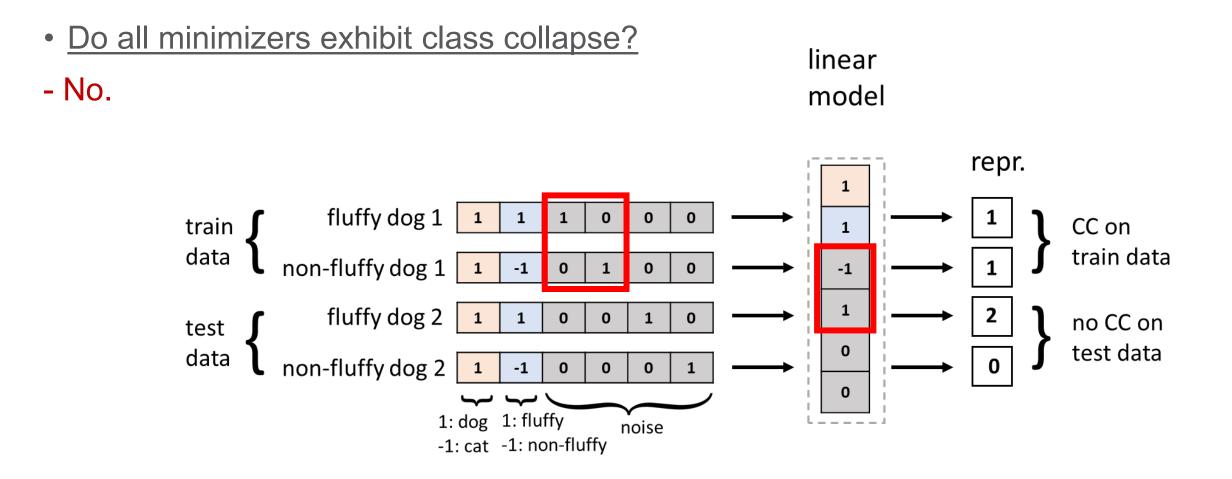
Theorem (informal): \exists a minimizer of the training loss, s.t. it **learns** the **subclass features** and separates subclasses well on the population.

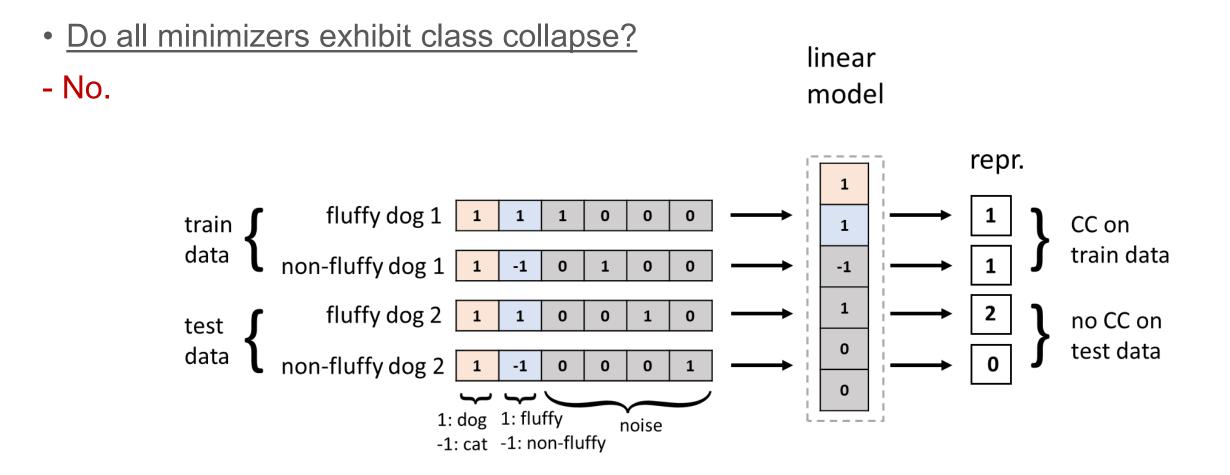


• Do all minimizers exhibit class collapse? linear - No. model repr. fluffy dog 1 1 1 1 0 0 train CC on 1 train data data non-fluffy dog 1 1 -1 0 0 -1 1 0 fluffy dog 2 no CC on 1 1 0 0 1 0 test test data 0 data non-fluffy dog 2 -1 0 0 1: dog 1: fluffy noise -1: cat -1: non-fluffy

