

# Short-Term Plasticity Neurons Learning to Learn and Forget

Hector Garcia Rodriguez

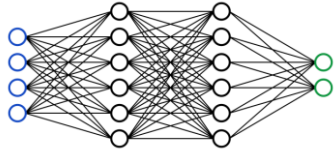
Qinghai Guo

Timoleon Moraitis



# Motivation: Biological vs Artificial Neural Networks

## Artificial NNs



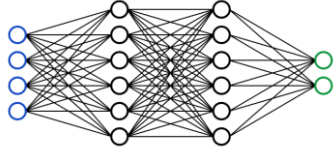
- Abstract inspiration from biology.

## Biological NNs

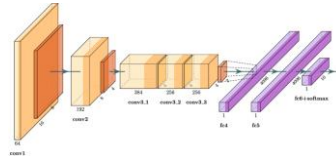


# Motivation: Biological vs Artificial Neural Networks

## Artificial NNs



- Abstract inspiration from biology.
- Limitations compared to animals and humans.
  1. Long training, big data
  2. Difficulty in dynamic environments
  3. Ad hoc, task-specific architectures
  4. High computational demands

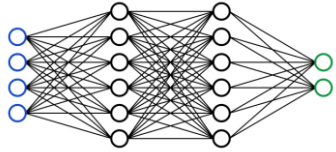


## Biological NNs

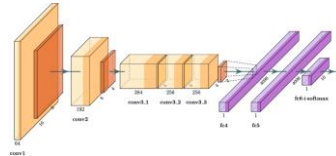


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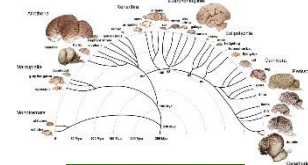
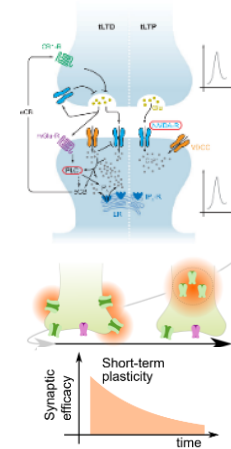
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## Biological NNs



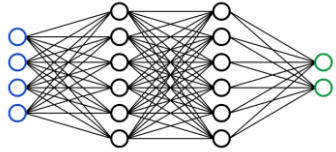
- Unique mechanisms, missing from ANNs.



1. Complex synaptic plasticity for learning
2. Dynamically changing chemical concentrations
3. Shared principles across brain areas and species
4. Extreme energy efficiency in neurons and synapses

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## Artificial NNs



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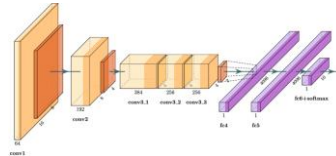
1. Long **training**, big data



2. Difficulty in **dynamic** environments



3. Ad hoc, **task-specific** architectures



4. High computational **demands**

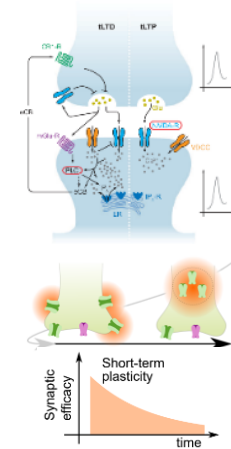


## Biological NNs



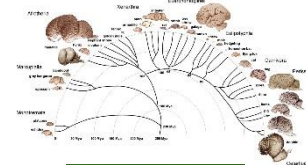
- Unique mechanisms, missing from ANNs.
- The mechanisms are closely related to the advantages.

1. Complex synaptic **plasticity** for learning



2. **Dynamically** changing chemical concentrations

3. **Shared** principles across brain areas and species



4. Extreme energy **efficiency** in neurons and synapses

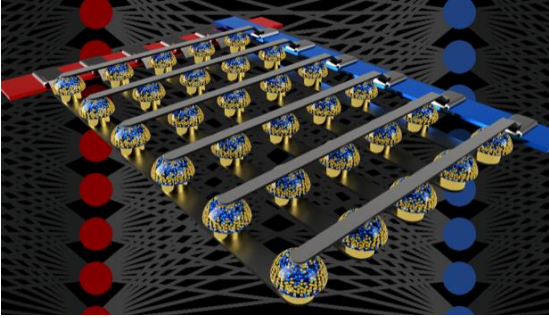


# Background: Neuromorphic Computing

Conversion of biophysical operations into (hardware) models of computation.

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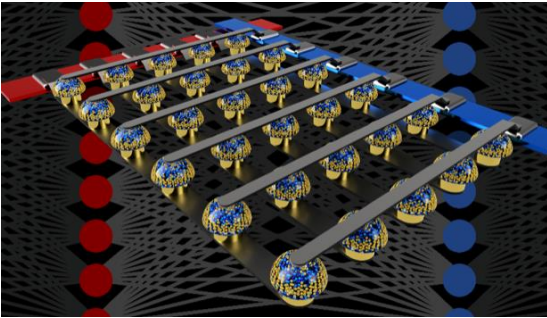
Ambrogio et al., 2018

Energy efficiency through physics of electronics.



