

LEARNING GENERATIVE MODELS ACROSS INCOMPARABLE SPACES

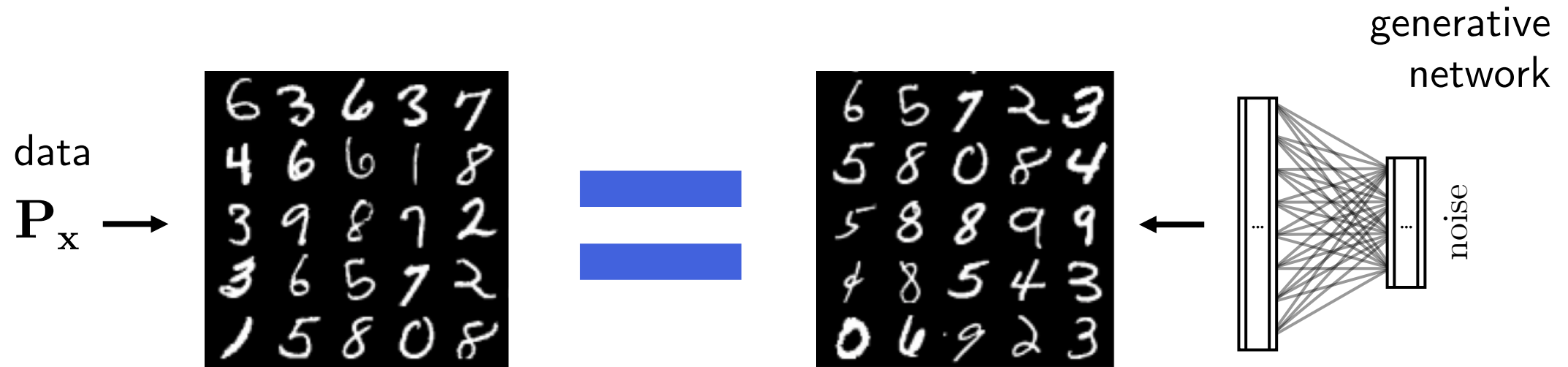
Charlotte Bunne, David Alvarez-Melis, Andreas Krause, Stefanie Jegelka

Poster #173



ETH zürich

Generative Modeling



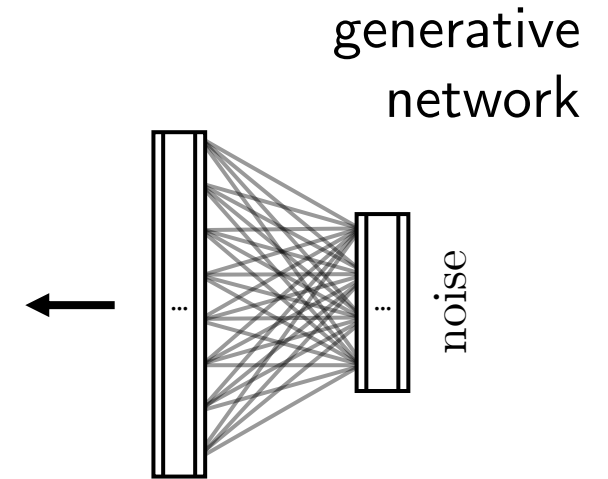
Beyond Identical Generation ...

