

# Neural Joint Source-Channel Coding

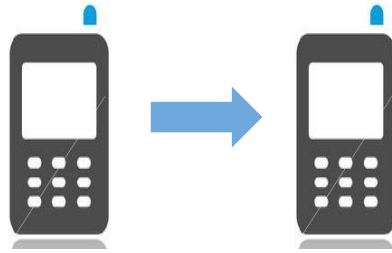
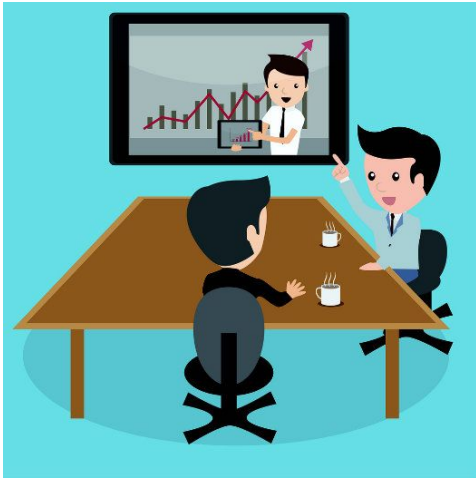
**Kristy Choi**, Kedar Tatwawadi, Aditya Grover,  
Tsachy Weissman, Stefano Ermon