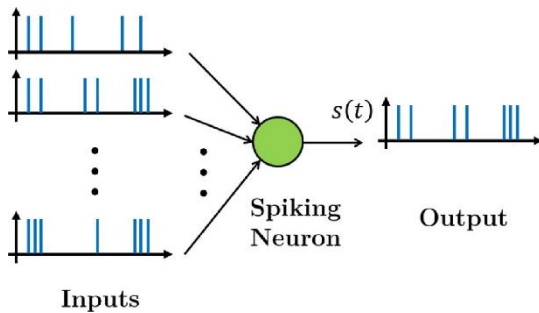
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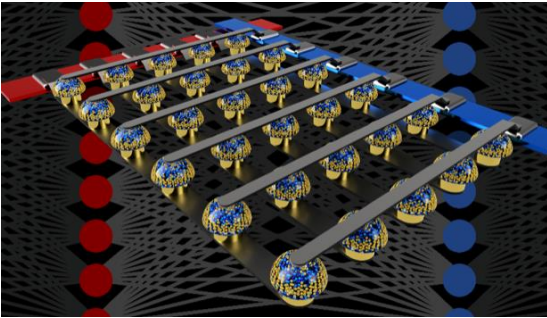
Anwani & Rajendran, 2019

The field has focused on Spiking Neural Networks.



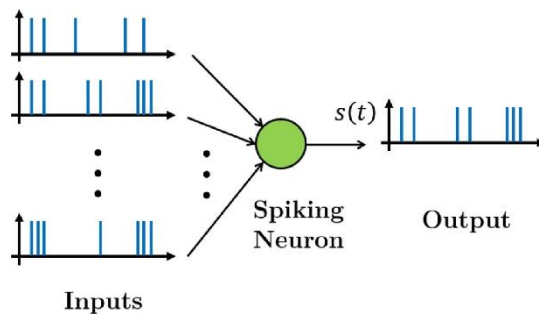
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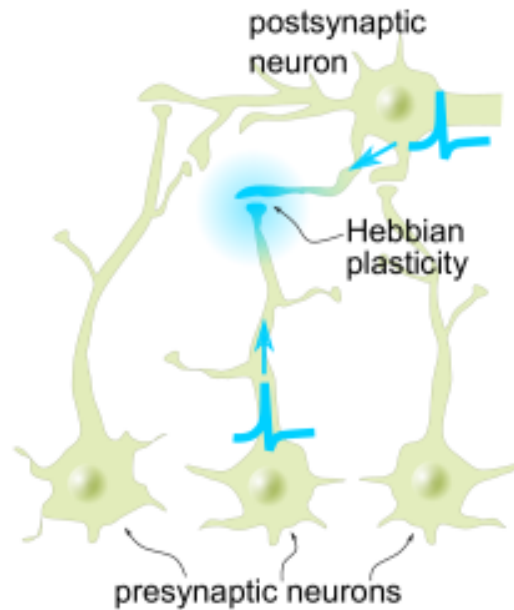
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The field has focused on Spiking Neural Networks.

- We also used a neuromorphic mechanism (STP).
- But:
- We improved **both efficiency and proficiency**.
  - We showed advantages **beyond SNNs, in state-of-the-art ML**.

# Background: Plasticity

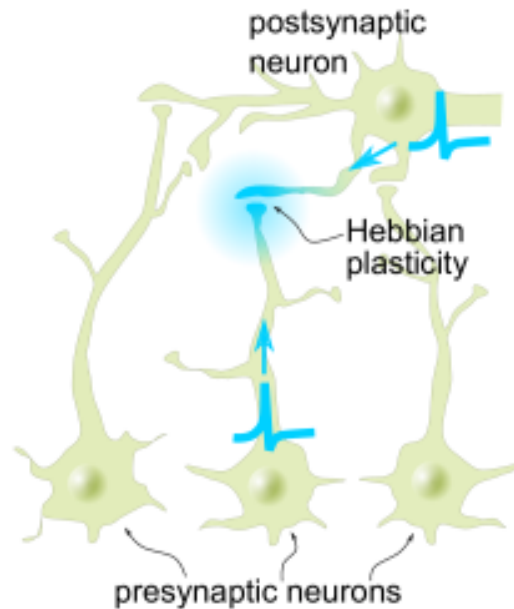
- E.g. Hebbian plasticity, “Fast Weights”
- Local learning in the brain