data

P_x



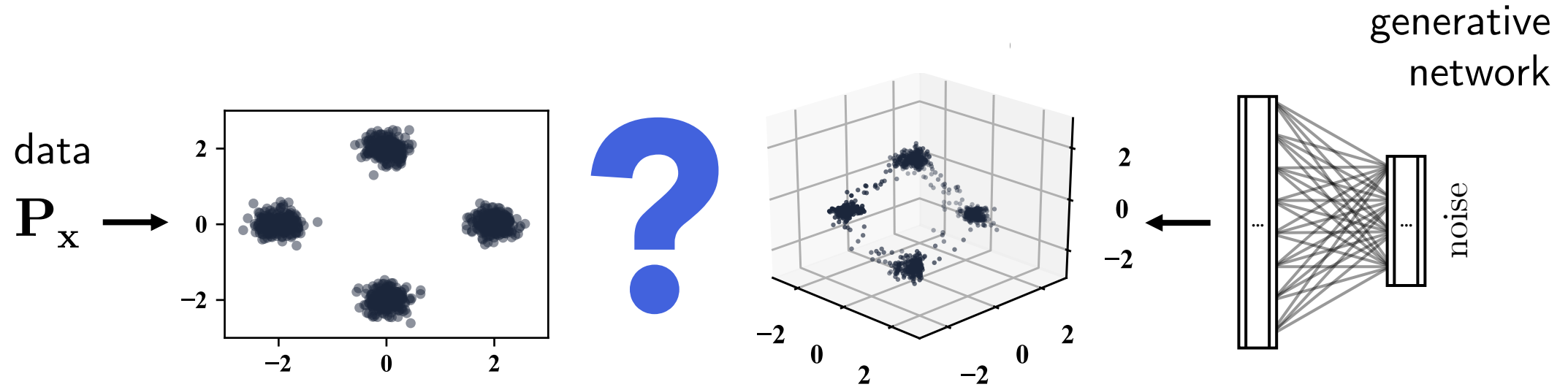
... enforce style.



generative
network

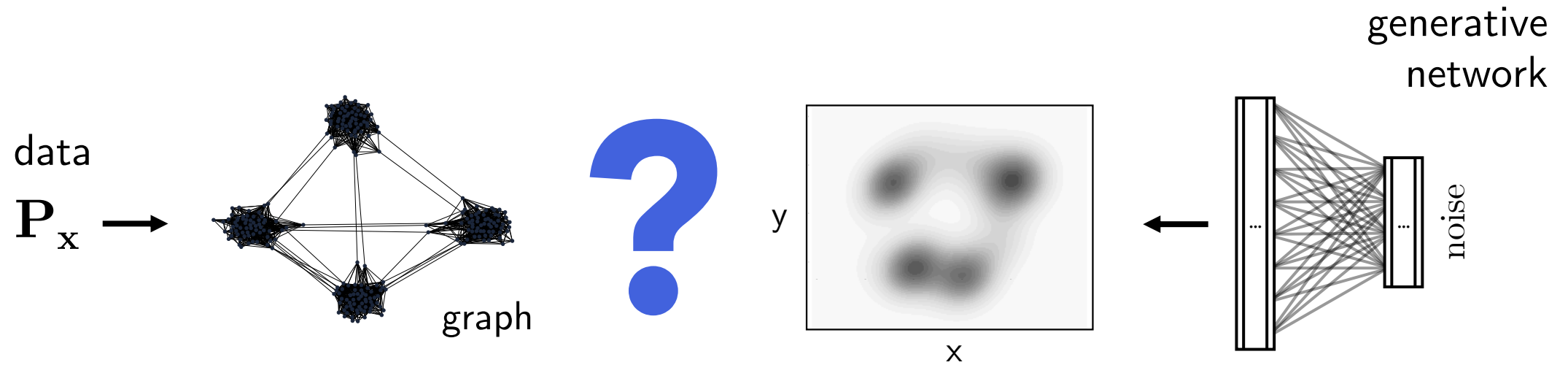
noise

Beyond Identical Generation ...



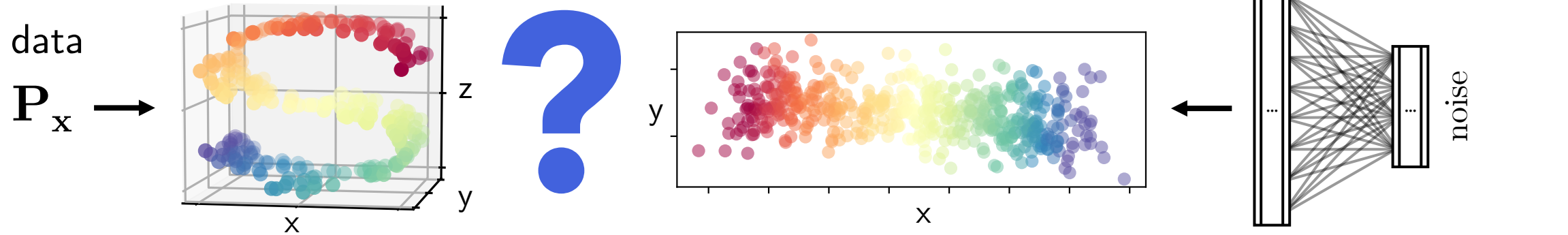
... learn across different dimensions.