Computer Science Department, Stanford University

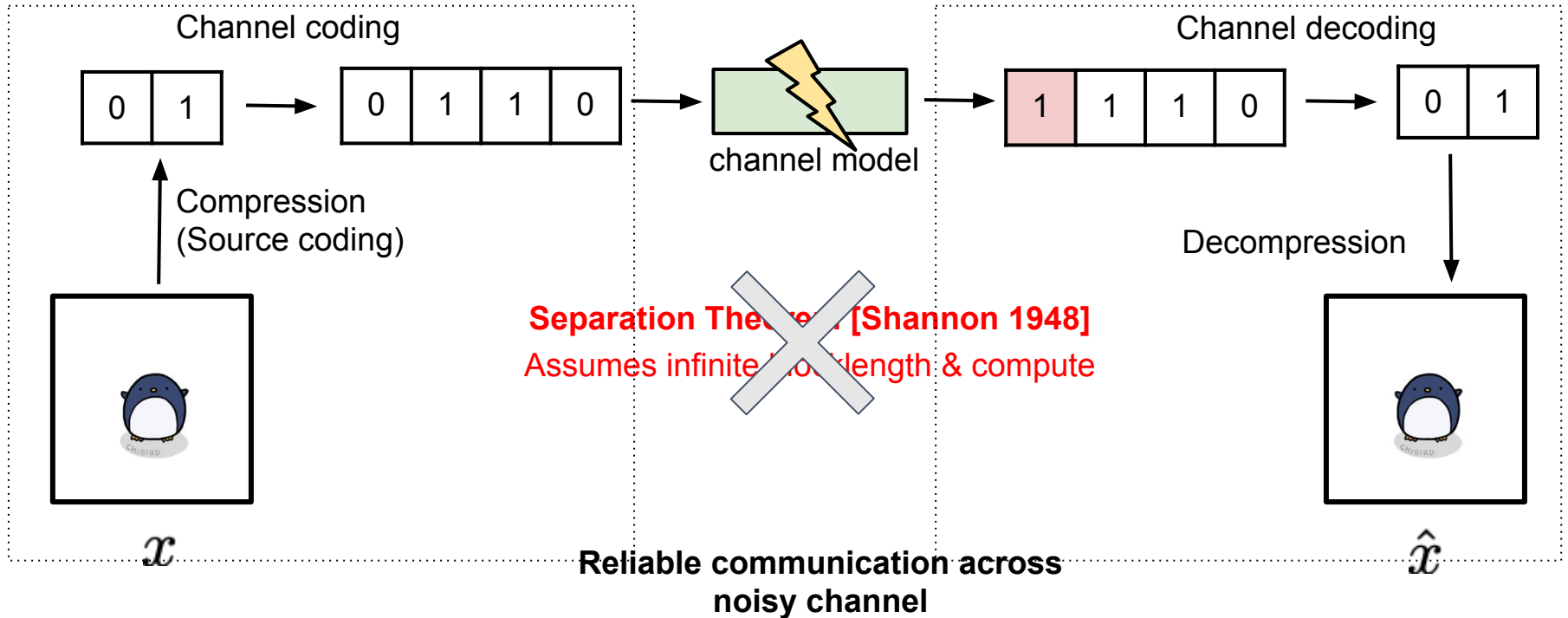


# Motivation

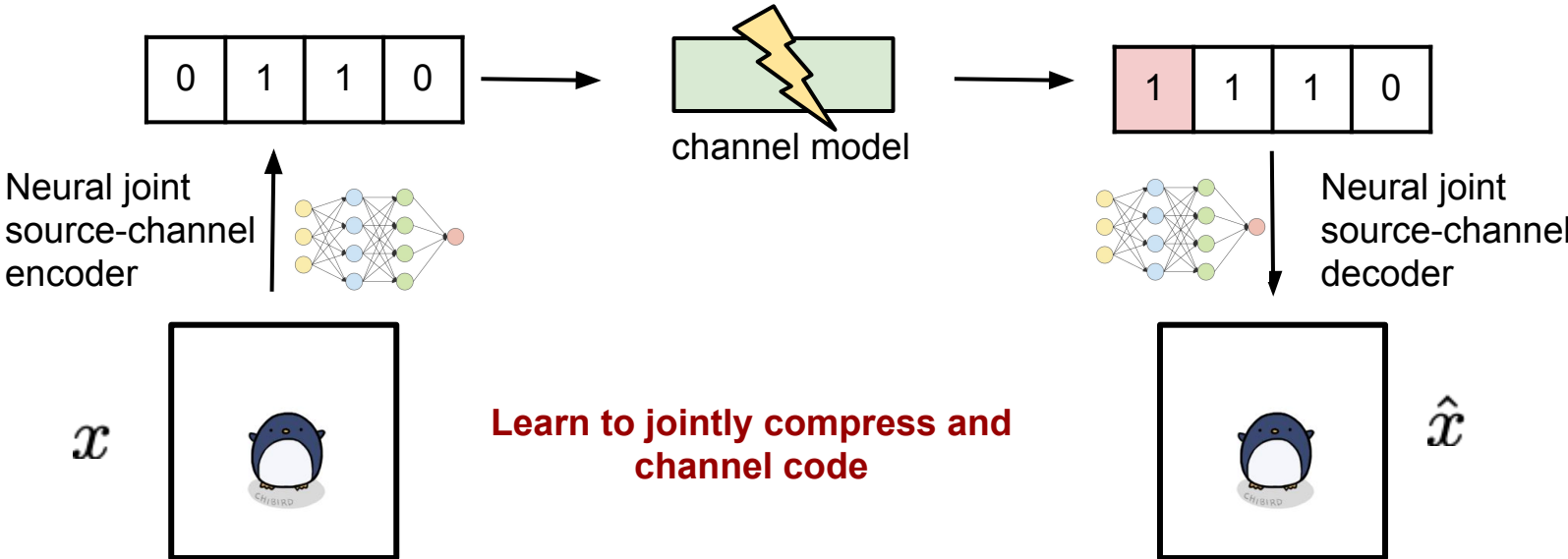
Reliable, robust, and efficient information transmission is key for everyday communication