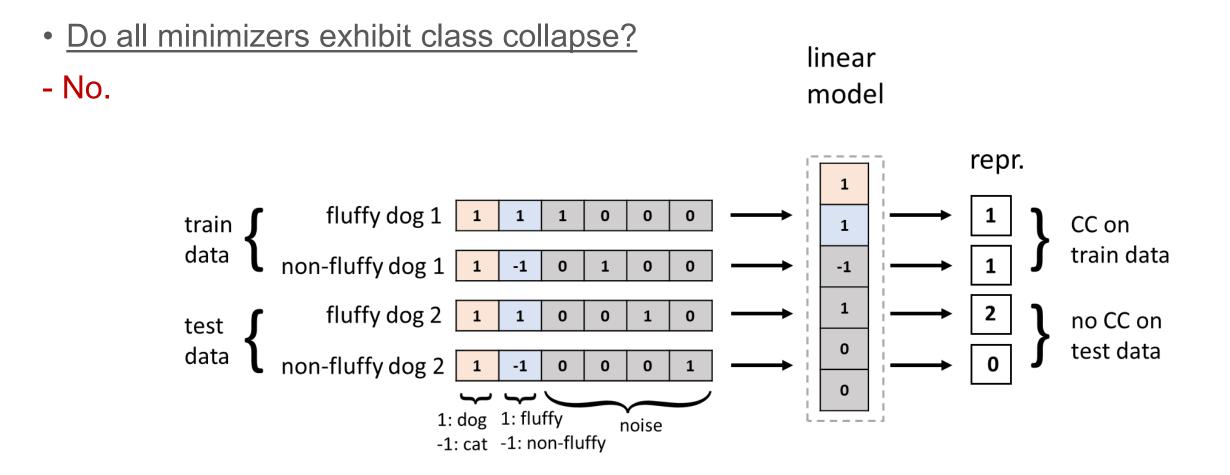


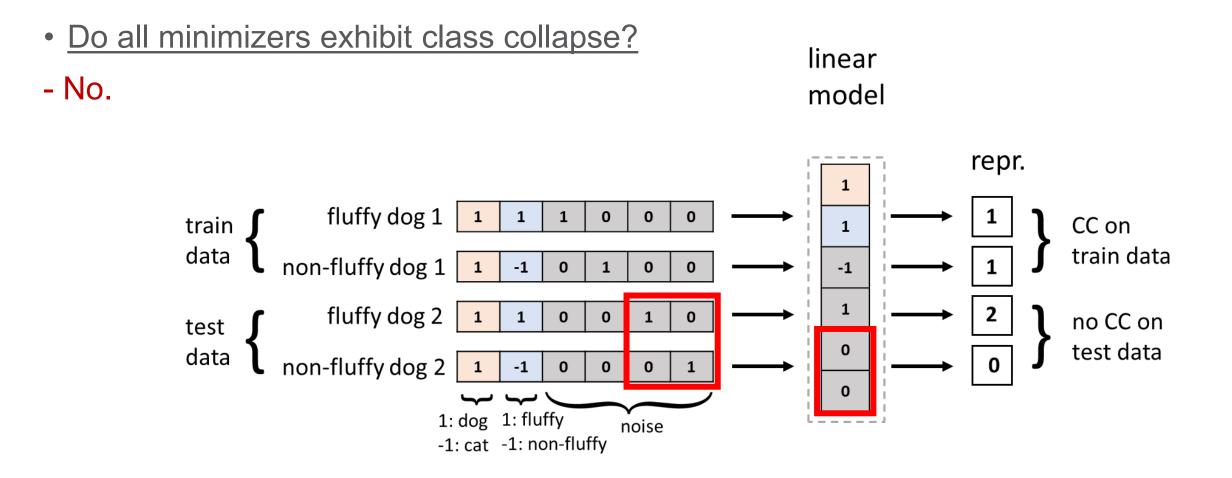


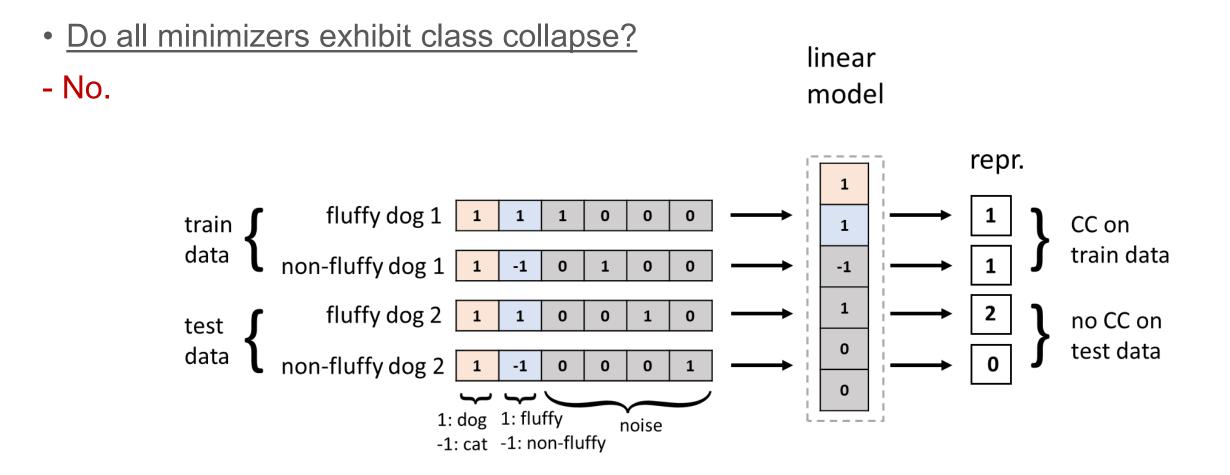