Beyond Identical Generation ...



... translate between representation.

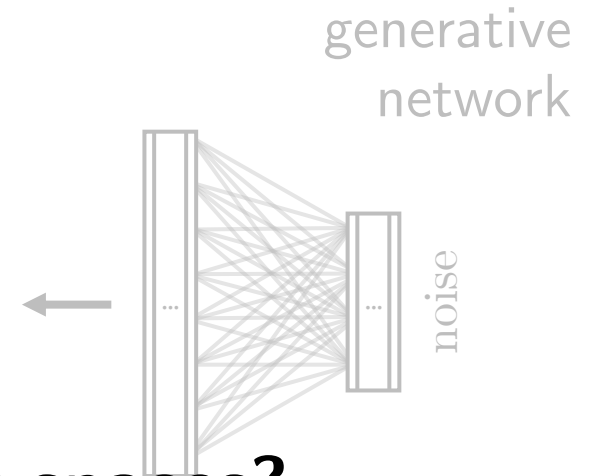
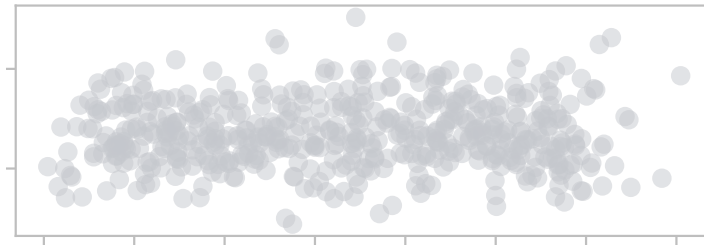
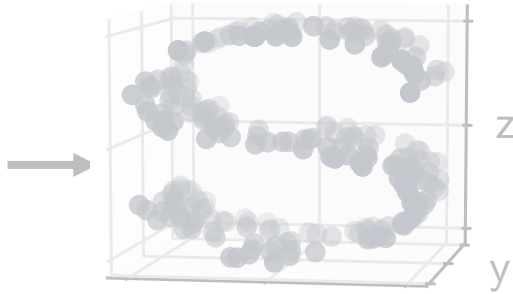
Beyond Identical Generation ...



... learn manifolds.

Challenges

data
 P_x



1 How to compare samples from *incomparable* spaces?

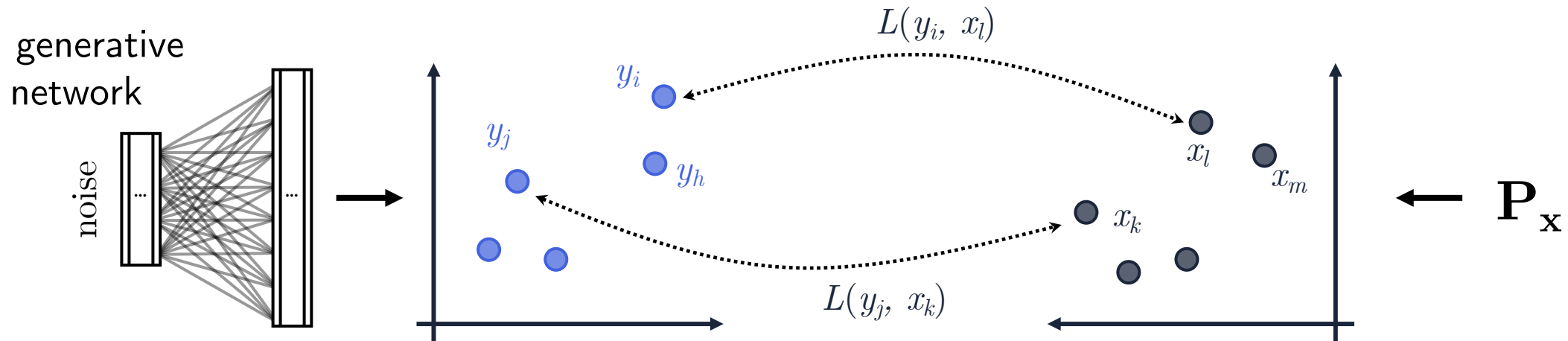
... learn manifolds.