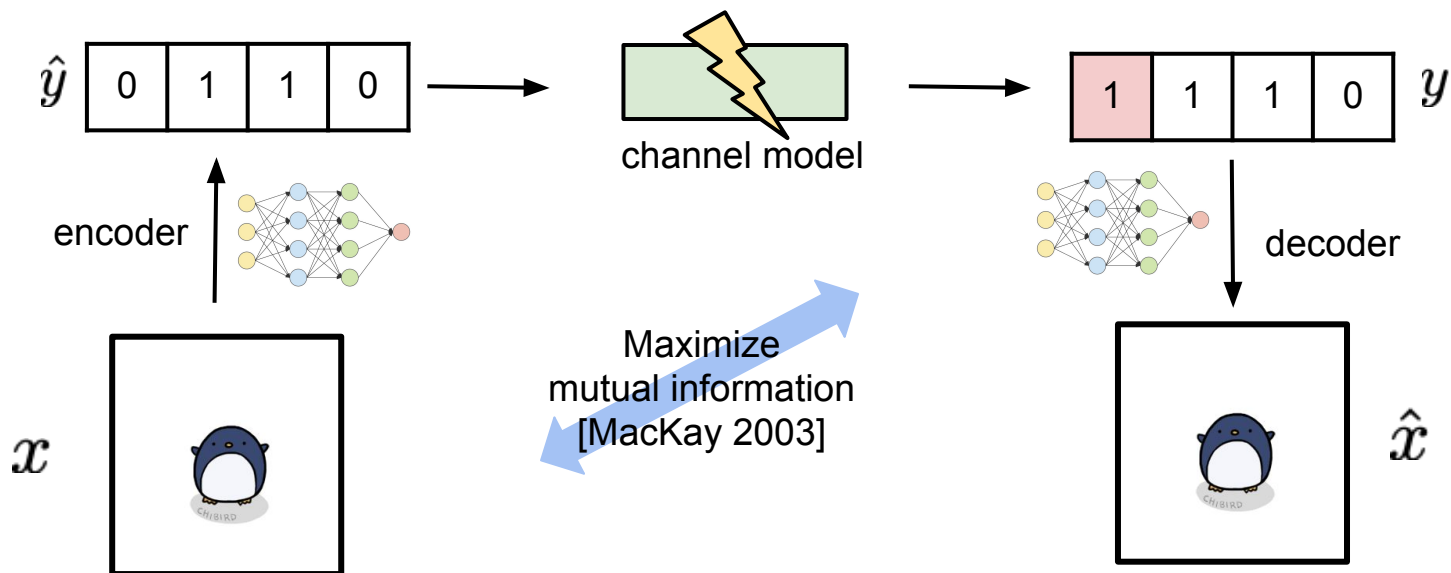
# Problem Statement



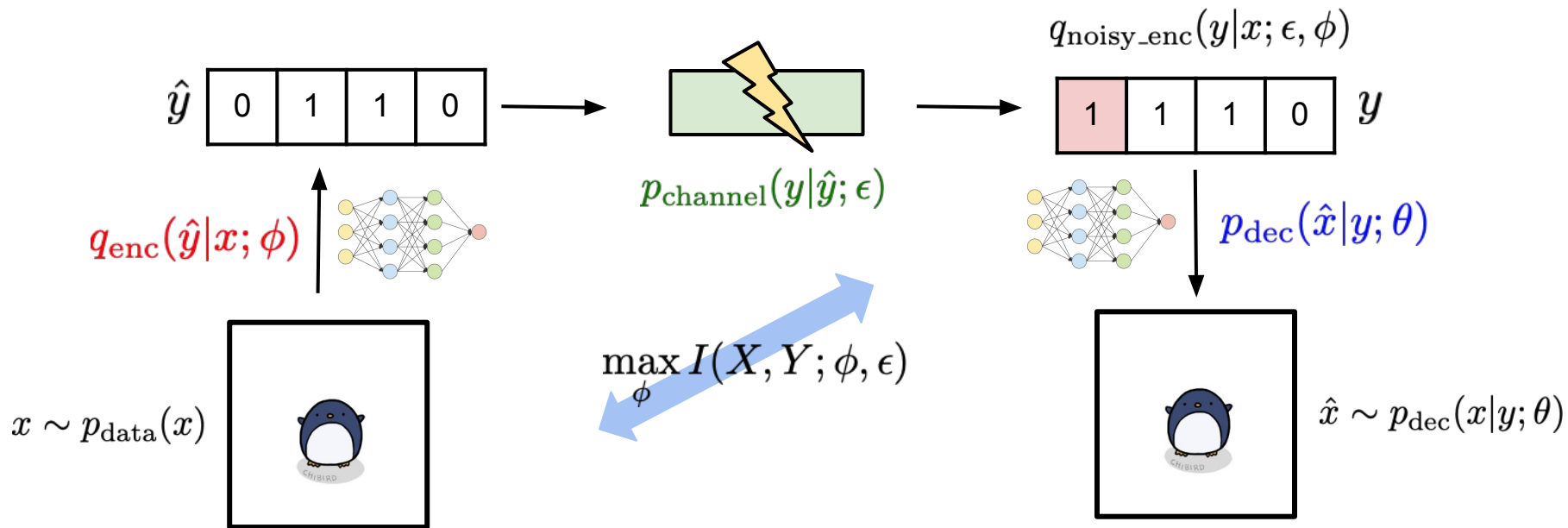
# Neural Joint Source-Channel Coding



# NECST Model



# Coding Process



$$p(x, \hat{y}, y, \hat{x}) = p_{\text{data}}(x) q_{\text{enc}}(\hat{y}|x; \phi) p_{\text{channel}}(y|\hat{y}; \epsilon) p_{\text{dec}}(\hat{x}|y; \theta)$$

