FR-Train: A Mutual Information-based Fair and Robust Training

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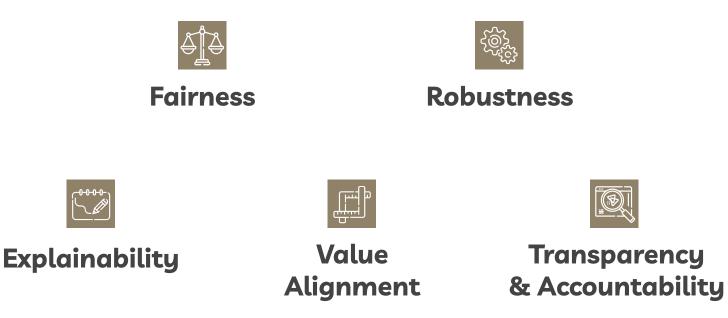
"AI has significant potential to help solve challenging problems,

including by advancing medicine, understanding language, and fueling scientific discovery. To realize that potential, it's critical that AI is used and developed **responsibly**."



"Moving forward, "build for performance" will not suffice as an AI design paradigm. We must learn how to build, evaluate and monitor for **trust**."





Data-related





Transparency & Accountability

Two approaches

Two-step approach: Sanitize data -> Fair training
 Downside: very difficult to "decouple" poisoning and bias



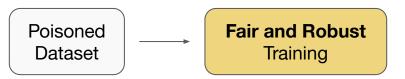
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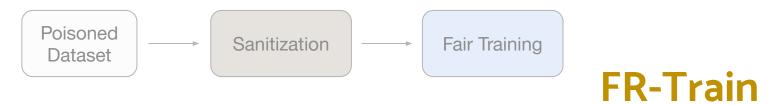
• **Holistic** approach: Fair & Robust training

Performing the two operations along with model training results in much better performance



Two approaches

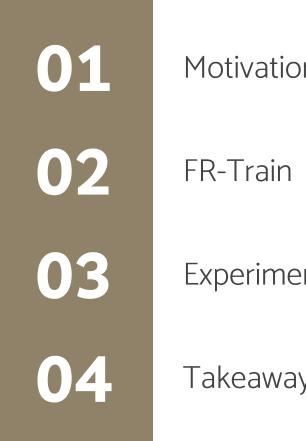
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• **Holistic** approach: Fair & Robust training

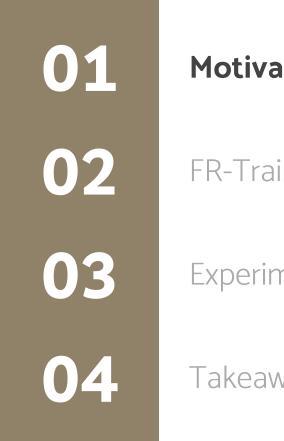
Performing the two operations along with model training results in much better performance





Motivation

Experiments



Motivation

FR-Train

Experiments

Data-related





Transparency & Accountability

Fairness

- A machine learning model learns bias and discriminations in the data
- The fairness of a (binary) classifier can be defined in various ways:
 - Demographic Parity
(\Leftrightarrow Disparate Impact)Equalized Odds $\mathbb{P}(\hat{Y} = 1|Z = 0) \approx \mathbb{P}(\hat{Y} = 1|Z = 1)$ $\mathbb{P}(\hat{Y} = 1|Z = 0, Y = 1) \approx \mathbb{P}(\hat{Y} = 1|Z = 1, Y = 1)$ $\mathbb{P}(\hat{Y} = 1|Z = 0) \approx \mathbb{P}(\hat{Y} = 1|Z = 1)$ $\mathbb{P}(\hat{Y} = 1|Z = 0, Y = 0) \approx \mathbb{P}(\hat{Y} = 1|Z = 1, Y = 0)$
- The level of fairness can be measured as a ratio or difference