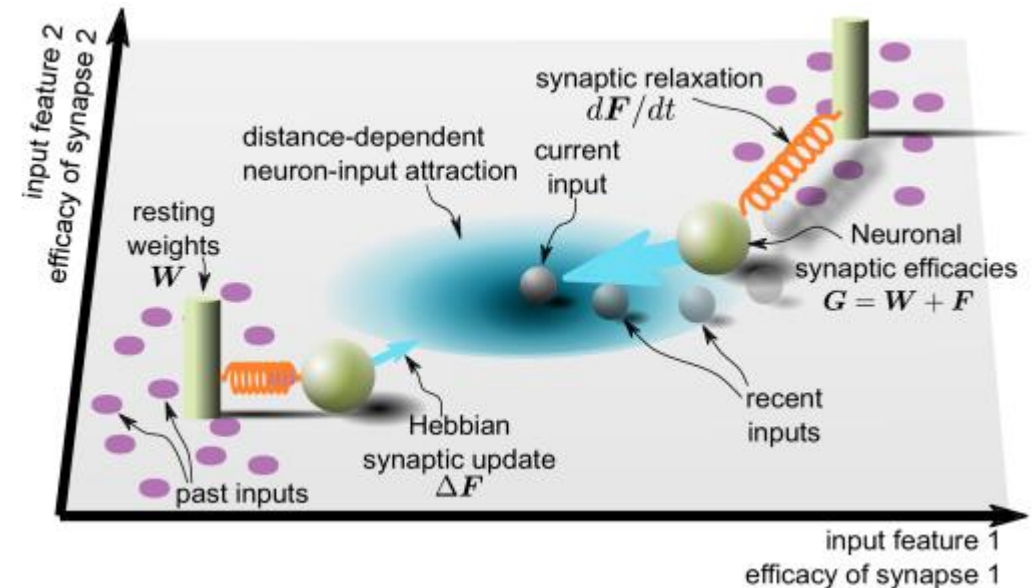
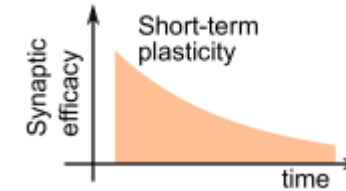
Moraitis et al., 2020

# Background: Plasticity and Short-Term Plasticity

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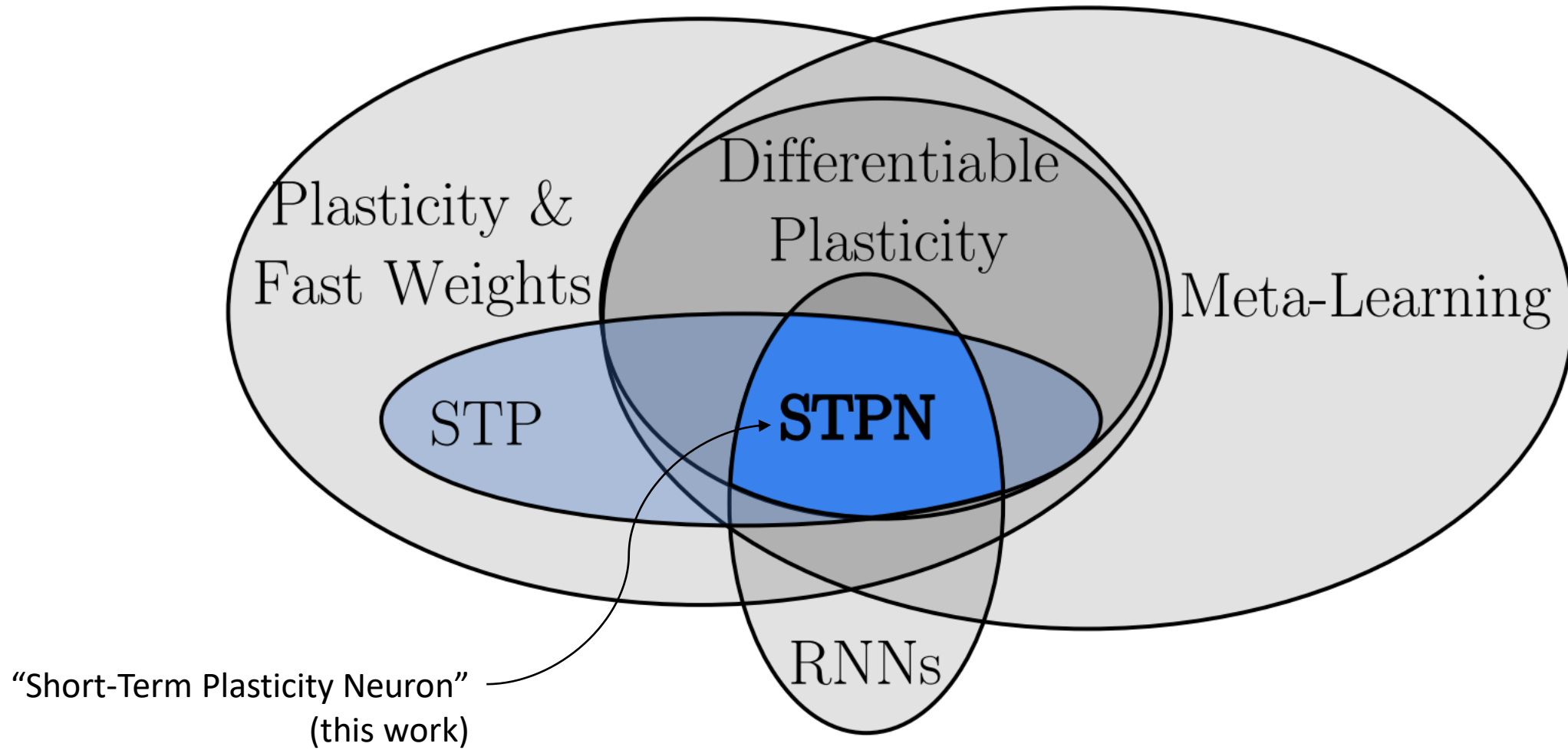


- Short-term plasticity (STP)
- Decaying effect of weight updates



➤ Hebbian STP: models certain dynamic environments optimally, in theory (Moraitis et al. 2020).