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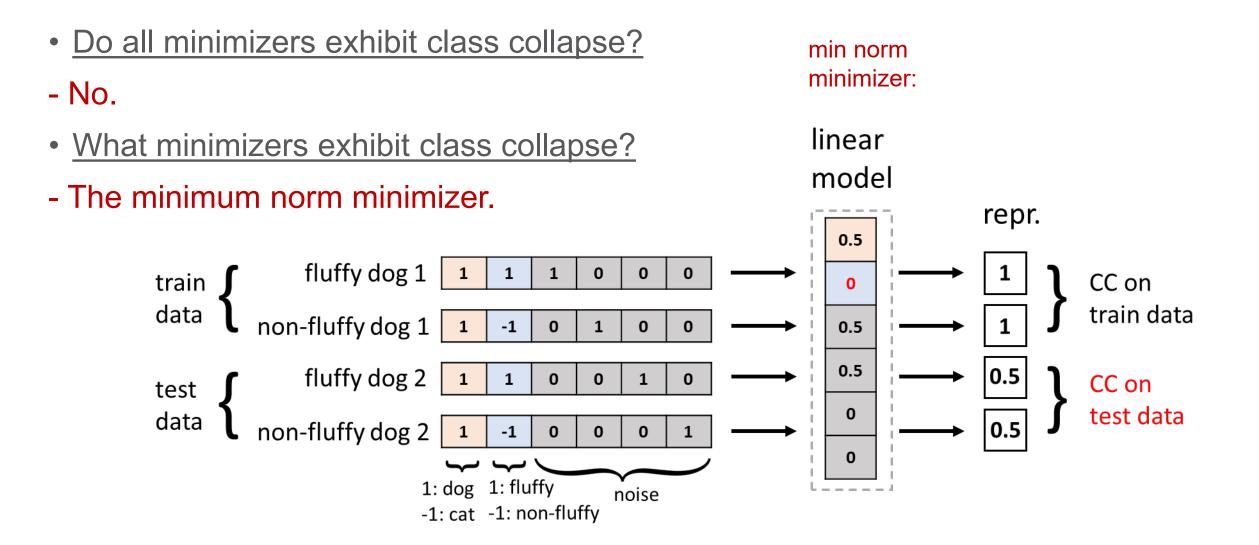