# Learning Objective

- Mutual information maximization
  - $Y$  should capture as much information about  $X$  as possible, *even after corruption!*
  - Estimation is hard 😞 [Barber & Agakov 2004]
- Variational lower bound is nicer:

$$\max_{\phi} I(X, Y; \phi, \epsilon) = \max_{\phi} H(X) - H(X|Y; \phi, \epsilon)$$

$$\geq \max_{\theta, \phi} \mathbb{E}_{x \sim p_{\text{data}}(x)} \mathbb{E}_{y \sim q_{\text{noisy\_enc}}(y|x; \epsilon, \phi)} [\log p_{\text{dec}}(x|y; \theta)]$$

↑  
**Reconstruction loss!**

[Kingma & Welling 2014]

[Vincent 2008]

# Optimization Procedure

- Our latent variables  $y$  are discrete 😞
- Use VIMCO: [Mnih and Rezende 2016]
  - Draw multiple ( $K$ ) samples from inference network, get tighter lower bound

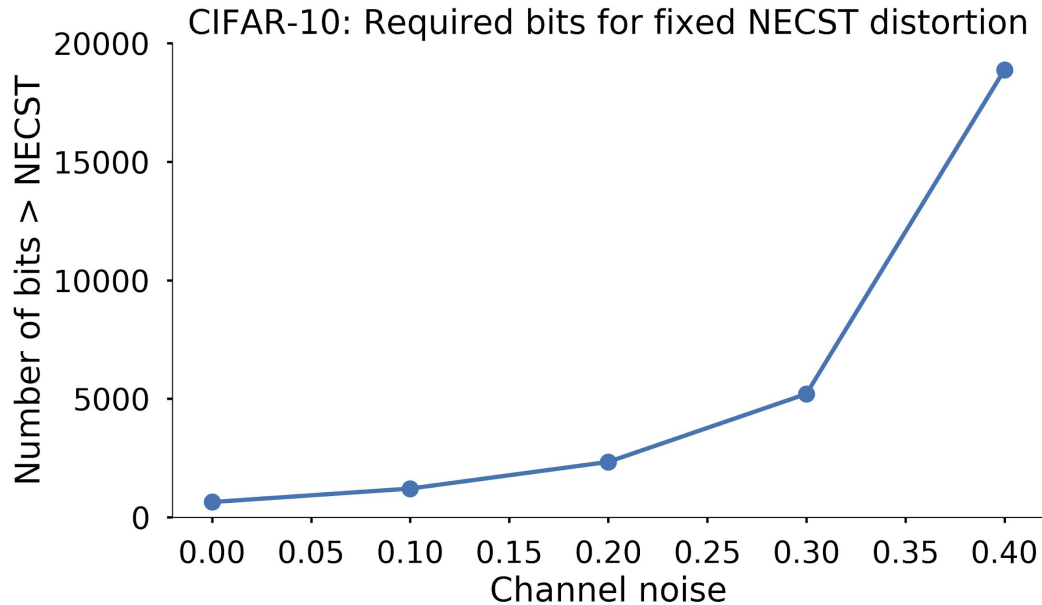
$$\mathcal{L}^K(\phi, \theta; x, \epsilon) = \sum_{x \in \mathcal{D}} \mathbb{E}_{y^{1:K} \sim q_{\text{noisy\_enc}}(y|x; \epsilon, \phi)} \left[ \frac{1}{K} \sum_{i=1}^K p_{\text{dec}}(x|y^i; \theta) \right]$$

