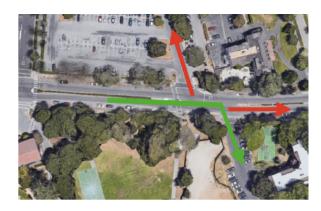
A State-Distribution Matching Approach to Non-Episodic Reinforcement Learning

Archit Sharma*, Rehaan Ahmad*, Chelsea Finn





"Navigate to the basketball court"



"Navigate to the basketball court"



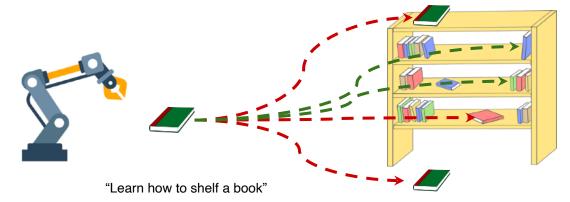
"Grasp the mug"





"Grasp the mug"

"Navigate to the basketball court"

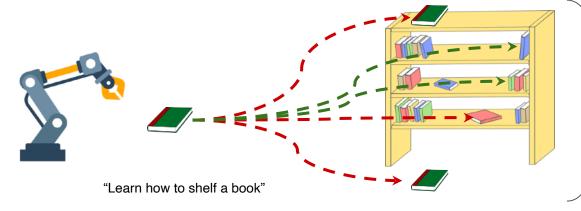






"Grasp the mug"

"Navigate to the basketball court"

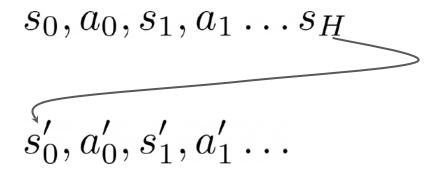


Several thousands of trials!

$$s_0, a_0, s_1, a_1 \dots s_H$$

$$s_0, a_0, s_1, a_1 \dots s_H$$

$$s'_0, a'_0, s'_1, a'_1 \dots$$



How does this happen?

$$s_0, a_0, s_1, a_1 \dots s_H$$
 $s_0', a_0', s_1', a_1' \dots$

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```
import gym
env = gym.make("CartPole-v1")
observation = env.reset()
for _ in range(1000):
    env.render()
    action = env.action_space.sample() # yo
    observation, reward, done, info = env.s