# Background concepts



# The Short-Term Plasticity Neuron (STPN)

$$\mathbf{h}^{(t)} = \sigma(\mathbf{G}^{(t)} \mathbf{x}^{(t)})$$

- Split synaptic efficacy  $\mathbf{G}$  into long-term weight  $\mathbf{W}$  and short-term component  $\mathbf{F}$

$$\mathbf{G}^{(t)} = \mathbf{W} + \mathbf{F}^{(t)}$$

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- Update short-term component with Hebbian product and decay dynamics

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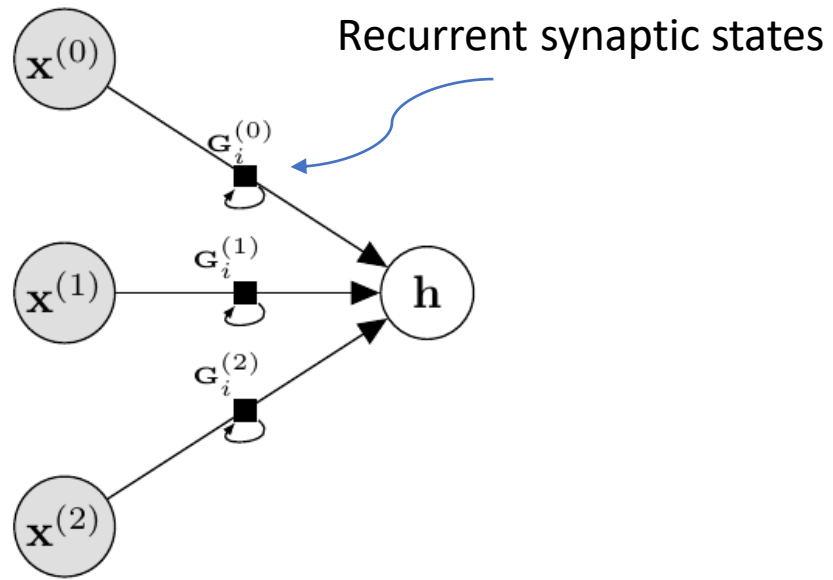
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Recurrent synaptic state



# The Short-Term Plasticity Neuron (STPN)

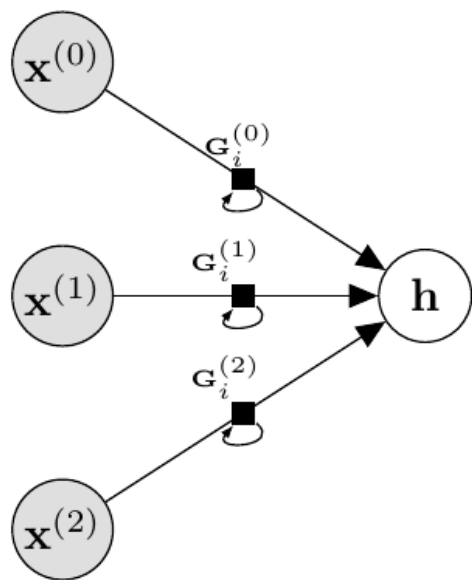
## STPN-F (feed-forward)



$$\begin{aligned} h^{(t)} &= \sigma(\mathbf{G}^{(t)} \mathbf{x}^{(t)}) \\ \mathbf{F}^{(t+1)} &= \gamma \odot (\mathbf{x}^{(t)} \otimes \mathbf{h}^{(t)}) \\ &\quad + \lambda \odot \mathbf{F}^{(t)} \end{aligned}$$

# The Short-Term Plasticity Neuron (STPN)

STPN-F (feed-forward)

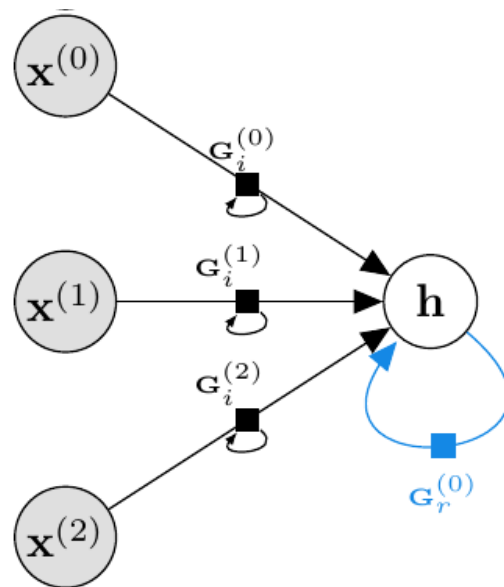


$$h^{(t)} = \sigma(G^{(t)} \mathbf{x}^{(t)})$$

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STPN-R (recurrent)