Multiple samples of  $y$

Multiple reconstruction loss terms

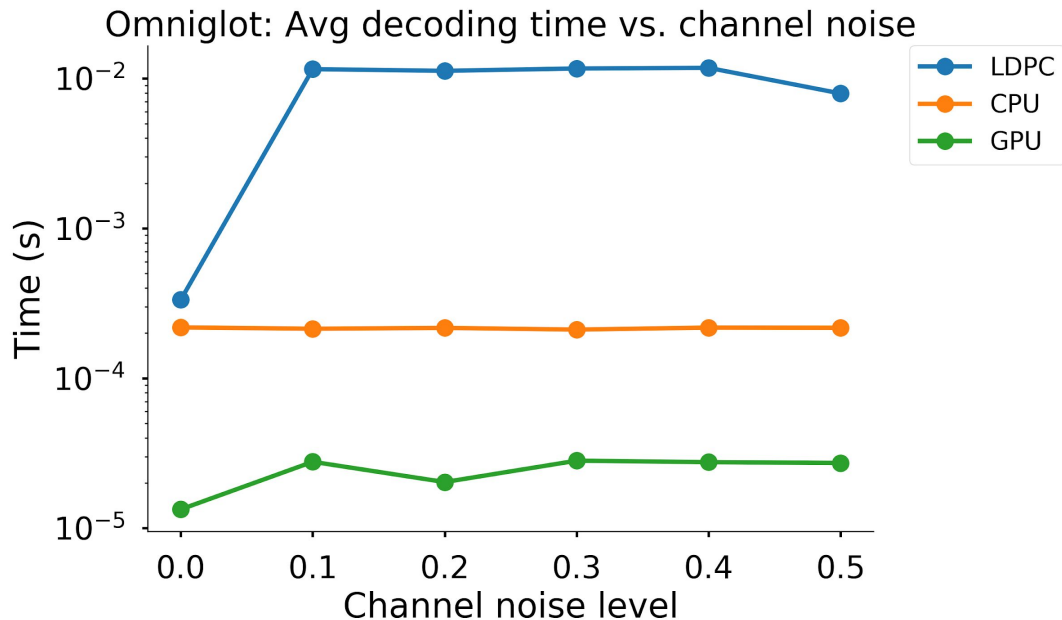


# Fixed Rate: Comparison vs. Ideal Codes



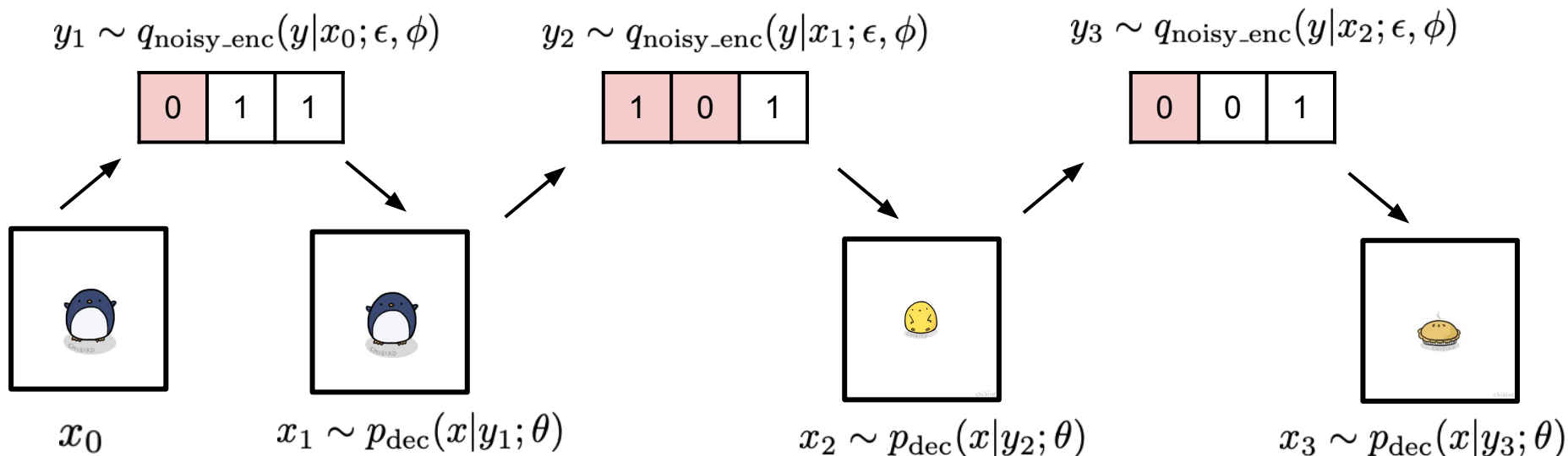
We need *a much smaller number of bits* to get the same level of distortion, even vs. WebP [Google 2010] + ideal channel code