2 What should be preserved? What can we modify?

3 How to stabilize learning despite additional freedom?

Learning Generative Models

Optimal Transport Distances



... distance between distributions: **minimal cost** of transporting mass between them.

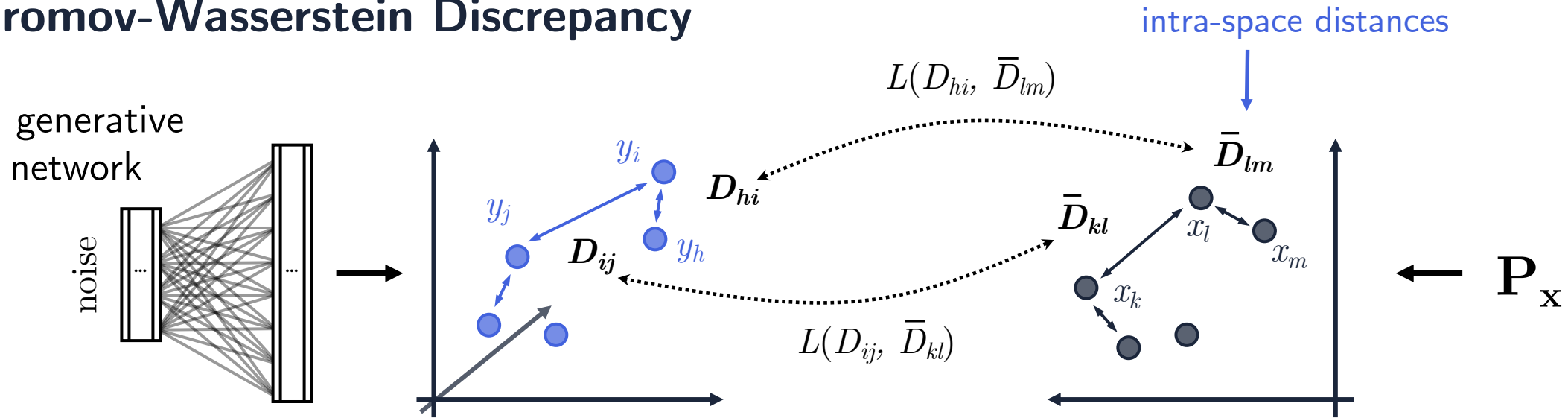
... find an **optimal transport plan** T .