if done:
    observation = env.reset()
env.close()
```

[Code snippet from https://gym.openai.com/]

$$s_0, a_0, s_1, a_1 \dots s_H$$
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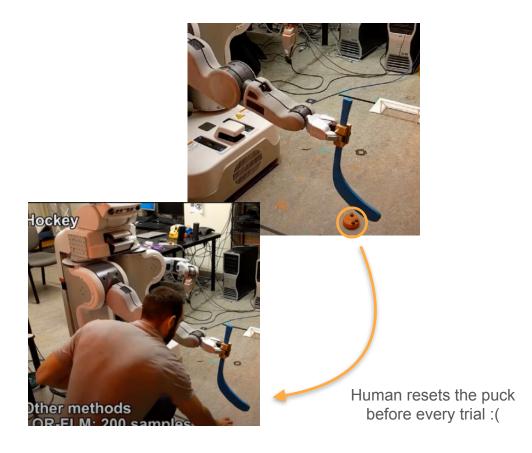
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```

[Code snippet from https://gym.openai.com/]

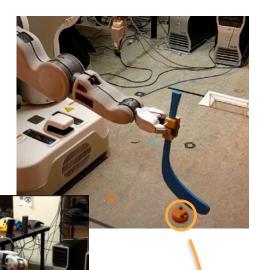
Only in simulation!



[Combining model-based and model-free updates for trajectory-centric reinforcement learning, Chebotar et al. 2017]



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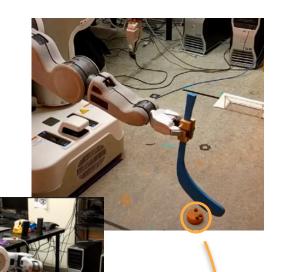


[Collective Robot Reinforcement Learning with Distributed Asynchronous Guided Policy Search, Yahya et al. 2016]

Human resets the puck before every trial :(

[Combining model-based and model-free updates for trajectory-centric reinforcement learning, Chebotar et al. 2017]

Other methods



Human closes the door before every trial:(



[Collective Robot Reinforcement Learning with Distributed Asynchronous Guided Policy Search, Yahya et al. 2016]

Human resets the puck before every trial :(

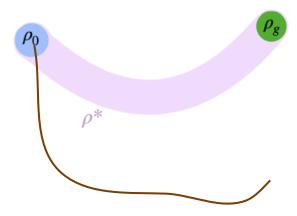
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Other methods

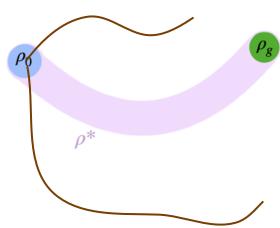
Episodic Learning