XFeature YLabel Group attribute \hat{Y} Predicted label

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- The fairness of a (binary) classifier can be defined in various ways:

$$\begin{array}{c} \begin{array}{c} \textbf{Demographic Parity} \\ (\Leftrightarrow \textbf{Disparate Impact}) \\ \mathbb{P}(\hat{Y}=1|Z=0) \approx \mathbb{P}(\hat{Y}=1|Z=1) \end{array} \end{array} \qquad \begin{array}{c} \mathbb{P}(\hat{Y}=1|Z=0,Y=1) \approx \mathbb{P}(\hat{Y}=1|Z=1,Y=1) \\ \mathbb{P}(\hat{Y}=1|Z=0,Y=0) \approx \mathbb{P}(\hat{Y}=1|Z=1,Y=0) \end{array} \\ \begin{array}{c} \mathbb{P}(\hat{Y}=1|Z=0,Y=0) \approx \mathbb{P}(\hat{Y}=1|Z=1,Y=0) \end{array} \end{array}$$
The level of fairness can be measured as a ratio or difference
$$DI := min(\frac{\mathbb{P}(\hat{Y}=1|Z=0)}{\mathbb{P}(\hat{Y}=1|Z=1)}, \frac{\mathbb{P}(\hat{Y}=1|Z=1)}{\mathbb{P}(\hat{Y}=1|Z=0)}) \end{array}$$

Robustness

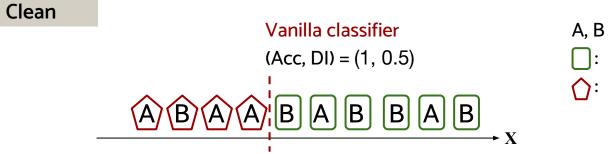
- Datasets are **easy to publish** nowadays, but as a result **easy to "poison"** as well
 - Poison = noisy, subjective, or even adversarial



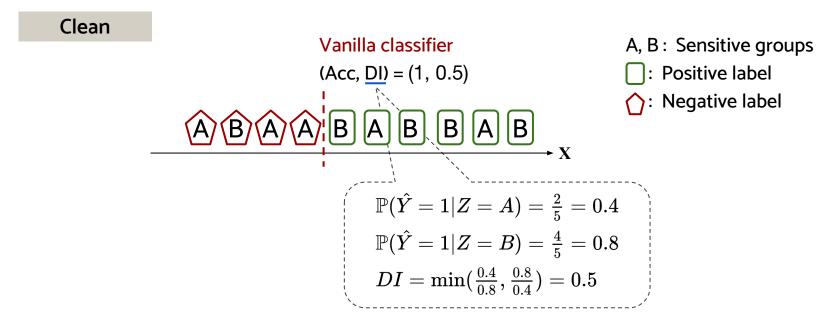
- Attacker's goal : Increase the test loss by poisoning data
- Defender's goal : Train a classifier with small test loss
- Already a serious issue in federated learning

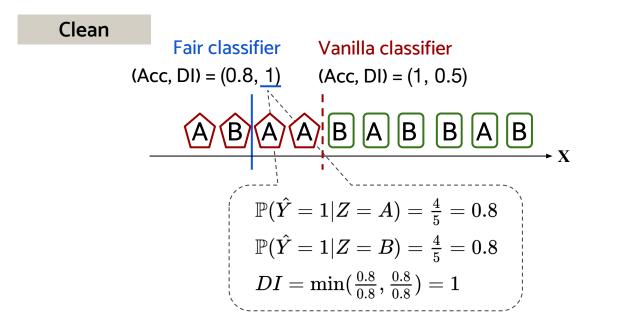
Fairness + Robustness

What happens if we just apply a fairness-aware algorithm on a poisoned dataset?May result in a strictly **suboptimal** (accuracy, fairness) than vanilla training