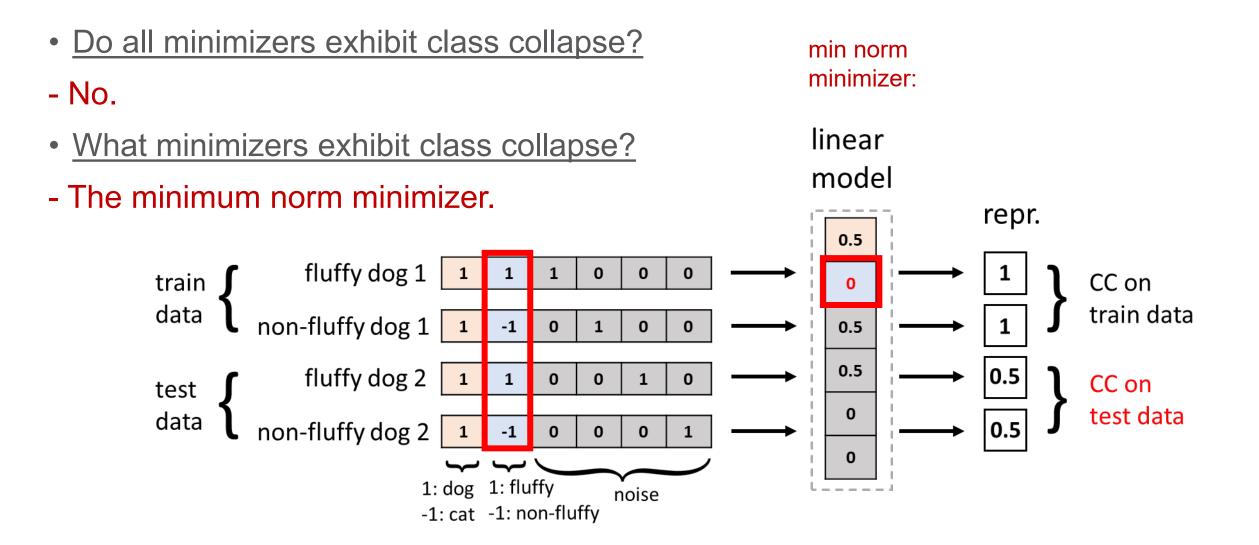
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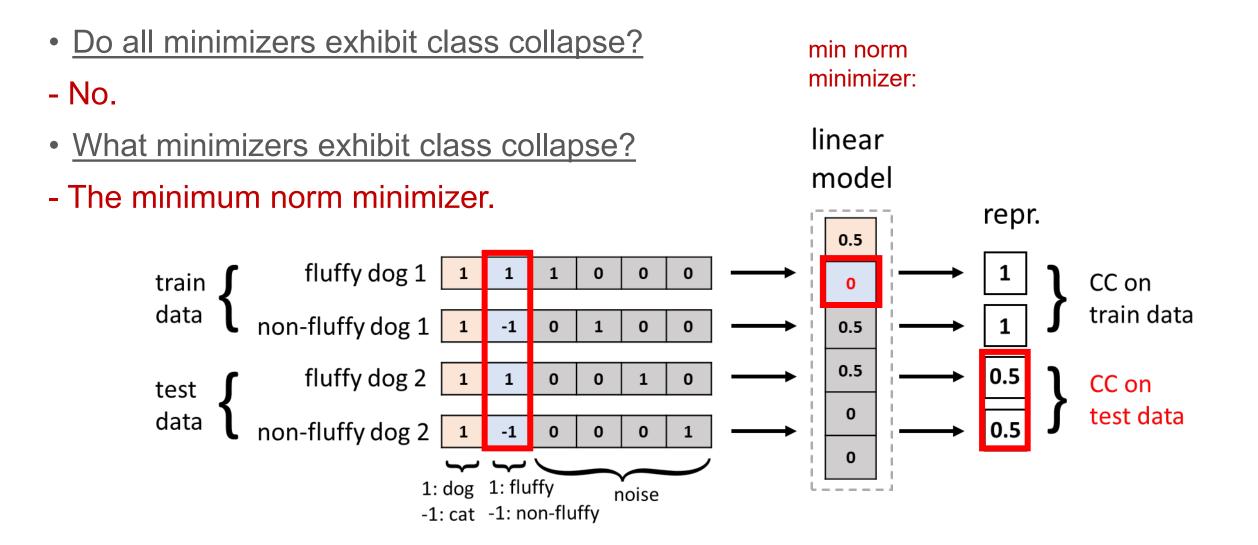
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Theorem (informal): The minimum norm minimizer **does not learn** the **subclass features** at all and therefore exhibits class collapse on the population.