Episodic Learning

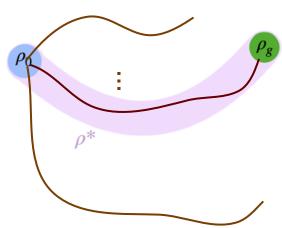


Episodic Learning



Can always retry the task from initial state distribution

Episodic Learning

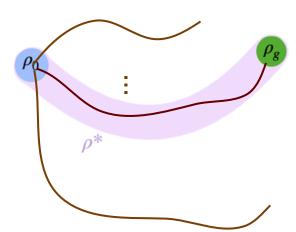


Can always retry the task from initial state distribution

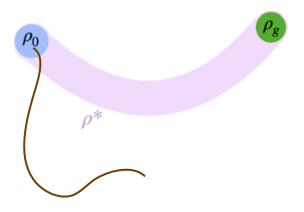
the task from initial state distribution

Non-Episodic Learning **Episodic Learning** Can always retry

Episodic Learning



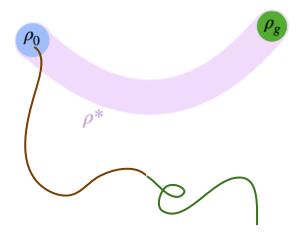
Can always retry the task from initial state distribution Non-Episodic Learning



Episodic Learning

 ρ_{g}

Can always retry the task from initial state distribution Non-Episodic Learning

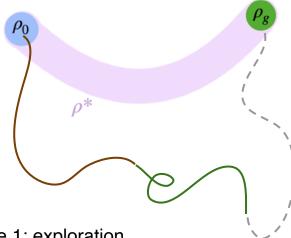


Challenge 1: exploration can cause the agent to drift far away

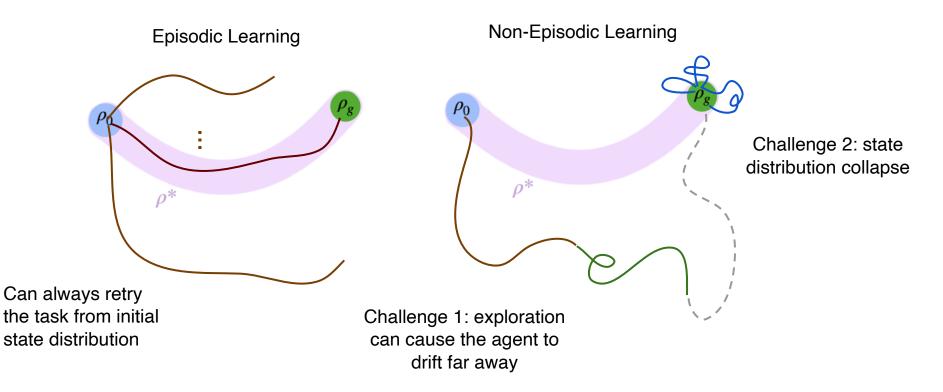
Episodic Learning

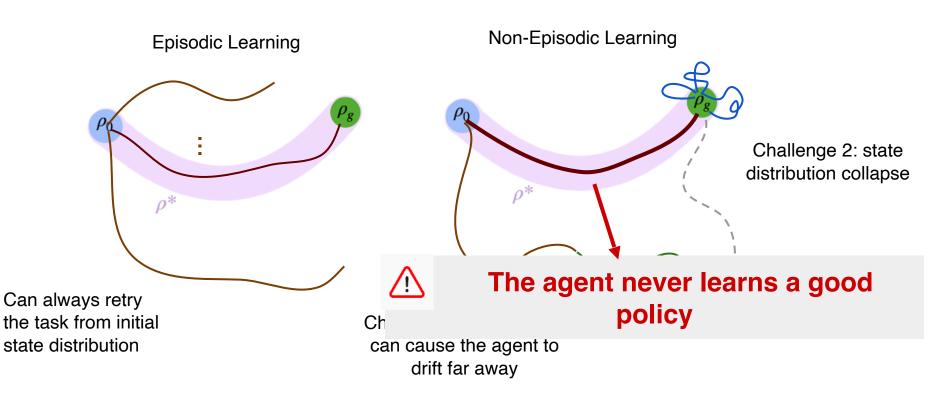
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Can always retry the task from initial state distribution Non-Episodic Learning



Challenge 1: exploration can cause the agent to drift far away

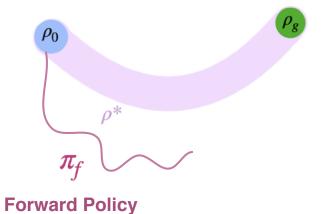




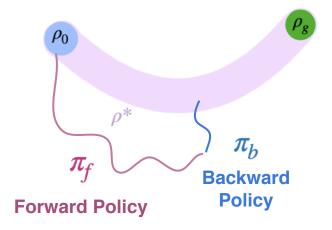




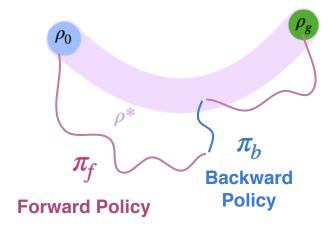




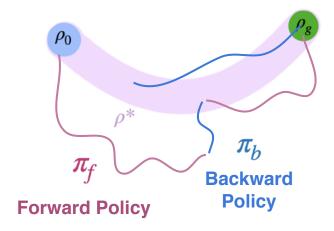