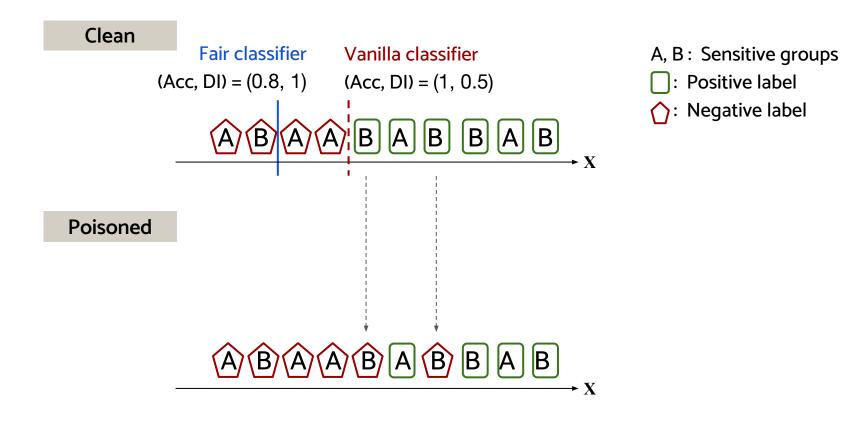


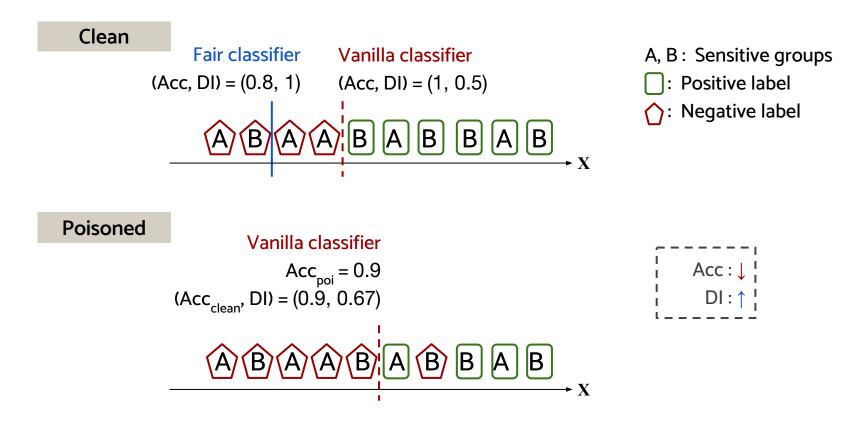
A, B: Sensitive groups : Positive label : Negative label

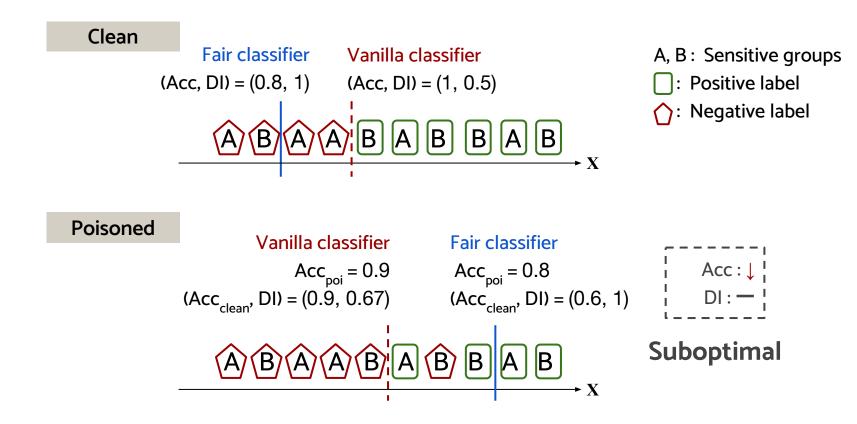




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Fairness + Robustness

What happens if we just apply a fairness-aware algorithm on a poisoned dataset?

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We need a holistic approach to fair and robust training. FR-Train!



