Coarsening the Granularity: Towards Structurally Sparse Lottery Tickets

[ICML 2022] Tianlong Chen¹, Xuxi Chen¹, Xiaolong Ma², Yanzhi Wang², Zhangyang Wang¹

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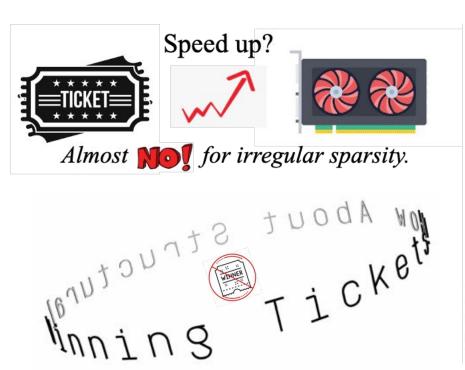




Agenda

- > The Current Limitation of (Unstructured) Lottery Tickets
- Insightful Findings
- Our Solutions
- > Our Main Experimental Results

The Current Limitation of (Unstructured) Lottery Tickets



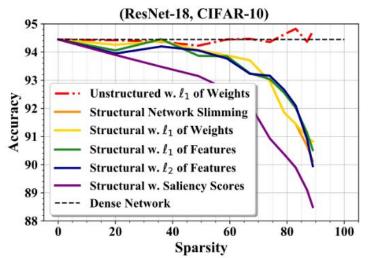
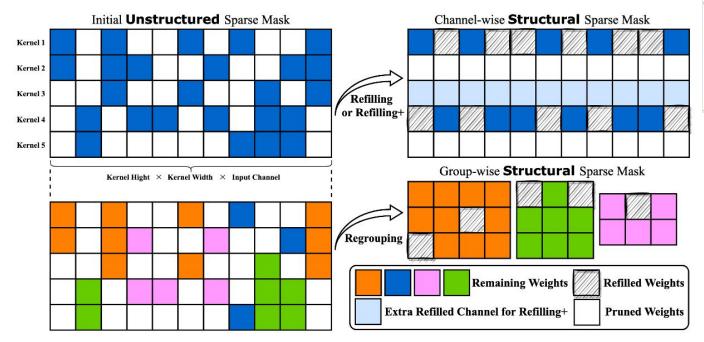


Figure 1. Achieved test accuracy over different sparsity levels of diverse unstructured and structural subnetworks. Sparse models from classical channel-wise structural pruning algorithms (He et al., 2017; Liu et al., 2017; Bartoldson et al., 2019; Molchanov et al., 2019) can not match the full accuracy of the dense model.

Insightful Findings

- To our best knowledge, we are the first to demonstrate the existence of structurally sparse winning tickets at non-trivial sparsity levels (i.e., > 30%), and with both channel-wise and group-wise sparse patterns.
- Extensive experiments validate our proposal on diverse datasets (i.e., CIFAR-10/100, Tiny-ImageNet, and ImageNet) across multiple network architectures, including ResNets, VGG, and MobileNet. Specifically, our structural winning tickets achieve 53.75%~64.93% GPU running time savings at 45%~80% channel- and group-wise sparsity.

Our Solutions



Algorithm 2 IMP-Refill (+)

Input: $f(x; m \odot \theta_i)$ with unstructured sparsity s (Algo. 1) **Output:** $f(x; m \odot \theta_i)$ with channel-wise structural mask m at sparsity \tilde{s}

- 1: Calculate importance scores of each channel according to certain criterion
- 2: Pick top-k channels in m, refill back their 0 (pruned) elements with 1 (trainable) and update m, maintaining $\tilde{s}\sim s$
- 3: Pick and refill back extra channels in m with $\tilde{s}^+ < s$ # Optional for Refill+

Algorithm 3 IMP-Regroup

Input: $f(x; m \odot \theta_i)$ with unstructured sparsity s from Algorithm 1, hyperparameters t_1, t_2, b_1 , and b_2

Output: $f(x; m) \odot \theta_i$ with group-wise structural mask m at sparsity s^*

- 1: while dense block can be found do
- 2: Divide the rows of the sparse pruning mask m into t_1 groups using hypergraph partitioning (hMETIS)^a
 - for group $c_i \in \{c_1, c_2, \dots, c_{t_1}\}$ do
- 4: **if** c_i has $\geq b_1$ rows then
 - Select columns in c_i that has no less than t_2 non-zero items
- 6: **if** $\geq b_2$ columns are selected **then**
- 7: Group and Refill the selected columns as well as rows to a dense block, and update m
- 8: end if
- 9: end if
- 10: end for
- 11: end while
- 12: Set other elements out of dense blocks to 0