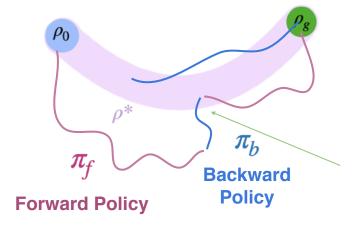








Matching Expert Distributions for Autonomous Learning

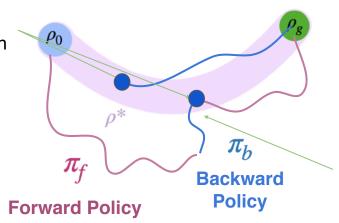




Addressing challenge 1: agent doesn't drift away

Matching Expert Distributions for Autonomous Learning

Addressing challenge 2: backward policy avoids collapse of state distribution

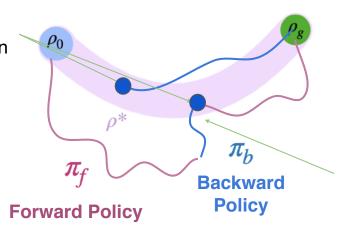




Addressing challenge 1: agent doesn't drift away

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Matching Expert Distributions for Autonomous Learning

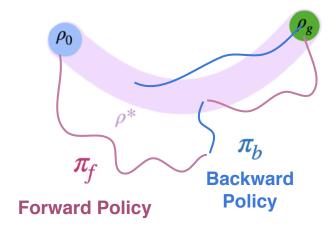




Addressing challenge 1: agent doesn't drift away

Pro: Forward policy tries the task from wide set of initial states, both easy and hard, improving the sample efficiency [1]

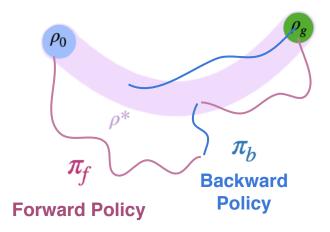
MEDAL Overview



forward policy

$$\mathbb{E}\left[\sum_{t=0}^{\infty} \gamma^t r(s_t, a_t)\right]$$

Matching Expert Distributions for Autonomous Learning



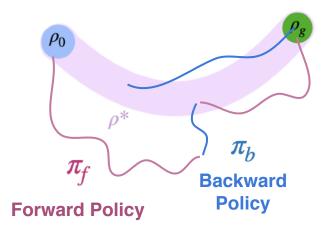
forward policy

$$\mathbb{E}\left[\sum_{t=0}^{\infty} \gamma^t r(s_t, a_t)\right]$$

backward policy

$$\left| \gamma^t r(s_t, a_t) \right| = \mathcal{D}_{\mathrm{JS}}(
ho^{\pi_b}(s) \mid\mid
ho^*(s))$$

Matching Expert Distributions for Autonomous Learning



forward policy