Motivation

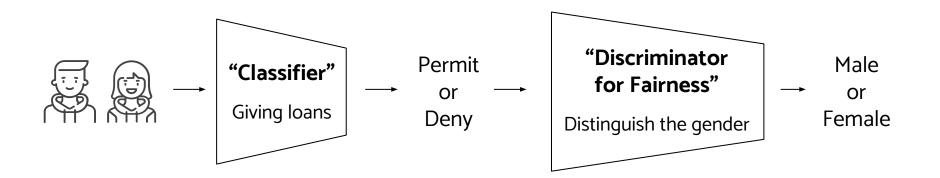
FR-Train

Experiments

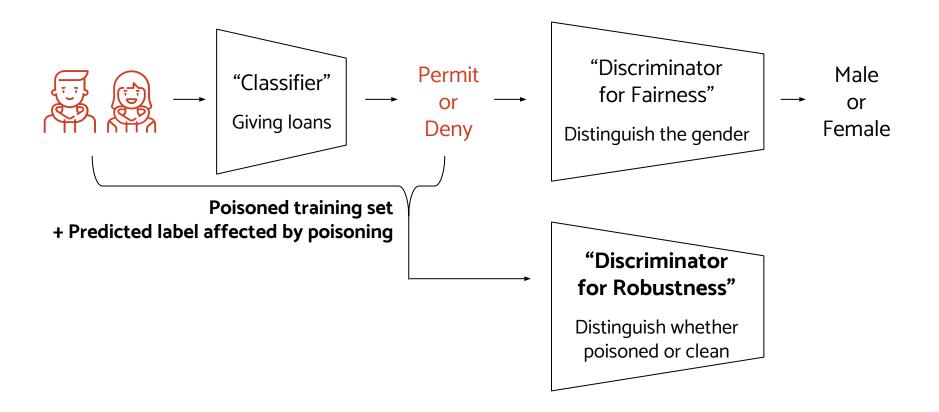
FR-Train - Main contributions

- FR-Train is a **holistic framework** for fair and robust training
- Extends a state-of-the-art fairness-only method called Adversarial Debiasing
 - Provides a novel mutual information (MI)-based interpretation of adversarial learning
 - Adds a robust discriminator that uses a small clean validation set for data sanitization
- We also propose crowdsourcing methods for constructing a clean validation set