... classical Wasserstein distances assume that spaces are **comparable!**

Defining a Distance Across Different Spaces

1

Gromov-Wasserstein Discrepancy

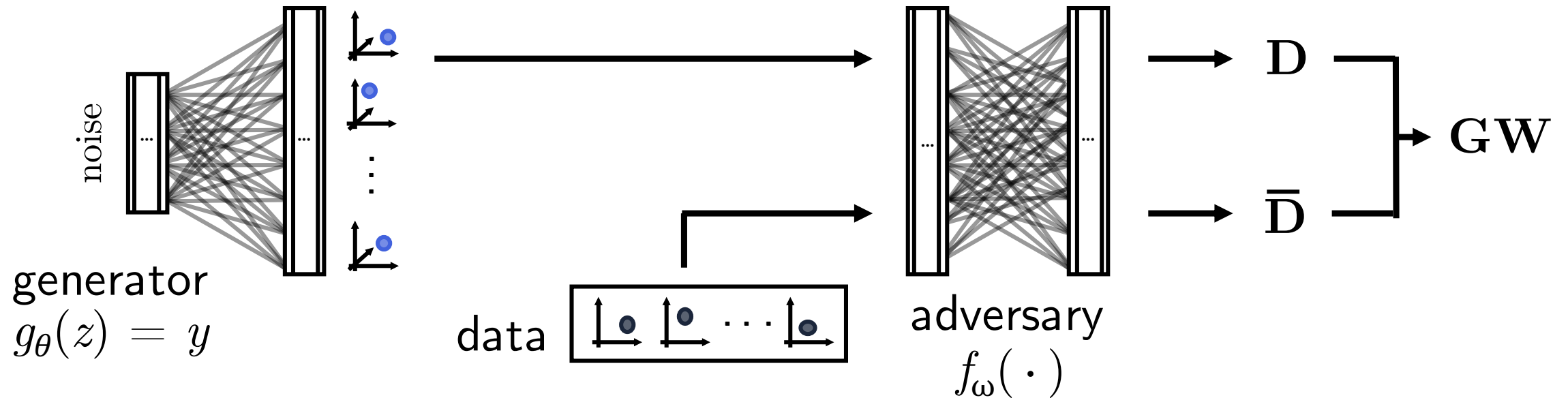


Definition:
$$GW(D, \bar{D}) := \min_T \sum_{ijkl} L(D_{ik}, \bar{D}_{jl}) T_{ij} T_{kl} := \left\{ \begin{array}{l} \text{total discrepancy} \\ \text{of pairwise distances} \\ \text{across domains} \end{array} \right\}$$

