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# LegoNet: Efficient Convolutional Neural Networks with Lego Filters

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## Goal

Motivation

Reuse patterns

### Targeted

Build efficient CNN using a set of Lego Filters

• Lego Filters

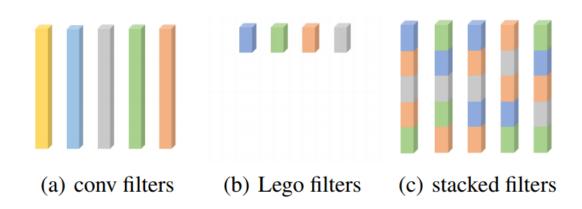
Standard convolution filters are established by a set of shared filters

### Optimization

End-to-end optimization, Straight Through Estimator

### • Efficient Inference

Split-Transform-Merge strategy

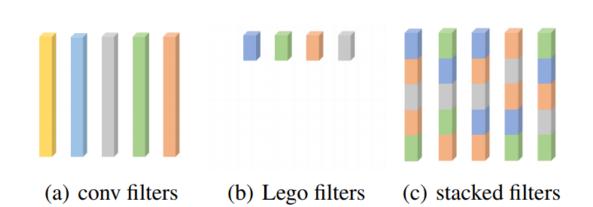




# Lego Filters

- Lego Filters B
  - $B = \{B_1, ..., B_m\}$
- Standard convolution filters F
  - $F = G(B_1, ..., B_m)$ , 4-D tensor G is a generation function.
- Compression condition  $|G| + |B| \le |F|$
- G in LegoNet

Combination



m: the number of Lego Filters

F: standard convolution filters

G: generation function

**B**: lego Filters



## Optimization



### • Targeted

$$\min_{\mathbf{B}, \mathbf{M}^{j}} \sum_{i=1}^{o} \frac{1}{2} ||\mathbf{Y}^{j} - \mathbf{X}_{i}^{\top}(\mathbf{B}\mathbf{M}_{i}^{j})||_{F}^{2},$$
s.t.  $\mathbf{M}_{i}^{j} \in \{0, 1\}^{m \times 1}, ||\mathbf{M}_{i}^{j}||_{1} = 1, i = 1, ..., o.$ 

• Optimize Lego Filters B

Standard BP algorithm

### • Optimize Binary matrix M

Float type proxy weight *N* Straight Through Estimator (STE)

$$\mathbf{M}_{i,k}^{j} = \begin{cases} 1, & if \ k = \arg \max \mathbf{N}_{i}^{j} \\ 0, & otherwise \end{cases}$$
  
s.t.  $j = 1, \dots, n, \ i = 1, \dots, o.$ 

m: the number of Lego FiltersB: Lego FiltersM: binary index matrixN: proxy matrix of M

# • Split

• Split input feature maps X

### Transform

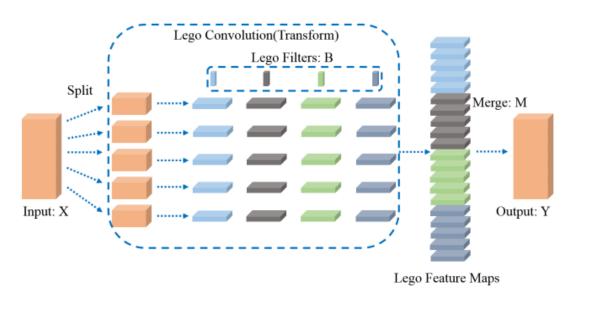
 Convolve feature fragments X = {X<sub>1</sub>, ..., X<sub>o</sub>} with Lego Filters B = {B<sub>1</sub>, ..., B<sub>m</sub>}

### • Merge

 Combine Lego Feature Maps according to learnt combination matrix M

#### m: the number of Lego Filters *o*: split number *B*: Lego Filters *M*: binary index matrix

## Lego Unit & Efficient Inference





# Analysis



### • Compression

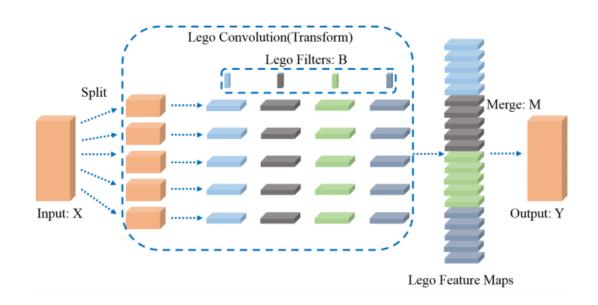
 $\frac{n \times c \times d^2}{m \times \frac{c}{o} \times d^2 + n \times o \times m} \approx \frac{n \times o}{m}.$ 

### Acceleration

$$\frac{n \times c \times d^2 \times d_x^2}{m \times o \times \frac{c}{o} \times d^2 \times d_x^2 + n \times o \times d_x^2} \approx \frac{n}{m}.$$

• Condition

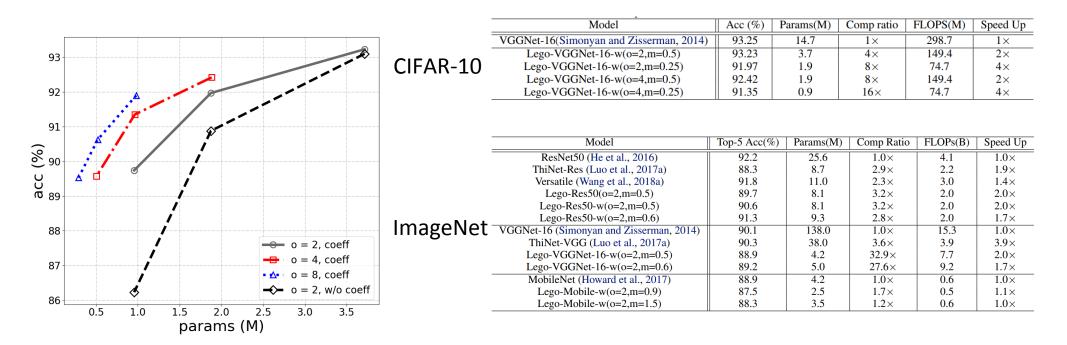
• m ≤ n



m: the number of Lego Filtersn: the number of output channelso: split numberM: binary index matrix

## **Experiments**





Combination with coefficients is important while stacking Lego Filters.

Given same model size, larger split number o results in higher performance (larger FLOPs)



### Conclusion

- Proposed Lego Filters for constructing efficient CNN.
- End-to-end optimization.
- Split-transform-merge three-stage strategy.

### • Future Research

- Parameter in Parameter (use a set of Lego Filters and a small NN to generate 4-D convolution filters)
- Global LegoNet (view network parameters as a whole 4-D tensor)



## **Thanks!**