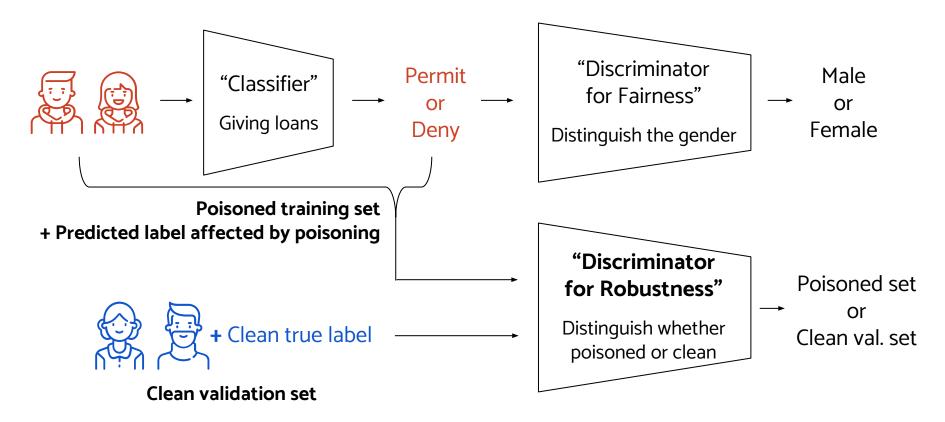




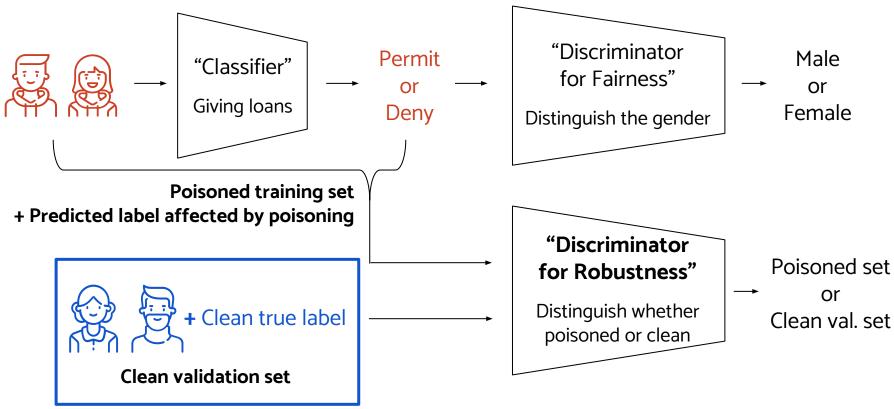
FR-Train



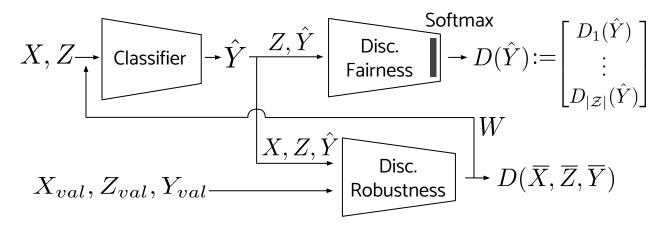
FR-Train



FR-Train



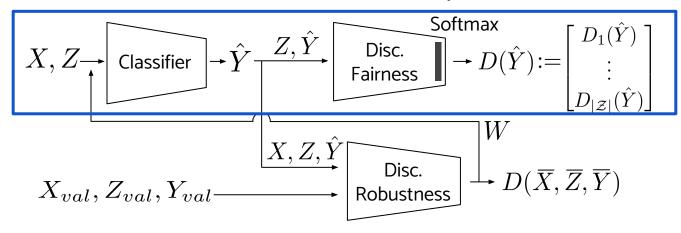
Constructed with crowdsourcing



Theorem 1 - Fairness

$$I(Z; \hat{Y}) = \max_{D_z(\hat{y}): \sum_z D_z(\hat{y})=1, \forall \hat{y}} \sum_{z \in \mathcal{Z}} P_Z(z) \mathbb{E}_{P_{\hat{Y}|z}} \left[\log D_z(\hat{Y}) \right] + H(Z)$$

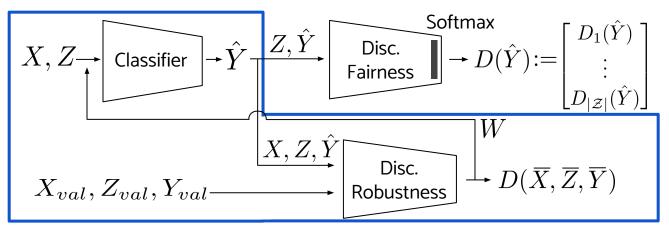
$$I(V; \overline{X}, \overline{Z}, \overline{Y}) = \max_{D_v(x, z, y): \sum_v D_v(x, z, y) = 1, \ \forall (x, z, y)} \sum_{v \in \mathcal{V}} P_V(v) \mathbb{E}_{P_{\overline{X}, \overline{Z}, \overline{Y}|v}} \left[\log D_v(\overline{X}, \overline{Z}, \overline{Y}) \right] + H(V)$$