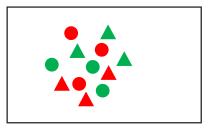




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- Subclasses are **learned** and then **unlearned**. (provably)

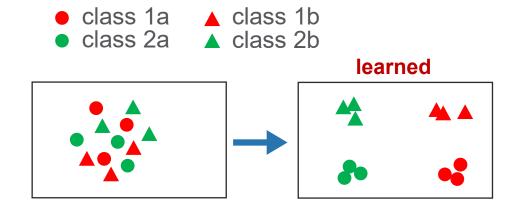
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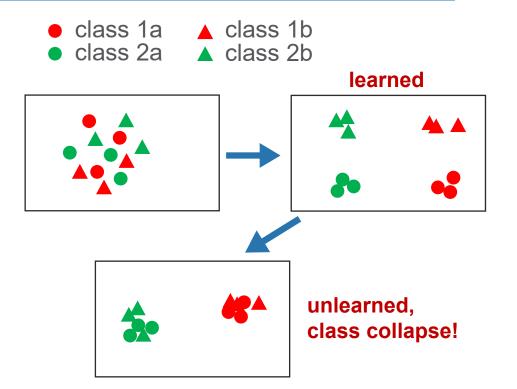


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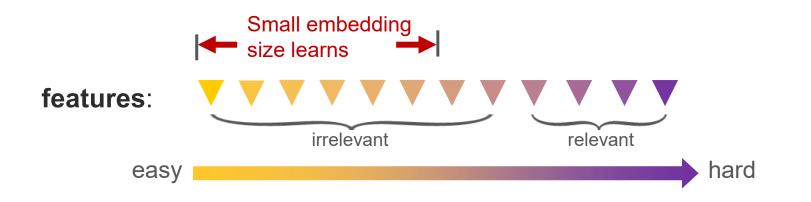
Conjecture: the optimization algorithm's bias toward simple (e.g., min norm) solutions.

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Theorem (informal): With (1) <u>easy-to-learn task-irrelevant features</u> and (2) <u>insufficient</u> <u>embedding size</u>, the **min norm minimizer** exhibits feature suppression.

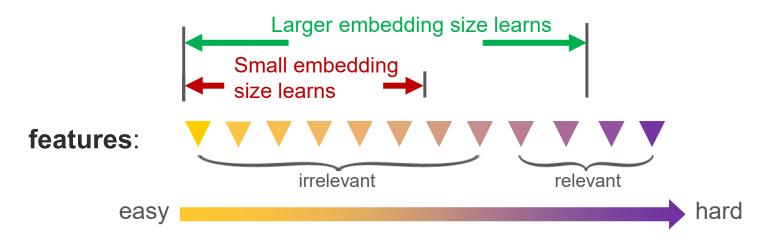


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This suggests increasing embedding size as a solution (even for neural networks)

Embedding size	Downstream accuracy
4	86.73
64	96.82
128	97.65

E.g., larger embedding size leads to better downstream performance on CIFAR10-RandBit

Many factors can contribute to feature suppression.

• Data augmentation:

Theorem (informal): With (1) <u>highly diverse irrelevant features</u> and (2) <u>imperfect data</u> <u>augmentation</u>, the **min norm minimizer** exhibits feature suppression, even with arbitrarily large embedding size.

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downstream task: digit classification; but images have distinct backgrounds



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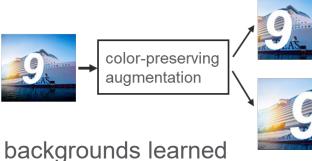








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digits learned

Joint loss = β * Supervised CL loss + $(1 - \beta)$ * Unsupervised CL loss

We provide the first theoretical justification for the joint loss.

Theorem (informal): The joint loss can avoid both class collapse and feature suppression.

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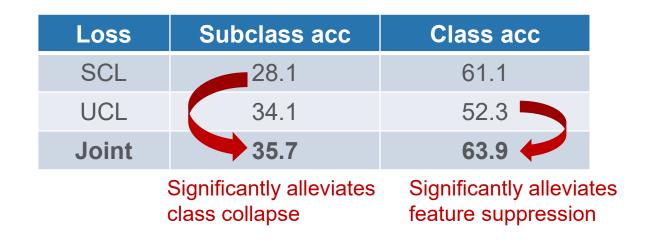
Loss	Subclass acc	Class acc
SCL	28.1	61.1
UCL	34.1	52.3
Joint	35.7	63.9

E.g., joint loss leads to better class and subclass accuracies on CIFAR100-RandBit

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Thank You

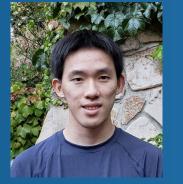
Come to our poster for more details! Poster location & time: *Exhibit Hall 1 #218, Thu 27 Jul*



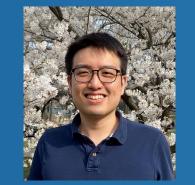
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