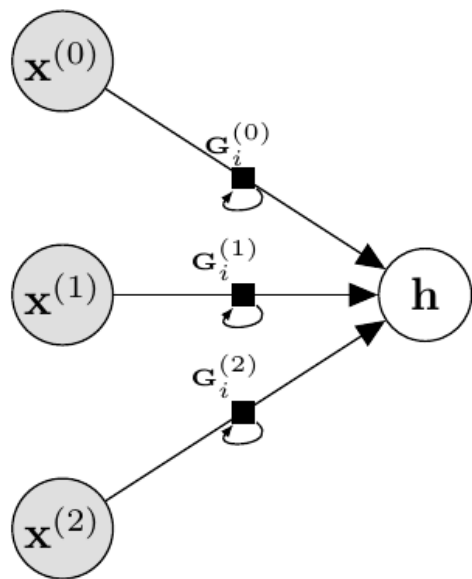
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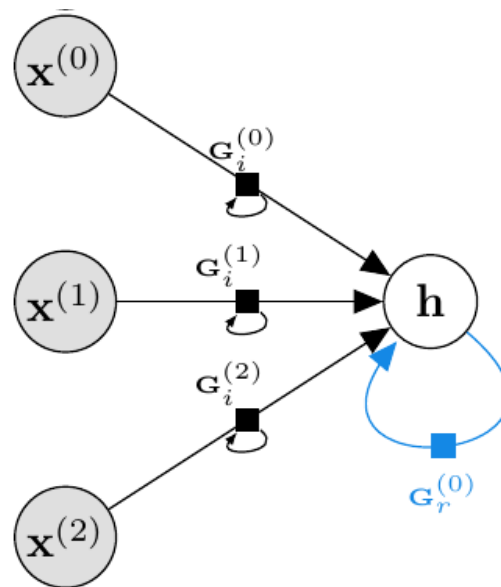


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...STPN-L? (LSTM-like)

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STP on  $\mathbf{F}$   
(and  $\mathbf{G}$ ):

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BPTT on  
 $\gamma$  and  $\lambda$   
(and  $\mathbf{W}$ ):

learning

to learn

and forget

# Experiments: Tasks

- Supervised Learning
- Reinforcement Learning
- 4 tasks



# Experiments: Tasks

## Associative Retrieval Task

Ba et al., 2016

input

c9 k8 j3 f1 ?? k

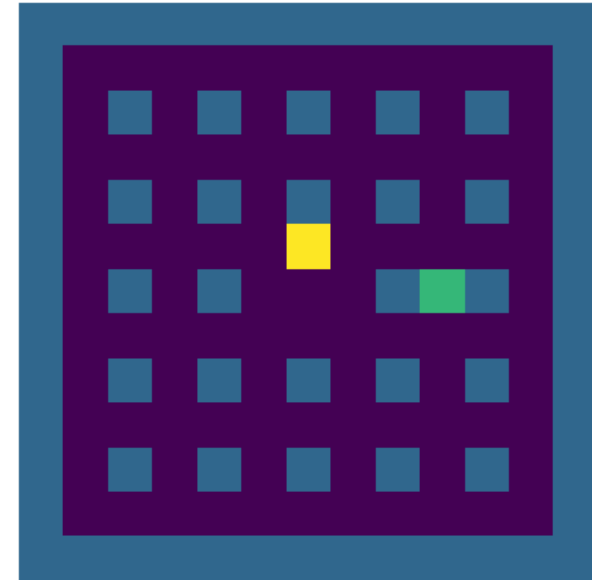
target

8

- Memorisation and retrieval of associations presented sequentially

## Maze exploration

Miconi et al., 2018



- Meta-learning to:
  - Adapt to variations in the maze
  - Change between exploration and exploitation

- Previously used to test models with *fast weights*

# Experiments: Tasks

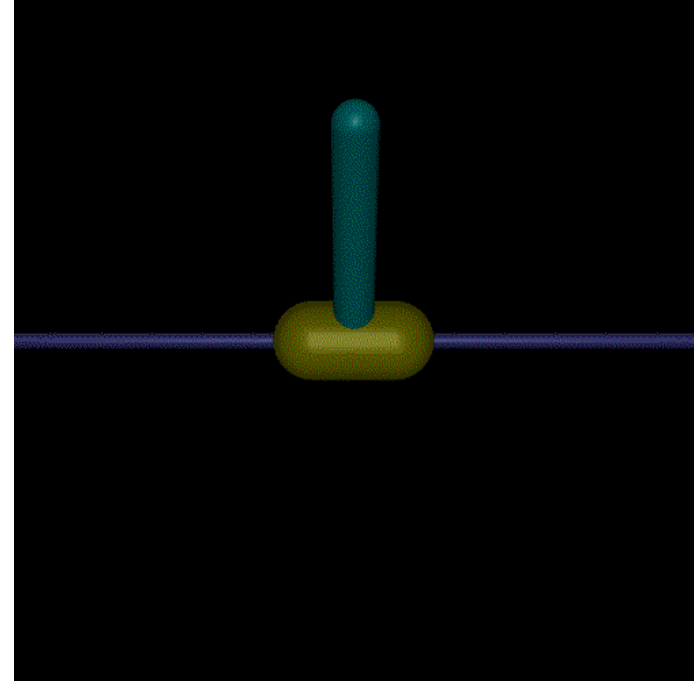
## Atari Pong

Bellemare et al., 2013



## MuJoCo Inverted Pendulum

Todorov et al., 2012



- More complex tasks, previously not tested for models with *fast weights*
- RNNs part of competitive solutions