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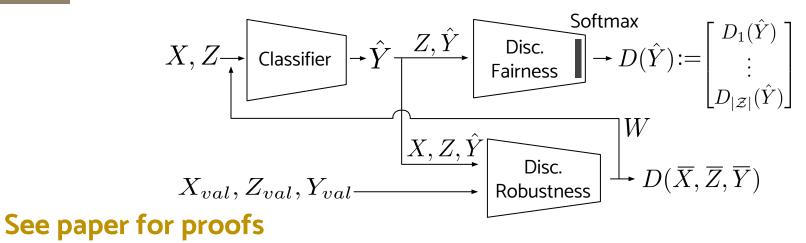
$$I(V;\overline{X},\overline{Z},\overline{Y}) = \max_{D_v(x,z,y):\sum_v D_v(x,z,y)=1, \ \forall (x,z,y)} \sum_{v \in \mathcal{V}} P_V(v) \mathbb{E}_{P_{\overline{X},\overline{Z},\overline{Y}|v}} \left[\log D_v(\overline{X},\overline{Z},\overline{Y}) \right] + H(V)$$



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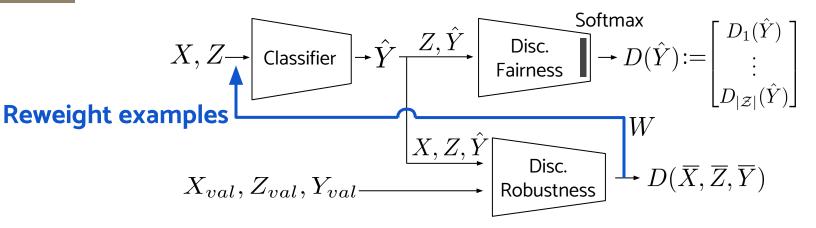
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Theorem 1 - Fairness

$$I(Z; \hat{Y}) = \max_{D_z(\hat{y}): \sum_z D_z(\hat{y})=1, \forall \hat{y}} \sum_{z \in \mathcal{Z}} P_Z(z) \mathbb{E}_{P_{\hat{Y}|z}} \left[\log D_z(\hat{Y}) \right] + H(Z)$$

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Motivation

FR-Train

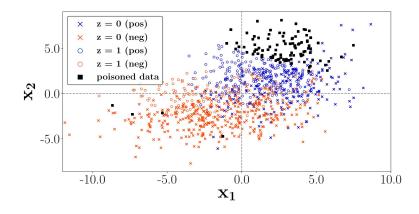
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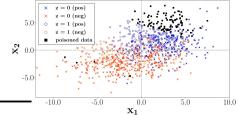
Experimental setting

- ° Synthetic data
 - Poisoning (label flipping): 10% of training data
 - Validation set: 10% of training data

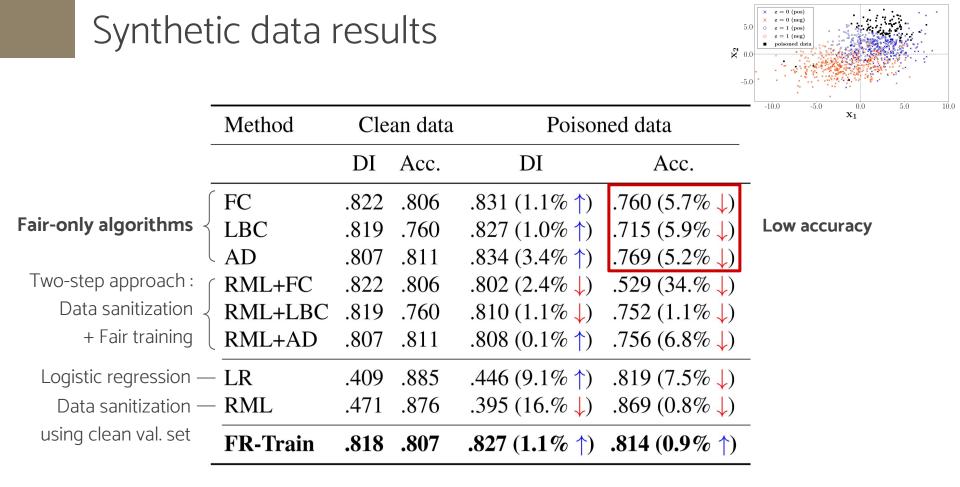


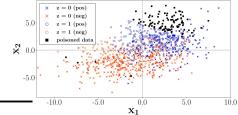
- COMPAS: Predict recidivism in two years for criminals
- AdultCensus: Predict whether annual income > \$50K or not
- Poisoning: 10% of training data
- Validation set: 5% of training data