# Extremely Fast Decoding



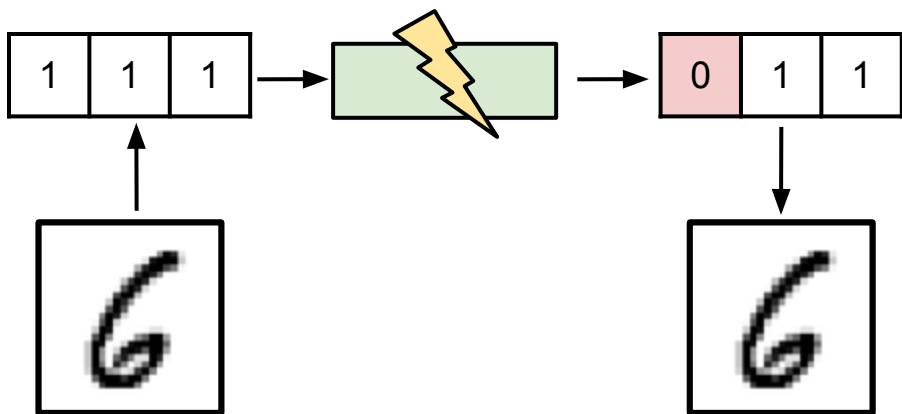
Up to 2x orders of magnitude in speedup on GPU vs. LDPC decoder [Gallager 1963]

# Learning the Data Distribution

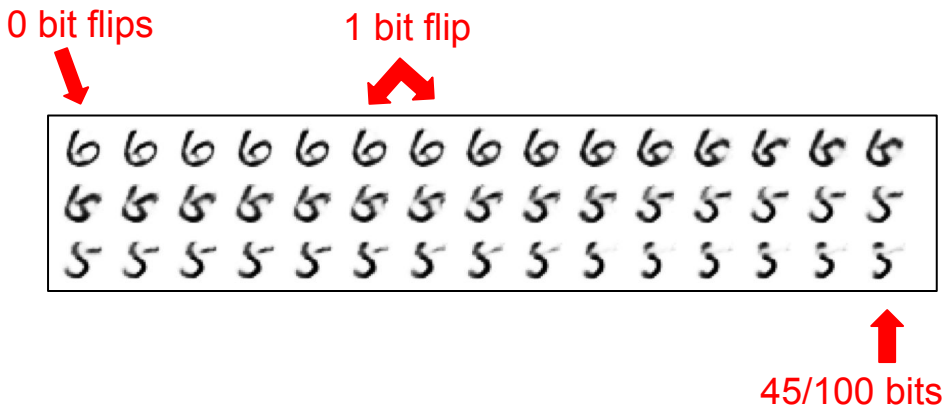


Theorem (informal): NECST learns an implicit model of  $p_{\text{data}}(x)$

# Robust Representation Learning



1) Encoded redundancies:  
interpolation in latent space by bit-flip



2) Improved downstream classification: improves accuracy by as much as 29% across variety of classifiers when inputs are corrupted by noise!

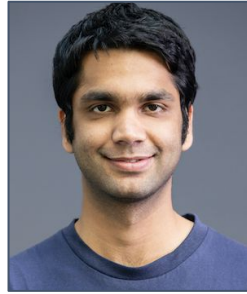
# Summary

- End-to-end deep generative modeling framework for the JSCC problem
- Better bitlength efficiency than separation scheme on CIFAR10, CelebA, SVHN
- Another way to learn robust latent representations
- Get an extremely fast decoder for free

# Thanks!



Kedar Tatwawadi



Aditya Grover



Tsachy Weissman



Stefano Ermon

**Contact:** [kechoi@stanford.edu](mailto:kechoi@stanford.edu)

**Code:** <https://github.com/ermongroup/necst>

**Poster #165:** Tuesday, June 11th @ **Pacific Ballroom**