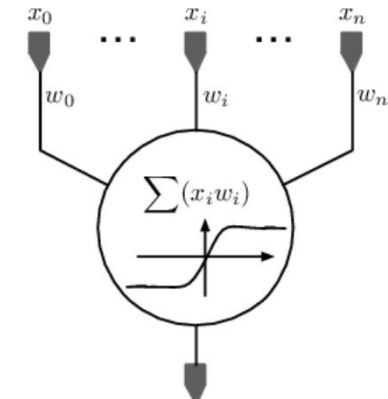
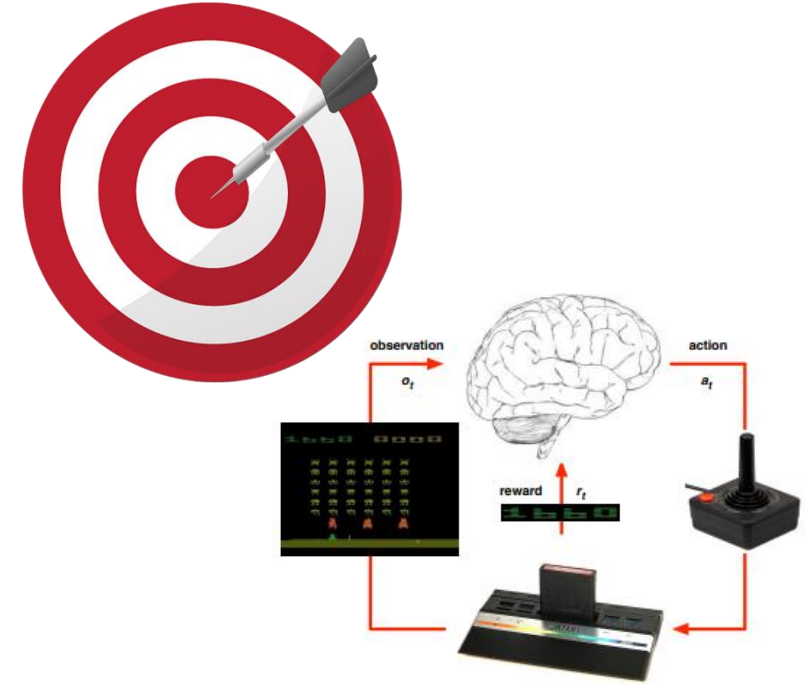
# Experiments: Metrics

We evaluated:

- Proficiency (Accuracy, reward)
- Efficiency (1/energy)
  - Power consumption of weighting operations
  - Assuming analog biological implementation/neuromorphic hardware

$$P = V^2 g$$

Electric power consumption      Input (voltage)      Synaptic efficacy (conductance)



Amant et al., 2014

# Experiments: Baselines

We compared STPN with:

- *Fast weights* SOTA models
  - Fast weights RNN (Ba et al., 2016)
  - Differentiable plasticity (Miconi et al., 2019)
- Commonly used NNs
  - LSTM
  - RNN
  - MLP

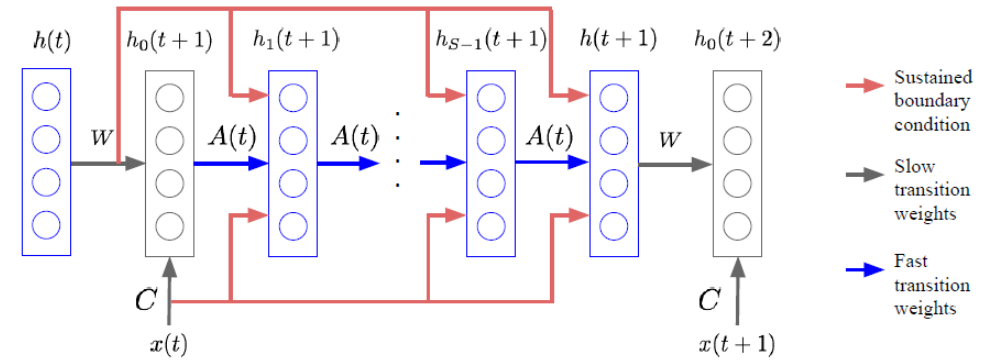
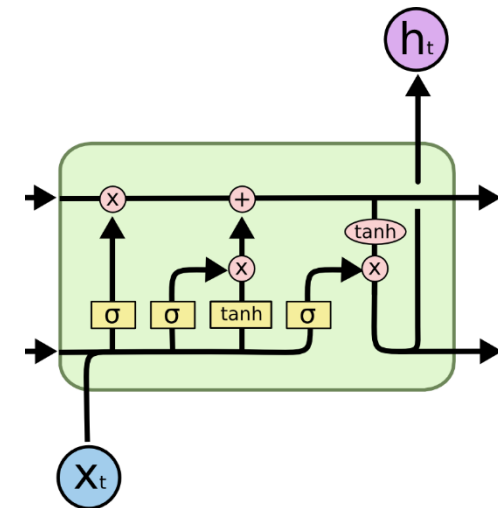


Figure 1: The fast associative memory model.