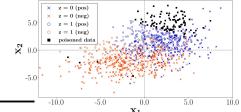


| | Method | Clean data | | Poisoned data | | |
|---|----------|------------|------|---------------|------------------------|--|
| | | DI | Acc. | DI | Acc. | |
| | FC | .822 | .806 | .831 (1.1% †) | .760 (5.7% 🗸) | |
| Fair-only algorithms { | LBC | .819 | .760 | .827 (1.0% †) | .715 (5.9% 🜙) | |
| | AD | .807 | .811 | .834 (3.4% ↑) | .769 (5.2% 🗸) | |
| Two-step approach : | RML+FC | .822 | .806 | .802 (2.4% 🗸) | .529 (34.% 🗸) | |
| Data sanitization ${}_{<}$ | RML+LBC | .819 | .760 | .810 (1.1% 🗸) | .752 (1.1% 🗸) | |
| + Fair training | RML+AD | .807 | .811 | .808 (0.1% †) | .756 (6.8% 🗸) | |
| Logistic regression — | - LR | .409 | .885 | .446 (9.1% †) | .819 (7.5% 🗸) | |
| Data sanitization — using clean val. set | - RML | .471 | .876 | .395 (16.% 🗸) | .869 (0.8% \downarrow) | |
| | FR-Train | .818 | .807 | .827 (1.1% †) | .814 (0.9% †) | |

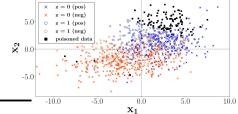




| | Method | Clean data | | Poisor | -10.0 -5.0 0.0 $\mathbf{x_1}$ | |
|---------------------------|----------|------------|------|---------------|-------------------------------------|---------------|
| - | | DI | Acc. | DI | Acc. | |
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| Logistic regression — | LR | .409 | .885 | .446 (9.1% †) | .819 (7.5%) | Low fairness |
| Data sanitization $-$ | RML | .471 | .876 | .395 (16.% ↓) | .869 (0.8% ↓) | LOW Idiffiess |
| using clean val. set | FR-Train | .818 | .807 | .827 (1.1% †) | .814 (0.9% †) | |



| | Method | Clean data | | Poisor | \mathbf{x}_1 | |
|--------------------------------|----------|------------|------|------------------------|------------------------|-------------------|
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| Two-step approach : | RML+FC | .822 | .806 | .802 (2.4% 🗸) | .529 (34.%) | |
| Data sanitization \downarrow | RML+LBC | .819 | .760 | .810 (1.1% 🗸) | .752 (1.1% 🗸) | Also low accuracy |
| + Fair training | RML+AD | .807 | .811 | .808 (0.1% †) | .756 (6.8% \downarrow) | |
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| | Method | Cle | an data | Poisoned data | | -10.0 -0.0 0.0 0.0 10.0 10.0 \mathbf{X}_1 |
|------------------------|----------|------|---------|------------------------|------------------------|--|
| | | DI | Acc. | DI | Acc. | |
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| using clean val. set | FR-Train | .818 | .807 | .827 (1.1% †) | .814 (0.9% †) | Holistic approach = high fairness & accuracy |

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Motivation

FR-Train

Experiments

- Trustworthy AI needs both fair and robust training
- However, addressing fairness and robustness separately is suboptimal
- FR-Train is a **holistic framework for trustworthy AI** performing fair and robust training
 - Mutual information-based interpretation of adversarial learning
 - Novel architecture that enjoys the synergistic effect of fair and robust discriminators
 - Requires a small clean validation set, which can be constructed using crowdsourcing
- Lots of open problems
 - Without clean validation set
 - Other poisoning
 - Algorithm stability

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