backward policy

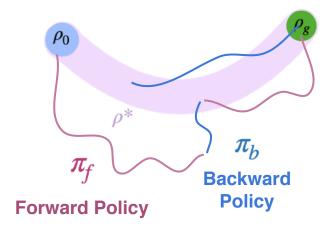
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How do we minimize the $\,\mathcal{D}_{
m JS}\,$? Using the small set of demonstrations, learn a classifier C(s) :

$$C(s) = \begin{cases} +1 & s \in \text{demos} \\ -1 & s \sim \rho^{\pi_b}(s) \end{cases}$$

Matching Expert Distributions for Autonomous Learning



forward policy

backward policy

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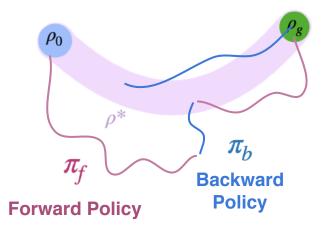
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$$C(s) = \begin{cases} +1 & s \in \text{demos} \\ -1 & s \sim \rho^{\pi_b}(s) \end{cases}$$

and the backward policy maximizes:

$$-\mathbb{E}\left[\sum_{t=0}^{\infty}\log(1-C(s_{t+1}))\right]$$

Matching Expert Distributions for Autonomous Learning



EARL Benchmark

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Training: reset every 200k steps

EARL Benchmark

Training: reset every 200k steps **Evaluation**: policy performance

from ρ_0

EARL: Sharma*, Xu* et al. Autonomous Reinforcement Learning: Formalism and Benchmarking, ICLR 2022.

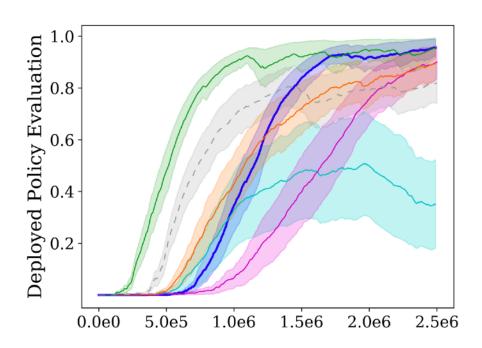
VaPRL: Sharma et al. *Autonomous Reinforcement Learning via Subgoal Curricula*. NeurIPS 2021.