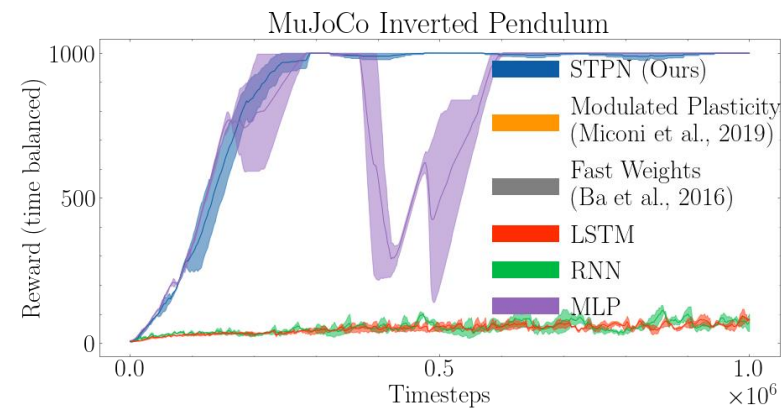
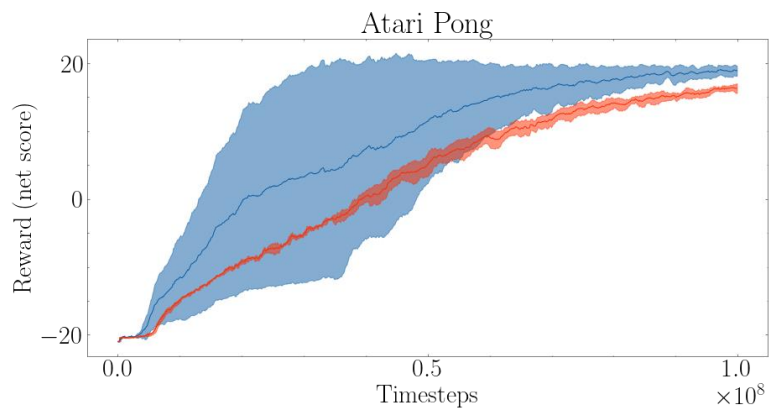
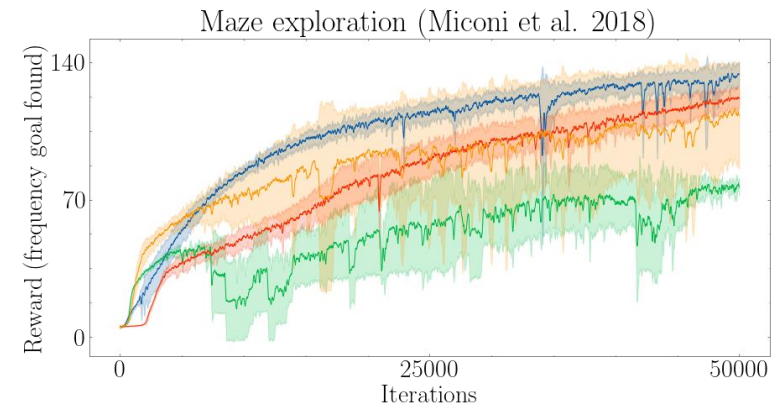
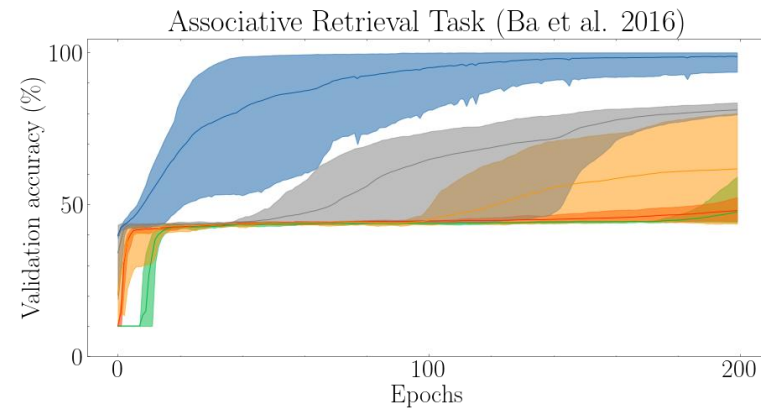
Ba et al., 2016



LSTM Illustration by Olah C., 2015

# Results: Proficiency

- STPN obtained highest accuracy and reward
  - Than all baselines
  - In all tasks