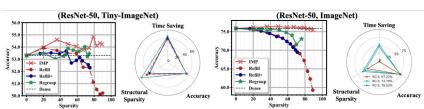


Figure 3. (Curve plots) Testing accuracy (%) over network sparsity (%) on Tiny-ImageNet and ImageNet datasets with ResNet-50 (25.56 M). (Radar plots) The end-to-end inference time saving of extreme structural winning tickets. Unstructured subnetworks or dense models do not have structural sparsity, and thus they are plotted as dots in the axes of accuracy in the corresponding radar plot. The rightmost plot includes three extreme regroup tickets with accuracy drop < 1%, where "RC S: #%" indicates unstructured sparsity before regrouping.

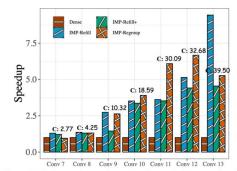


Figure 7. The layer-wise performance of convolution operations in extreme structural winning tickets of (VGG-16, C10). The first six conv. operations are omitted since there is no meaningful speedup, coincided with Rumi et al. (2020). Marks like "C: 2.77" indicate the layer-wise compression ratio of IMP-Regroup.

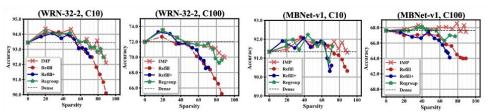


Figure 4. Testing accuracy (%) over sparsity (%) on CIFAR-10/100 with Wide-ResNet-32-2 (1.86 M) and MobileNet-v1 (3.21 M).

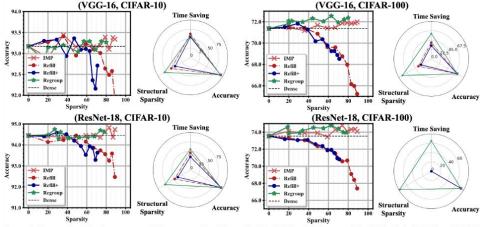


Figure 5. (Curve plots) Testing accuracy (%) over sparsity (%) on CIFAR-10/100 with large models VGG-16 (14.72 M) and RN-18 (11.22 M). (Radar plots) The end-to-end inference time saving of extreme structural winning tickets. Note that unstructured subnetworks or dense models do not have structural sparsity, and thus they are plotted as dots in the axes of accuracy in the corresponding radar plot.

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The Current Limitation of (Unstructured) Lottery Tickets



Almost for irregular sparsity*

95 (ResNet-18, CIFAR-10) 94 95 Unstructured w. f₁ of Weights Structural Network Slimming Structural N. f₂ of Features Structural w. f₃ of Weights Structural w. f₄ o

Figure 1. Achieved test accuracy over different sparsity levels of diverse unstructured and structural subnetworks. Sparse models from classical channel-wise structural pruning algorithms (He et al., 2017; Liu et al., 2017; Bartoldson et al., 2019; Molchanov et al., 2019) can not match the full accuracy of the dense model.

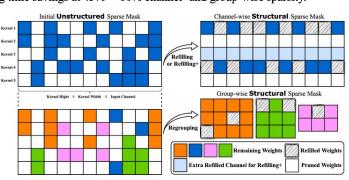
Insightful Findings

- To our best knowledge, we are the first to demonstrate the existence of structurally sparse winning tickets at non-trivial sparsity levels (*i.e.*, > 30%), and with both channel-wise and group-wise sparse patterns.
- □ Extensive experiments validate our proposal on diverse datasets (i.e., CIFAR-10/100, Tiny-ImageNet, and ImageNet) across multiple network architectures, including ResNets, VGG, and MobileNet. Specifically, our structural winning tickets achieve 53.75% ~ 64.93% GPU running time savings at 45% ~ 80% channel- and group-wise sparsity.

Our Solutions

- Refilling
- Refilling+
- Regrouping

* R.K. Some packages like XNNPACK can accelerate unstructured sparse neural networks on certain hardware platforms like smartphone processors.



Our Main Experimental Results

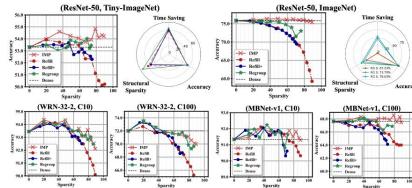


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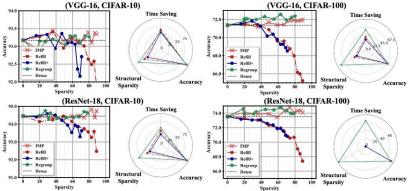


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Q&A