FBRL: Han et al. Learning Compound Multi-Step Controllers under Unknown Dynamics. IROS 2015. R3L: Zhu et al. The Ingredients of Real-World Robotic Reinforcement Learning. ICLR 2020.

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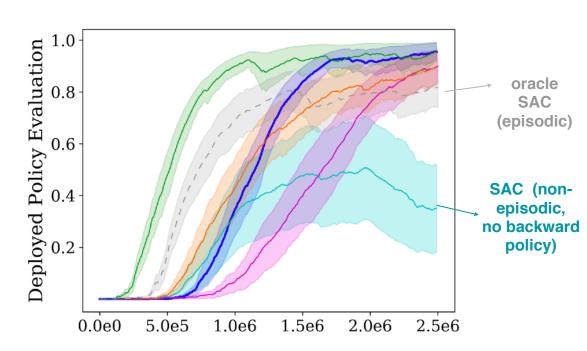
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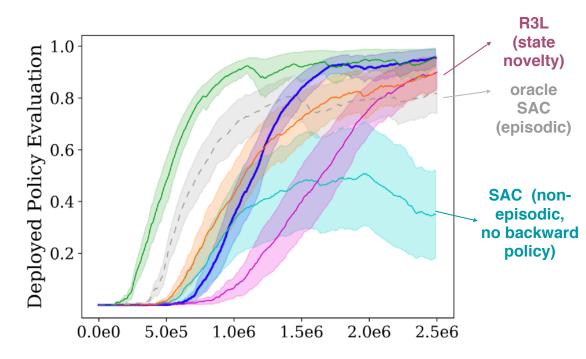
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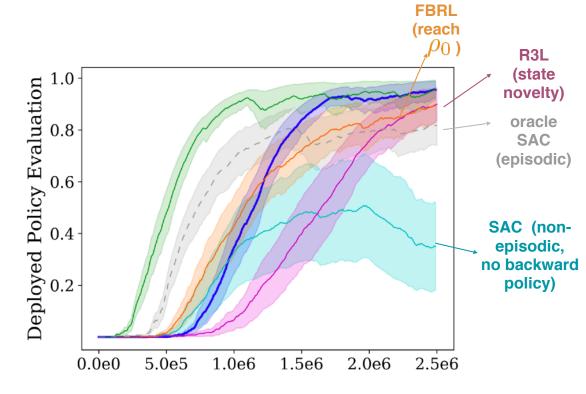
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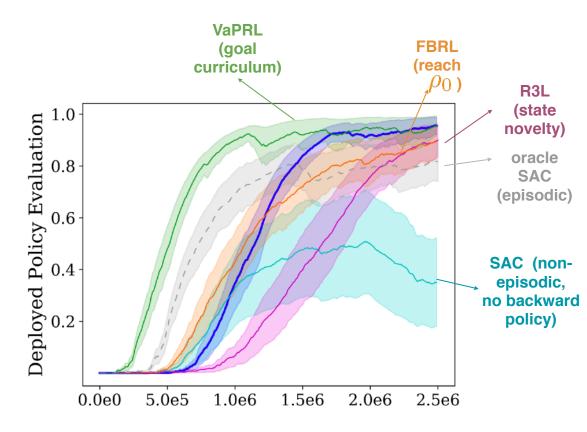
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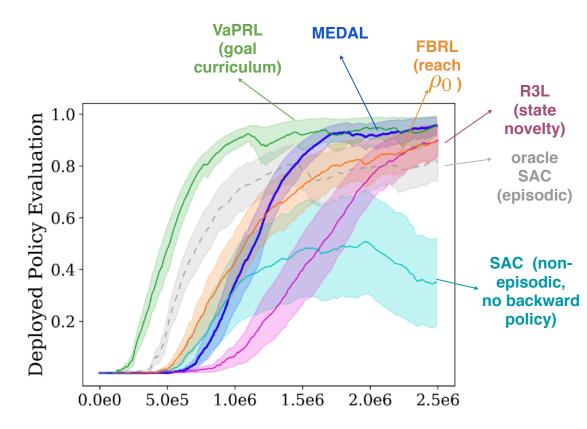
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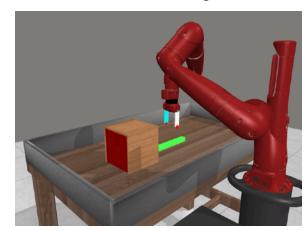
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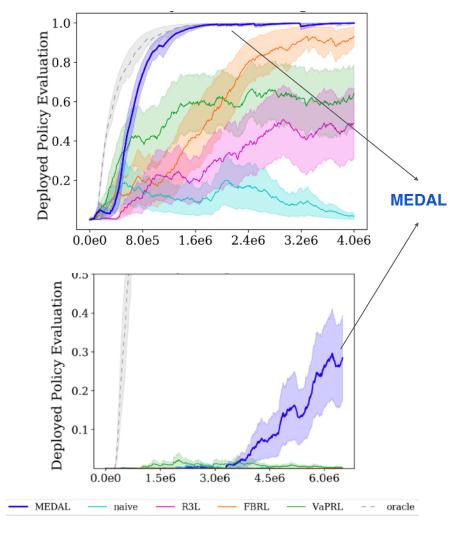
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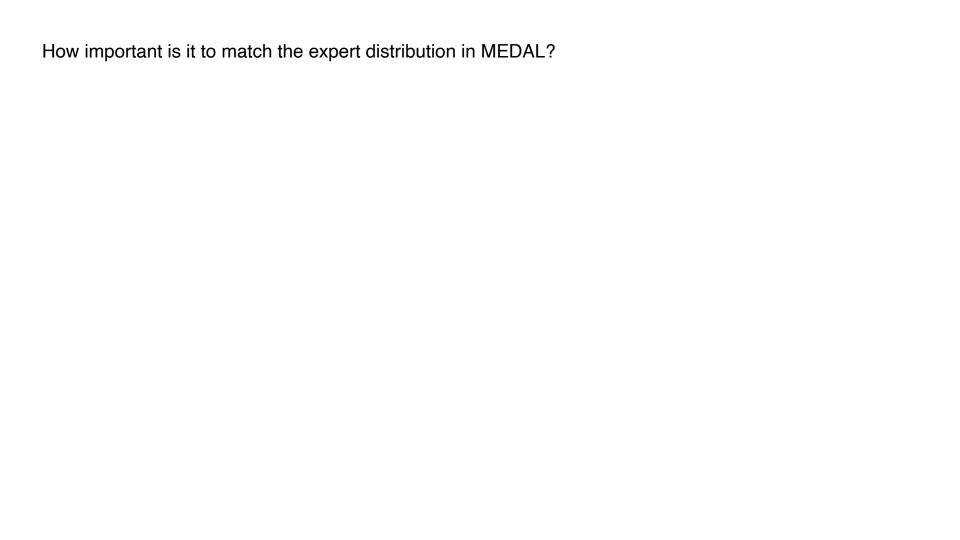


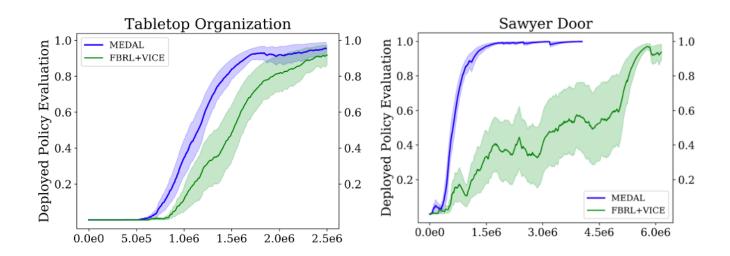
Door Closing

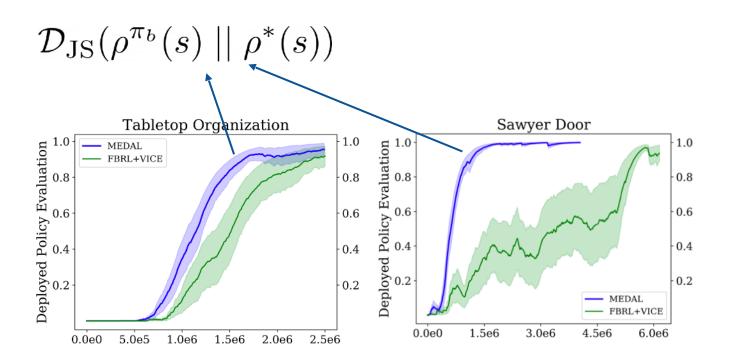


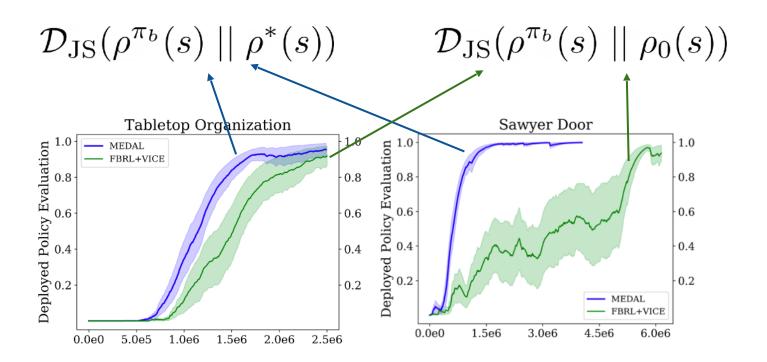
Peg Insertion











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Website: https://sites.google.com/view/medal-arl/home

Code: https://github.com/architsharma97/medal



Archit Sharma



Rehaan Ahmad



Chelsea Finn