# Results: Efficiency

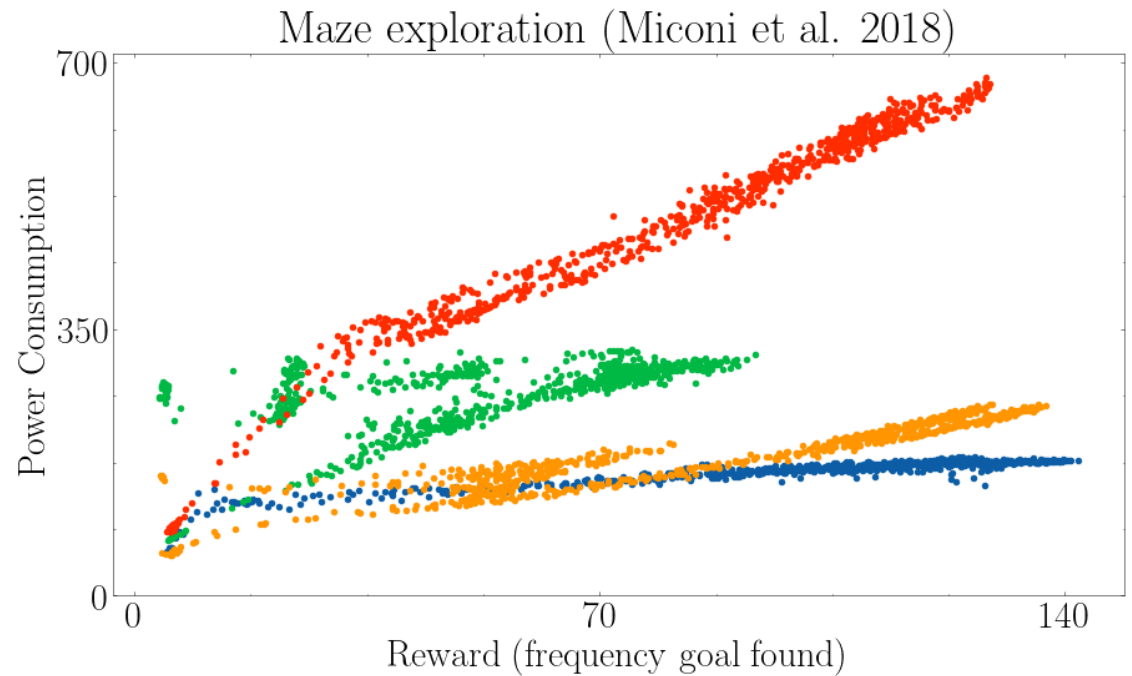
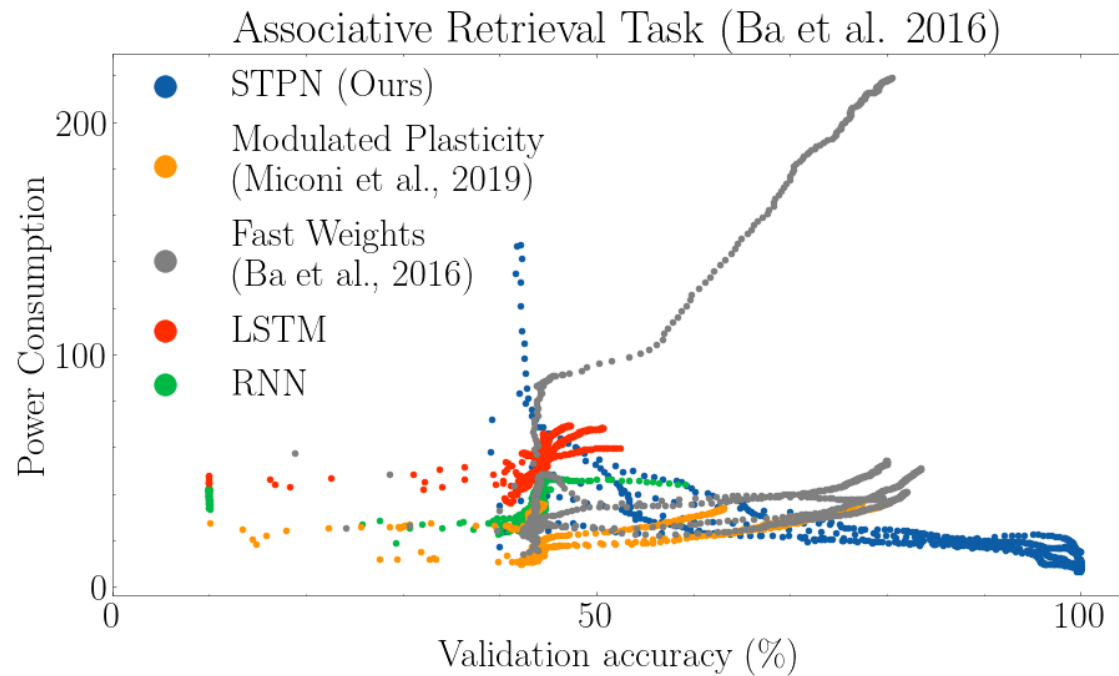
- STPN is also significantly more energy-efficient, up to 10x
  - Than all baselines
  - In all tasks

*Table 4.* Power consumption of trained models during inference. Average over multiple inference runs and timesteps within a run, reported mean and standard deviation over seeds.

Model	Associative Retrieval	Maze Exploration	Pong	Inverted Pendulum
STPN (Ours)	<b><math>10.9 \pm 3.8</math></b>	<b><math>181.1 \pm 2.9</math></b>	<b><math>52.7 \pm 6.4</math></b>	<b><math>7.9 \pm 2.5</math></b>
LSTM	$65.6 \pm 3.4$	$649.1 \pm 15.3$	$576.8 \pm 33.5$	$758.8 \pm 81.7$
RNN	$43.0 \pm 4.9$	$330.6 \pm 24.3$	-	$143.0 \pm 22.4$
Modulated plasticity	$32.0 \pm 7.4$	$231.6 \pm 23.9$	-	-
Fast Weights	$80.6 \pm 69.4$	-	-	-
MLP	-	-	-	$115.8 \pm 33.9$

# Results: Efficiency

- Power consumption remains low even as proficiency increases.
  - Despite no explicit optimization of efficiency.
  - Learning to depress irrelevant synapses improves both.





# Summary

- STPN: a **new recurrent model** founded on ML theory and neuroscience
- Trainable STP through **recurrency within each synapse**
- **Meta-learning** to learn *and forget* through BPTT + STP
- **Highest accuracy** and reward
  - In **multiple tasks**
  - Than **SOTA** recurrent and plastic models
- A new method for **energy efficiency in neuromorphic hardware**
- Increases importance of **STP's role in biology**
- Learning to forget might tackle ***catastrophic forgetting***