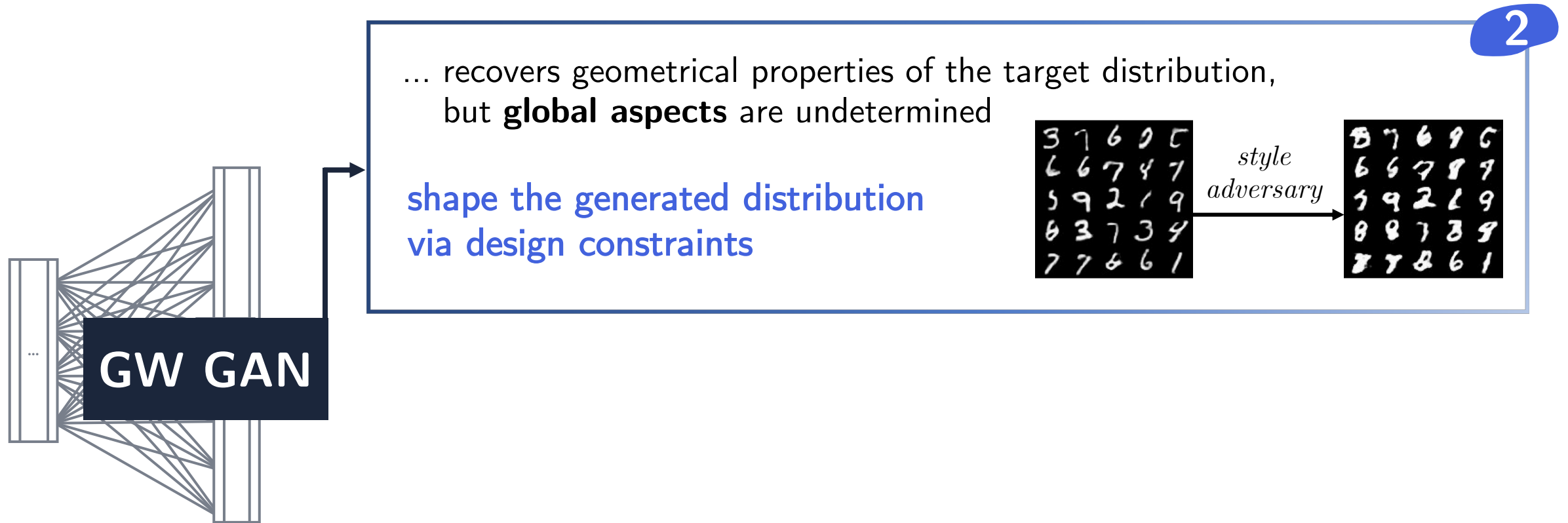
optimal transport plan

intra-space distances

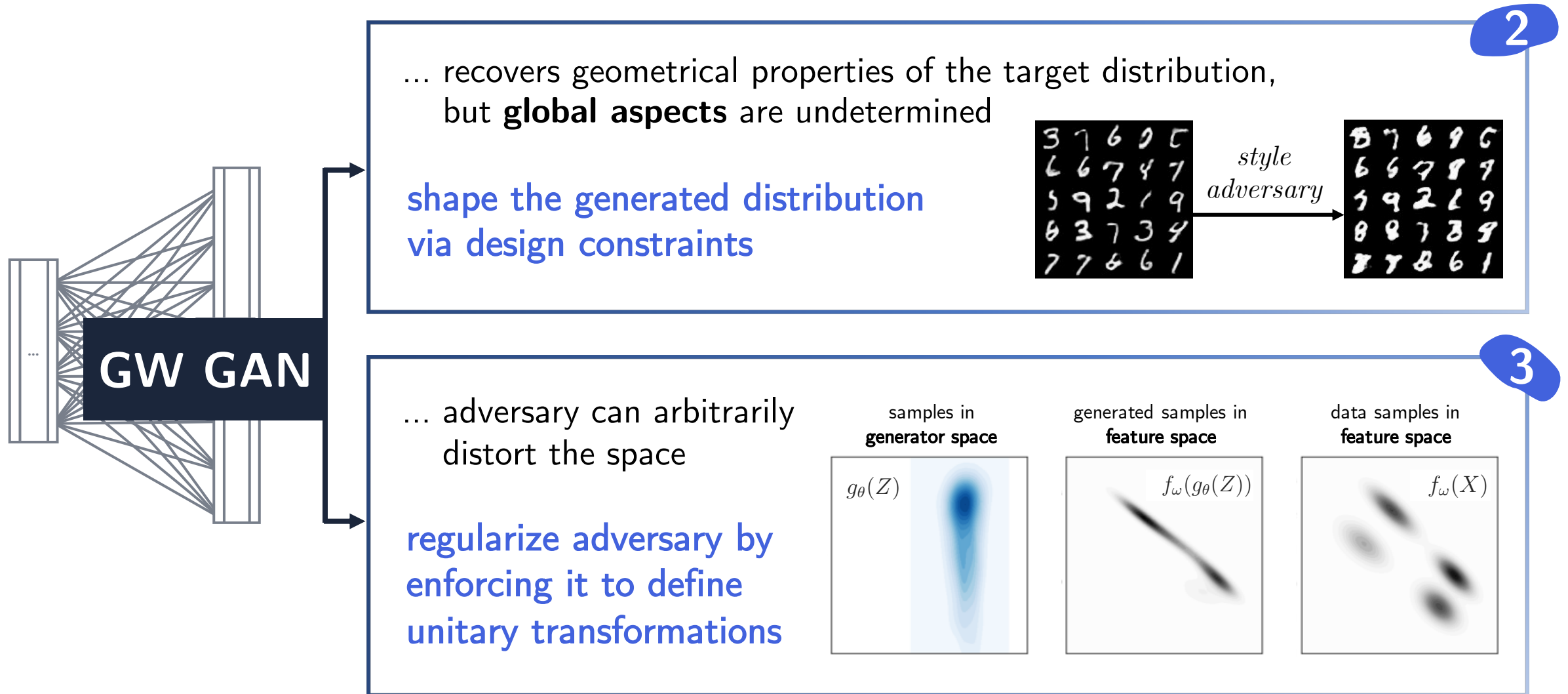
Gromov-Wasserstein Generative Model (GW GAN)



Flexibility of the Model



Flexibility of the Model



Gromov-Wasserstein Generative Model

By utilizing the Gromov-Wasserstein discrepancy we disentangle data and generator space.

This enables us to learn generative models across different data types and space dimensions and shape the generated distributions with design constraints.

More details, tonight at **Poster #173**

